

TITLE: Statistical Subroutines
Floating Point Input

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* * * * *
*
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COMPUMATIX STATISTICAL SUBROUTINES
(FLOATING POINT INPUT)

I. Storage Allocation

A) Standard Subroutines

<u>Program #</u>	<u>Location</u>	<u>Description</u>
10.4	0000-0263	Program Input
11.2	0300-0563	Data Input (Fixed)
12.1A	0600-0850	Data Output (Fixed)
25.0R	0900-1163	Float - Unfloat
24.0	1200-2163	Floating Point Interpretive
11.6-12.6	2200-2763	Floating Point Input-Output
29.0	2800-2963	Matrix Inversion

B) Statistical Subroutines:

<u>Sample Problem #</u>	<u>Location</u>	<u>Description</u>
1	3000-3215	Floating Point Δ Matrix Prep., Print, Float
2	3219-3263 *	Δ Matrix Scale
3	3300-3515	Calculate Means, Standard Deviations and correlation Coefficient Δ Matrix (Print)
4	3516-3606	Convert Δ Ri,j Matrix to <input type="checkbox"/> Ri,j Matrix (Modified)

<u>Sample Problem #</u>	<u>Location</u>	<u>Description</u>
5	3607-3660 3661	Invert <input type="checkbox"/> Ri,j Matrix and Print XPI600
6	3662-4005	Compute and Print: Beta Weights, Regression Coefficients; Partial Correlation Coefficient and Standard Error of the Independent Variables; the Constant Term (B_0) and its' Standard Error; the Sample Multiple Correlation Coefficient and Standard Error of Estimate; the Universe Multiple Correlation Coefficient and Standard Error of Estimate.

4006 XZ0000 Stop
4007-4106 Compute Y, Y_{cal} (Y-Y_{cal}) and Print (Floating Point)

C) Data and Computational Storage

<u>Area</u>	<u>For</u>	<u>Required</u>
6200-6231	Standard Deviations	N
4132-4163	Coefficient of Equation	N
4200-6131	Δ Data Matrix and Correlation Coefficient Matrix <input type="checkbox"/> Ri,j Matrix and Inverse)	N ² + 2 N + 1
4201-4201 +N	Means	N
6132-6163	Scale Factors	(N + 1)
6200-6231	Record	(N + 1)
6232-6263	Temp. and Line Set	-----

(Data and Computational Storage - Cont'd)

<u>Area</u>	<u>For</u>	<u>Required</u>
6300-6363	Temp. for Floating Point, Etc.	-----
* Note: 3215 XU3300 (To skip scaling)		
3215	XU3220 (To do scaling)	

3220	XRL200) Enter Floating Point	
3221	XUL200)	
3222	XI0000 Read Scale Factors	
3223	XE0000 Exit F. P.	
3224	Lo. Matrix Scaling Sub.	

II. Operation:

- A) Load hex tapes A and Ba (See storage allocation A and B for tape contents). Note exception: 10.4 is not on tape A or Ba.
- B) Insert sample problem data tape in the typewriter and depress break points 4 and 8. Start the tape reading via a program input routine (10.0, 10.3 or 10.4). All start fill and transfers are on the tape.
- C) The computer will halt on the stop and transfer instruction (.0003000'). A start compute signal will initiate the computation (or B.P. # 32 could have been depressed).
- D) The program will proceed to the completion of the regression analysis and then stop in location 4006 (XZ0000).
- E) A start compute signal will cause an entry into the sub-routine to compute the residuals, (Y-Ycal). The regression equation coefficients are stored correctly by the sub-routine that computes them in Floating Point and need not be entered before the first record of the original data is re-read.

III. Format:

- A) Set carriage return stop at 4.
- B) Set tabs at 12, 20, 28, 36, 44, etc.
N + 1 tabs. (8 numbers apart).
- C) For very large problems the automatic C. R. must be used or all spacing tabs in program # 1 and 3 removed (See write ups) and a column type printout used.

- D) Since break points separate every major phase of this group of subroutines, these spaces may be used for exits to heading printing operations or other calculations, without disrupting actual program steps.

IV. General:

- A) The subroutine designated as "No. 2" (Scaling) has not been used in this sample problem since then, in general, special handling would be required in the residual computation.
- B) The subroutines were assembled except for locations 3219-3223 and 4006 by filling the following subroutine Lo on top of the previous subroutine Lp.

FLOATING POINT DATA

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SAMPLE PROBLEM STATISTICS SUBROUTINES (FLOATING POINT)

;006233'

xz0003'	no. of variables
xz0005'	no. of records
xz6200'	Lo. of record
xz4200'	Lo. of Δ data matrix
xz1200'	Lo. of floating point
xz4201'	Lo. of means
xz6200'	Lo. of standard deviations
xz0000'	Lo. of sq. Rij matrix
xz6132'	Lo. of scale factors
xz2800'	Lo. of matrix inversion (29.0)
xz4132'	Lo. of coefficients of regression equation

depress break points 4 and 8 for straight thru operation
to the residual computation

.0003000'

data

+006200'1'1'4'1'-0000000''

+006200'1'1'4'3'-0000000''

+006200'1'3'3'2'-0000000''

+006200'1'6'2'5'-0000000''

+006200'1'8'1'4'-0000000''

DATA CONTINUED

N		ΣX_1		ΣX_2		ΣY	
.5000000	01	.1800000	02	.1300000	02	.1500000	02
		ΣX_1^2		$\Sigma X_1 X_2$		$\Sigma X_1 Y$	
		.1100000	03	.2500000	02	.7100000	02
				ΣX_2^2		$\Sigma X_2 Y$	
				.4500000	02	.3200000	02
						ΣY^2	
						.5500000	02
\bar{X}_1		\bar{X}_2		\bar{Y}			
.3600000	01	.2600000	01	.3000000	01		
σ_{x_1}		σ_{x_2}		σ_y			
.3006659	01	.1496663	01	.1414213	01		
r_{11}		r_{12}		r_{1y}			
.1000000	01	.9688981-	00	.7996129	00		
		r_{22}		r_{2y}			
		.1000000	01	.6614376-	00		
				r_{yy}			
				.1000000	01		

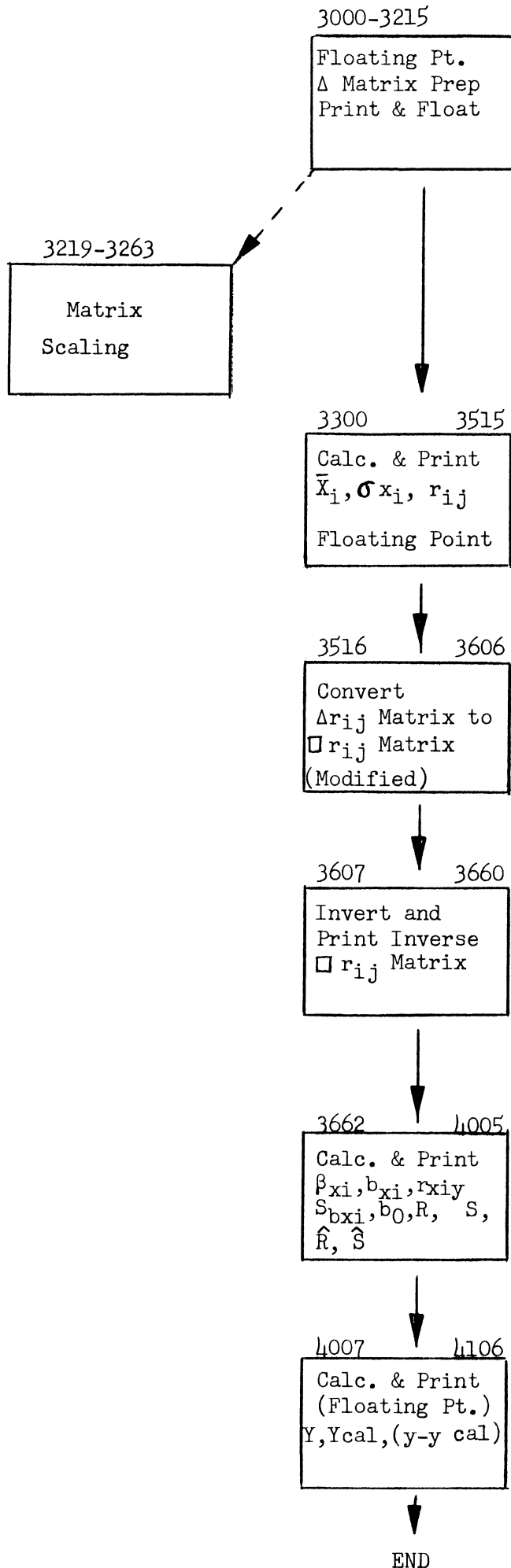
Inverse of r_{ij} Matrix

.6084443	02	.4759427	02	.1717134-	02		
.4759427	02	.3900739	02	.1225603-	02		
.1717134-	02	.1225603-	02	.6623824	01		
β_{x1}		b_{x1}		$r_{1y.2}$		σ_{bx1}	
.2592361	01	.1219344	01	.8553412	00	.5222230	00
β_{x2}		b_{x2}		$r_{2y.2}$		σ_{bx2}	
.1850295	01	.1748364	01	.7624686	00	.1049098	01
		b_0				σ_{b0}	
		.5935385-	01			.3885488	00
R		σ_{EST}		\hat{R}		$\hat{\sigma}_{EST}$	
.9214280	00	.5494909	00	.8354996	00	.8688215	00

DATA - CONTINUED

Data repeated for residual computation

+006200'1'1'4'1'-0000000''					
.1000000	01	.1058073	01	.5807304-	01-
+006200'1'1'4'3'-0000000''					
.3000000	01	.2277417	01	.7225832	00
+006200'1'3'3'2'-0000000''					
.2000000	01	.2967740	01	.9677398-	00
+006200'1'6'2'5'-0000000''					
.5000000	01	.4877406	01	.1225934	00
+006200'1'8'1'4'-0000000''					
.4000000	01	.3819365	01	.1806345	00



Statistics Subroutines
Floating Point Data

TITLE: Least Squares Floating Point Triangular Matrix Preparation

AUTHOR: William F. Burggrabe
Compumatix, Incorporated

DATE: August 28, 1959

PURPOSE: Given N records of n variables of the form l, X_1, X_2, \dots

X_n in floating point this subroutine will prepare the upper triangle of the least squares matrix. The matrix rows are stored sequentially in the following format:

$N, \Sigma X_1, \Sigma X_2, \dots, \Sigma X_n; \Sigma X_1^2, \Sigma X_1 X_2, \dots, \Sigma X_1 X_n;$
 $\Sigma X_2^2, \dots, \Sigma X_2 X_n; \dots; \Sigma X_n^2$

At the completion of the processing for N records, the matrix may be optionally printed out.

RESTRICTIONS:

- 1) Normal restrictions of 24.0, 11.6 - 12.6
- 2) No limit to the number of records provided no overflow is encountered; the number of variables is limited only by available machine storage.

Required computational storage:

Data L_0 to $L_0 + n + 1$

Matrix L_0 to $L_0 + \frac{(n+1)(n+2)}{2}$

- 3) The following information must be supplied:

6233	n
6234	N
6235	L_0 Record
6236	L_0 Δ Matrix
6237	L_0 Floating Point System

- 4) Data Format - see input
- 5) Print Out - see output
- 6) The records are not permanently stored.

GENERAL INFORMATION ON METHOD:

Since little mathematical description need be given, a description of the program sequence will be outlined here.

1) Initialization

Clear the matrix storage area to zero

2) Matrix Preparation

N-records, n variables

3) Optional print out of floating point matrix.
(Transfer control up)

A break point stop separates each phase of the operation, as well as the processing of each record.

CODING INFORMATION

A) Storage: Subroutine 2 tracks 16 sectors

External storage as noted under restriction 3 and the following:

	6258	Ctr
	6259	Ctr
	6260	Temp
	(6261	n + 1 @ 29
Computed	(6262	n + 2 @ 29
	(6363	$\frac{(n+1)(n+2)}{2}$ @ 29
Data	L_0 to $L_0 + n + 1$	
Matrix	L_0 to $L_0 + \frac{(n+1)(N+2)}{2}$	

B) Linkage and calling sequence: Since this is one of a group of statistical subroutines, location 6233 to 6263 have been reserved for initialization information and no calling sequence is required.

Linkage R $L_0 + 215$
U L_0

C) Input : As described under Restriction 3 and:

Data format

First record.

+ PP Data $L_0' 1' X1' X2' \dots \dots \dots Xn' -0000000''$

Following records.

+ PP Data Lo + 1 X₁' X₂' ... X_n' -000000''

The leading "one" may be present in all records if desired.
In this case all records have the same code word as the first record.

- D) Output: The computed matrix is stored sequentially beginning in the specified location. It may be printed out in floating point in the following format:

N	ΣX_1	ΣX_2	...	ΣX_n
tab	ΣX_1^2	$\Sigma X X_2$...	ΣX_n
tab	tab	ΣX_2^2	...	ΣX_n
				.
				.
				.
	tab tab etc. ...			ΣX_n^2

The tabs may be suppressed by changing Lo + 206 to T (Lo+207)
or U(Lo + 47)

Note: Transfer Control down exits from Print Routine

- E) Location of constants:

L ₀ + 111	1 @ 29
+ 112	3wwj (Mask)
+ 113	1 @ 3
+ 119	1 @ 29
+ 121	1 @ 29
+ 203	0 and delay

- F) The actual matrix preparation time is approximately:

$$\frac{(n+1)(N+2)}{2} (1.30) + .031 (n+1) \quad N = \text{seconds compute time}$$

+ Data read in time

- G) Program stops:

Lo + 39 BP 4 after initialization
Lo + 42 BP 8 after last record of matrix prep.
Lo + 159 BP 4 after each record, except last
Lo + 214 BP 4 after printing matrix

FLOATING POINT MATRIX PREPARATION

Operating Procedure

Prepare the data tape as per instructions under input and fill the required storage locations 6233-6237 as under restriction 3. Insert the data tape in reader and transfer to the routine Lo or use a main program with the required linkage.

After initialization a stop (BP 4) in Lo + 39 will occur. Depression of start compute lever will cause the first record to be read, the necessary computation for that record and an exit to (BP 4) in Lo + 159 prior to reading the next record. (This feature allows for machine stoppage on large problems)

After all records have been processed, the program will halt on BP 8 in Lo + 42. If it is desired to eliminate the floating point matrix print out, depress transfer control before continuing the program. This causes a transfer to Lo + 214 (BP 4) the end of the print sequence. (NOTE: Depression of the transfer control switch during the printing operation will cause an exit from the print routine at the end of the particular line being printed).

A start compute signal will transfer control back to the main program.

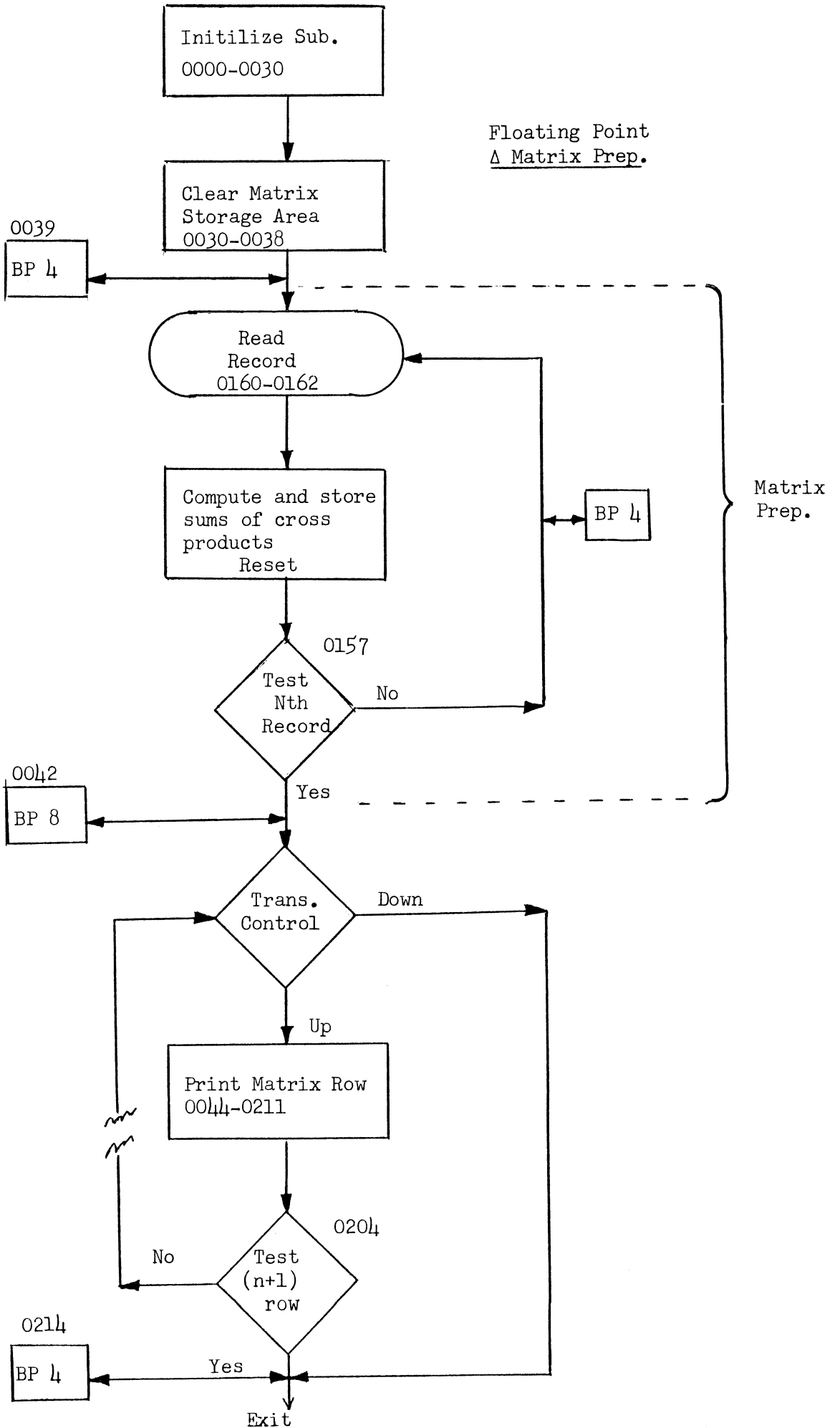
SAMPLE PROBLEM FLOATING POINT Δ MATRIX PREP.

;006233'xz0003'	no. variables	}	External Storage
;006234'xz0005'	no. records		
;006235'xz6200'	Lo. record		
;006236'xz5000'	Lo. Δ matrix		
;006237'xz1200'	Lo. floating point		

.0003000' transfer to matrix prep. data follows

+006200'1'1'4'1'-0000000''	}	Data
+006200'1'1'4'3'-0000000''		
+006200'1'3'3'2'-0000000''		
+006200'1'6'2'5'-0000000''		
+006200'1'8'1'4'-0000000''		

.5000000	01	.1800000	02	.1300000	02	.1500000	02
		.1100000	03	.2500000	02	.7100000	02
				.4500000	02	.3200000	02
						.5500000	02



LGP-30 CODING SHEET

PREPARED FOR: LGP-30, RPC-4000 Users' Organization - POOL				PAGE 2	OF 5
JOB NO.	PROGRAM NO. F2-130	PROGRAM PREPARED BY: Burggrabe	PROGRAM CHECKED BY: POOL Review	DATE 4-29-59	
PROBLEM: Floating Point Δ Matrix Prep				TRACK 00	

PROGRAM INPUT CODES	STOP	LOCATION	INSTRUCTION		STOP	CONTENTS OF ADDRESS	NOTES
			OPERATION	ADDRESS			
	/						
	/	<input checked="" type="checkbox"/>					
		0 0 3 2	C	[, , ,]	/	Σ area	
		3 3	B	0 0 3 2	/		
		3 4	A	0 1 1 1	/	1 @ 29	
		3 5	Y	0 0 3 2	/	<input checked="" type="checkbox"/>	
		3 6	E	0 1 1 2	/		
		3 7	X S	6 2 6 0	/		
		3 8	T	0 0 3 1	/		
		3 9	X Z	0 4 0 0	/	<input checked="" type="checkbox"/>	
		4 0	R	0 1 2 2	/	} Matrix Prep Linkage	
		4 1	U	0 1 6 0	/		
		4 2	X Z	0 8 0 0	/		
		4 3	8 0 0 T	0 2 1 4	/	<input checked="" type="checkbox"/>	Skip matrix Print
		4 4	X B	6 2 6 1	/		n + 1 @ 29
		4 5	X C	6 2 5 9	/		ctr 1 \rightarrow (n+1)
		4 6	X C	6 2 5 8	/		ctr 2 \rightarrow 0
		4 7	R	[, , ,]	/	<input checked="" type="checkbox"/>	F.P. linkage
		4 8	U	[, , ,]	/		
		4 9	B	[, , ,]	/		n
		5 0	X P	0 0 0 0	/		$\Sigma X_i X_{jn}$ Print $\Sigma X_i X_j$
		5 1	X E	0 0 0 0	/	<input checked="" type="checkbox"/>	Exit F.P.
		5 2	B	0 0 4 9	/		
		5 3	A	0 1 1 1	/		1 @ 29
		5 4	Y	0 0 4 9	/		
		5 5	X B	6 2 5 8	/	<input checked="" type="checkbox"/>	ctr 2
		5 6	A	0 1 1 1	/		1 @ 29
		5 7	X H	6 2 5 8	/		
		5 8	X S	6 2 5 9	/		ctr 1
		5 9	T	0 0 4 7	/	<input checked="" type="checkbox"/>	
		6 0	X P	1 6 0 0	/		cr. end of line
		6 1	X C	6 2 5 8	/		ctr 2 \rightarrow 0
		6 2	X B	6 2 5 9	/		ctr 1 (Line number)
		6 3	U	0 2 0 0	/	<input checked="" type="checkbox"/>	

LGP-30 CODING SHEET

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JOB NO.	PROGRAM NO. F2-130	PROGRAM PREPARED BY: Burggrabe	PROGRAM CHECKED BY: POOL Review	DATE 4-29-59	
PROBLEM: Floating Point Δ Matrix Prep				TRACK 01	

PROGRAM INPUT CODES	STOP	LOCATION	INSTRUCTION		STOP	CONTENTS OF ADDRESS	NOTES
			OPERATION	ADDRESS			
		<input checked="" type="checkbox"/>					
		0, 1, 0, 0	[Lo Δ Matrix	
		0 1	R	[
		0 2	U	[
		0 3	P	[<input checked="" type="checkbox"/> X_1	
		0 4	M	[X_1	
		0 5	A	[$\sum_k X_i X_j$	
		0 6	H	[$\sum_{k+1} X_i X_j$	
		0 7	X E	0 0 0 0		<input checked="" type="checkbox"/>	
		0 8	B	0 1 0 5			
		0 9	U	0 1 2 5			
, 0 0 0 0 0 0 8		1 0	[Data Lo	
		1 1		4		<input checked="" type="checkbox"/> 1 @ 29	
		1 2		3 w w j		Mask	
		1 3		1 0 0 0 0 0 0 0		1 @ 3	
		1 4	[Data $L_f + 1$	
		1 5		8 1 0 0 0		<input checked="" type="checkbox"/> cr in hex	
		1 6				delay	
		1 7		8 1 0 0 0		(Hex) cr in hex	
		1 8		U 0 1 2 1		Exit Path	
, 0 0 0 0 0 0 6		1 9		4		<input checked="" type="checkbox"/> 1 @ 29	
		2 0				-n @ 29	
		2 1		4		1 @ 29 & delay	
		2 2		U [Exit Matrix Prep.	
		2 3				<input checked="" type="checkbox"/>	
		2 4		4		1 @ 29	
		2 5		A 0 1 1 1		1 @ 29	
		2 6		Y 0 1 0 5			
		2 7		Y 0 1 0 6		<input checked="" type="checkbox"/>	
		2 8		U 0 1 3 1			
		2 9					
		3 0					
		3 1		B 0 1 0 3		<input checked="" type="checkbox"/>	

LGP-30 CODING SHEET

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JOB NO.	PROGRAM NO. F2-130	PROGRAM PREPARED BY: Burggrabe	PROGRAM CHECKED BY: POOL Review
PROBLEM: Floating Point Δ Matrix Prep			DATE 4-29-59
			TRACK 01

PROGRAM INPUT CODES	STOP	LOCATION	INSTRUCTION		STOP	CONTENTS OF ADDRESS	NOTES
			OPERATION	ADDRESS			
		0 1 3 2	A	0 1 1 1		1 @ 29	
			E	0 1 1 2		3wwj mask	
			Y	0 1 0 3			
			S	0 1 1 4		<input checked="" type="checkbox"/> Data L _f +1	
			T	0 1 0 1			
			U	0 1 4 5			
			Y	0 1 0 3			
			Y	0 1 0 4		<input checked="" type="checkbox"/>	
			E	0 1 1 2		3wwj mask	
			U	0 1 4 2			
			S	0 1 1 4			
			T	0 1 0 1		<input checked="" type="checkbox"/>	
			U	0 1 4 8			
			B	0 1 2 4		1 @ 29	
			A	0 1 0 4			
			U	0 1 3 8		<input checked="" type="checkbox"/>	
			B	0 1 0 0		Lo Δ Matrix	
			Y	0 1 0 6			
			Y	0 1 0 5			
			B	0 1 1 0		<input checked="" type="checkbox"/> Lo Data	
			Y	0 1 0 3		Lo Data	
			Y	0 1 0 4			
			B	0 1 1 9			
			A	0 1 2 0		<input checked="" type="checkbox"/> -N @ 29	
			H	0 1 2 0			
			T	0 1 5 9			
			U	0 1 1 5		Exit Path →	
			X, Z	0 4 0 0		<input checked="" type="checkbox"/> BP 4 stop after each record	
			R	[]		← U here	
			U	[]		for Matrix prep portion	
			X, I	0 0 0 0		Input data	
			U	0 1 0 3		<input checked="" type="checkbox"/>	

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JOB NO.	PROGRAM NO. F2-130	PROGRAM PREPARED BY: Burggrabe	PROGRAM CHECKED BY: POOL Review	DATE 4-29-59
PROBLEM: Floating Point Δ Matrix Prep				TRACK 02

PROGRAM INPUT CODES	STOP	LOCATION	INSTRUCTION		STOP	CONTENTS OF ADDRESS	NOTES
			OPERATION	ADDRESS			
	/						
	/	<input checked="" type="checkbox"/>					
		0 2 0 0	S	0 1 1 1	/	1 @ 29	
		0 1	X H	6 2 5 9	/		
		0 2	S	0 1 1 1	/	1 @ 29	
		0 3	X Z	0 0 0 0	/	<input checked="" type="checkbox"/> delay & 0	
		0 4	8 0 0 T	0 2 1 2	/	→ Exit Path	finished last line
		0 5	X S	6 2 3 3	/	n @ 29	(How many tabs)
		0 6	T	0 2 0 8	/		
		0 7	U	0 0 4 7	/	<input checked="" type="checkbox"/> Print next	line of numbers
		0 8	X P	2 4 0 0	/	tab	
		0 9	X Z	0 0 0 0	/	delay	
		1 0	A	0 1 1 1	/	1 @ 29	
		1 1	U	0 2 0 6	/	<input checked="" type="checkbox"/>	
		1 2	X P	1 6 0 0	/	cr.	
		1 3	X Z	0 0 0 0	/		
		1 4	X Z	0 4 0 0	/	B.P. 4 stop	after printing
		1 5	U	[]	/	<input checked="" type="checkbox"/>	
		1 6			/		
		1 7			/		
		1 8			/		
		1 9			/	<input checked="" type="checkbox"/>	
		2 0			/		
		2 1			/		
		2 2			/		
		2 3			/	<input checked="" type="checkbox"/>	
		2 4			/		
		2 5			/		
		2 6			/		
		2 7			/	<input checked="" type="checkbox"/>	
		2 8			/		
		2 9			/		
		3 0			/		
		3 1			/	<input checked="" type="checkbox"/>	

TITLE: Triangular Matrix Scaling

AUTHOR: William F. Burggrabe
Compumatix, Incorporated

DATE: September 4, 1959

PURPOSE: Given a matrix in floating point of the form ...

$$\begin{array}{ccccccc}
 N & \Sigma & \frac{X_1}{C_1} & & \Sigma & \frac{X_2}{C_2} & \dots & \Sigma & \frac{X_n}{C_n} \\
 & & \Sigma & \left(\frac{X_1}{C_1} \right)^2 & & \Sigma & \frac{X_1}{C_1} \times \frac{X_2}{C_2} & \dots & \Sigma & \frac{X_1}{C_1} \times \frac{X_n}{C_n} \\
 & & & & & & & & & \Sigma & \left(\frac{X_n}{C_n} \right)^2
 \end{array}$$

And scale factors 1, C_1 , C_2 ... C_n compute the matrix.

$$\begin{array}{ccccccc}
 N & \Sigma & X_1 & & \Sigma & X_2 & \Sigma & X_3 & \dots & \Sigma & X_n \\
 & & \Sigma & X_1^2 & & \Sigma & X_1 X_2 & \dots & & \Sigma & X_1 X_n \\
 & & & & & & & & & & \Sigma & X_n^2
 \end{array}$$

RESTRICTIONS:

- 1) The following locations must contain:
 - 6236 Lo matrix
 - 6237 Lo floating point 24.0
 - 6241 Lo scale factors
 - 6261 (n+1) @ 29 - Matrix order
- 2) The scale factors in floating point must be stored in the same order as the matrix components.
- 3) Normal Limitations of 24.0, 11.6 - 12.6.
- 4) All scale factors must be stored. (i.e.) Where a scale factor is unity it must be stored

$$(1 \times 1 \times N = N, 1 \times C_1 \times \frac{X_1}{C_1} = X_1, \text{ etc.})$$

CODING INFORMATION:

- A) Subroutine storage - 41 sectors

External storage	6236	Lo Δ Matrix
	6237	Lo Floating Point
	6241	Lo scale factors
	6260	Temp storage
	6261	(n+1) @ 29*

- B) Linkage

R	Lo + 40
U	Lo

- C) Input - the following must be stored in memory

- 1) Δ Matrix in floating point
- 2) Scale factors in floating point

- D) Output Scaled Δ matrix. Stored in the same location as unscaled matrix.

- E) Constants

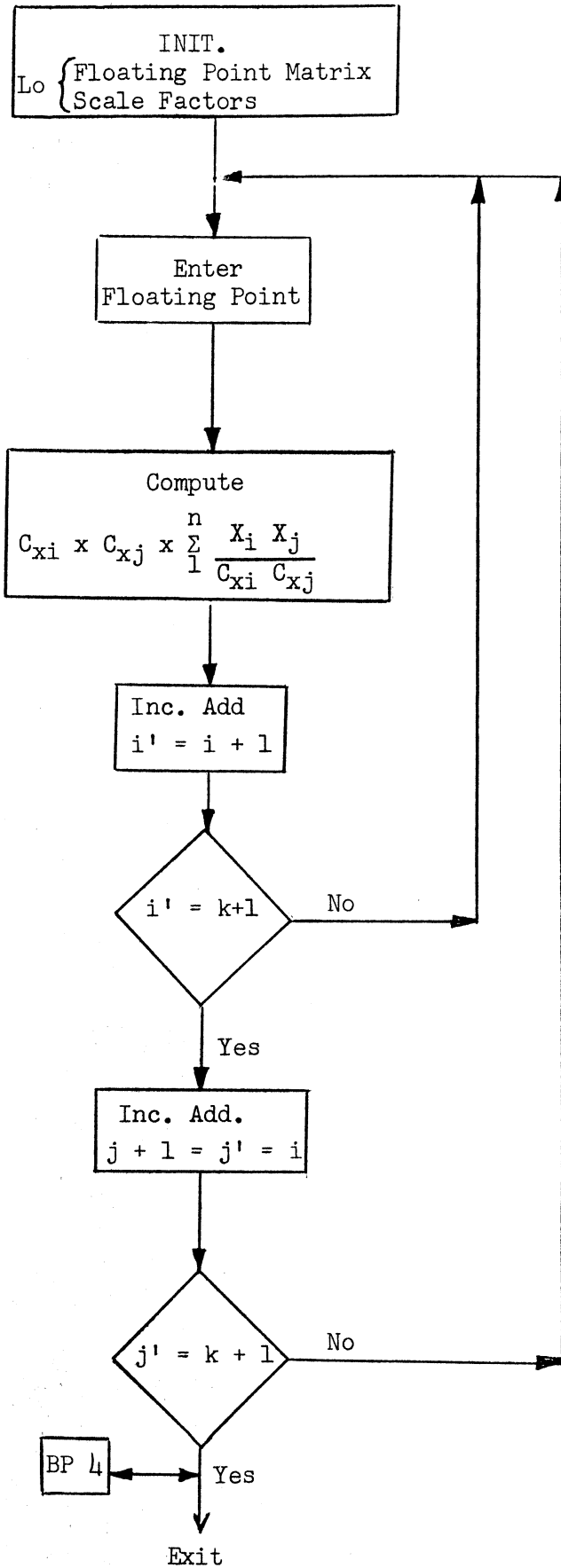
Lo + 30	XZ6363 Mask
Lo + 31	1 @ 29

- F) Timing (n+1)(n+2) x .65 sec.

* From CI Δ matrix prep. routines.

Δ

MATRIX SCALING



PREPARED FOR: LGP-30, RPC-4000 Users' Organization - POOL				PAGE 1 / 2
JOB NO.	PROGRAM NO. F2-130	PROGRAM PREPARED BY: Burggrabe	PROGRAM CHECKED BY: POOL Review	DATE 4-9-59
PROBLEM: Matrix Scale				TRACK 00

PROGRAM INPUT CODES	STOP	LOCATION	INSTRUCTION		STOP	CONTENTS OF ADDRESS	NOTES
			OPERATION	ADDRESS			
	/						
	/	⊗					
		0,0,0,0	XB	6,2,3,7	/	Lo F. P.	
		0,1	Y	0,0,1,1	/		
		0,2	Y	0,0,1,2	/		
		0,3	XB	6,2,3,6	/	⊗ Lo Matrix	
		0,4	Y	0,0,1,3	/		
		0,5	Y	0,0,1,7	/		
		0,6	XB	6,2,4,1	/	Lo Scale Factors	
		0,7	Y	0,0,1,4	/	⊗	
		0,8	Y	0,0,1,6	/		
		0,9	XA	6,2,6,1	/	(n+1) @ 29 → L _F +1 (Scale Factors)	
		1,0	XY	6,2,6,0	/		
		1,1	R	[]	/	⊗ F.P. Linkage	
		1,2	U	[]	/		
		1,3	P	[]	/	Σ X _i X _j	
		1,4	M	[]	/	C X _i	
		1,5	XU	0,0,0,0	/	⊗ Acc → Mult.	
		1,6	M	[]	/	C X _i	
		1,7	H	[]	/	C X _i C X _j Σ X _i X _j	
		1,8	XE	0,0,0,0	/	Exit F.P.	
		1,9	B	0,0,1,3	/	⊗ Add of Σ X _i X _j	
		2,0	A	0,0,3,1	/	1 @ 29	
		2,1	Y	0,0,1,3	/		
		2,2	Y	0,0,1,7	/		
		2,3	B	0,0,1,4	/	⊗ Add. of CX _i	
		2,4	A	0,0,3,1	/	1 @ 29	
		2,5	Y	0,0,1,4	/		
		2,6	E	0,0,3,0	/	Mask	
		2,7	XS	6,2,6,0	/	⊗ L _F +1 of CX's	
		2,8	T	0,0,1,1	/	Loop	
		2,9	U	0,0,3,2	/		
		3,0	XZ	6,3,6,3	/	Mask	
		3,1	XZ	0,0,0,1	/	⊗ 1 @ 29	

LGP-30 CODING SHEET

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JOB NO.	PROGRAM NO. F2-130	PROGRAM PREPARED BY: Burggrabe	PROGRAM CHECKED BY: POOL Review	DATE 4-9-59
PROBLEM: Matrix Scale			TRACK 00	

PROGRAM INPUT CODES	STOP	LOCATION	INSTRUCTION		STOP	CONTENTS OF ADDRESS	NOTES
			OPERATION	ADDRESS			
	/						
	/	0 0					
	/	3 2	B	0 0 1 6	/		
	/	3 3	A	0 0 3 1	/	1 @ 29	
	/	3 4	Y	0 0 1 4	/		
	/	3 5	Y	0 0 1 6	/	☒	
	/	3 6	E	0 0 3 0	/		
	/	3 7	X	S 6 2 6 0	/		
	/	3 8	T	0 0 1 1	/	loop	
	/	3 9	X	Z 0 4 0 0	/	☒ BP 4 stop after scaling	
	/	4 0	U	[]	/		
	/	4 1			/		
	/	4 2			/		
	/	4 3			/	☒	
	/	4 4			/		
	/	4 5			/		
	/	4 6			/		
	/	4 7			/	☒	
	/	4 8			/		
	/	4 9			/		
	/	5 0			/		
	/	5 1			/	☒	
	/	5 2			/		
	/	5 3			/		
	/	5 4			/		
	/	5 5			/	☒	
	/	5 6			/		
	/	5 7			/		
	/	5 8			/		
	/	5 9			/	☒	
	/	6 0			/		
	/	6 1			/		
	/	6 2			/		
	/	6 3			/	☒	

TITLE: Calculation of means, standard deviations and correlation coefficient triangular matrix

AUTHOR: William F. Burggrabe, Jr.
Compumatix, Incorporated

DATE: September 23, 1959

PURPOSE: Given a floating point Δ matrix as prepared by either the fixed or floating point Δ matrix preparation subroutine, compute the means, standard deviations and the all simple correlation coefficients.

n = Number variables

N = Number records

The R_{ij} matrix replaces all cross product terms in the original matrix. The means and standard deviations (n values each) will be stored in the correct order starting in the L_0 specified. Each value is printed out in normal floating point form as computed. (See sample problem).

RESTRICTIONS:

1) Normal restrictions of 24.0, 11.6 - 12.6

2) Required computational storage

mean L_0 thru $L_0 + (n-1)$

σ_x L_0 thru $L_0 + (n-1)$

Δ Data matrix L_0 thru $L_0 + \frac{(n+1)(n+2)}{2} - 1$

Δ R_{ij} matrix replaces all but first row of Δ data matrix

3) The following information must be supplied:

Location 6233	n @ 29
6236	L_0 Δ data matrix
6237	L_0 floating point
6238	L_0 means
6239	L_0 standard deviations

6258)

6259) Temp. storage area

6260)

6261 n + 1 @ 29*

* Supplied by Compumatix, Inc. Δ Matrix Prep. Progs.

4) Output: 24.0 - 12.6 format

GENERAL INFORMATION ON METHOD:

The equations used are:

$$1) \quad \bar{X}_i = \frac{\sum X_i}{N}$$

2) Standard deviation

$$\sigma_{x_i} = \sqrt{\frac{\sum X_i^2}{N} - (\bar{X})^2}$$

3) Correlation coefficient

$$R_{ij} = \frac{\frac{\sum X_i X_j}{N} - \bar{X}_i \bar{X}_j}{\sigma_{x_i} \sigma_{x_j}}$$

CODING INFORMATION:

A) Storage - subroutine 2 tracks and 17 sectors

Calculated storage as described above under
"restrictions" 2 and 3

B) No calling sequence required.

Linkage (R Lo + 216
 (U Lo

C) Input: None

D) Output: Format of 24.0 - 12.6

All answers are printed as computed. The correct number of tabs precedes the printing of each diagonal element of rij matrix (see sample problem). The tabs may be eliminated by changing t[0209] in 0207 to u[0208] or u0127.

E) Constants 0024 1 @ 29
 0201 XZ6363 mask

and areas mentioned under Restriction (3).

F) Timing: The approximate times including printing are:

Means: 3 n sec.

Standard deviations: 4 n sec.

rij matrix: $n(n+1)$ x 2.25 sec.

Where n is the total number of variables.

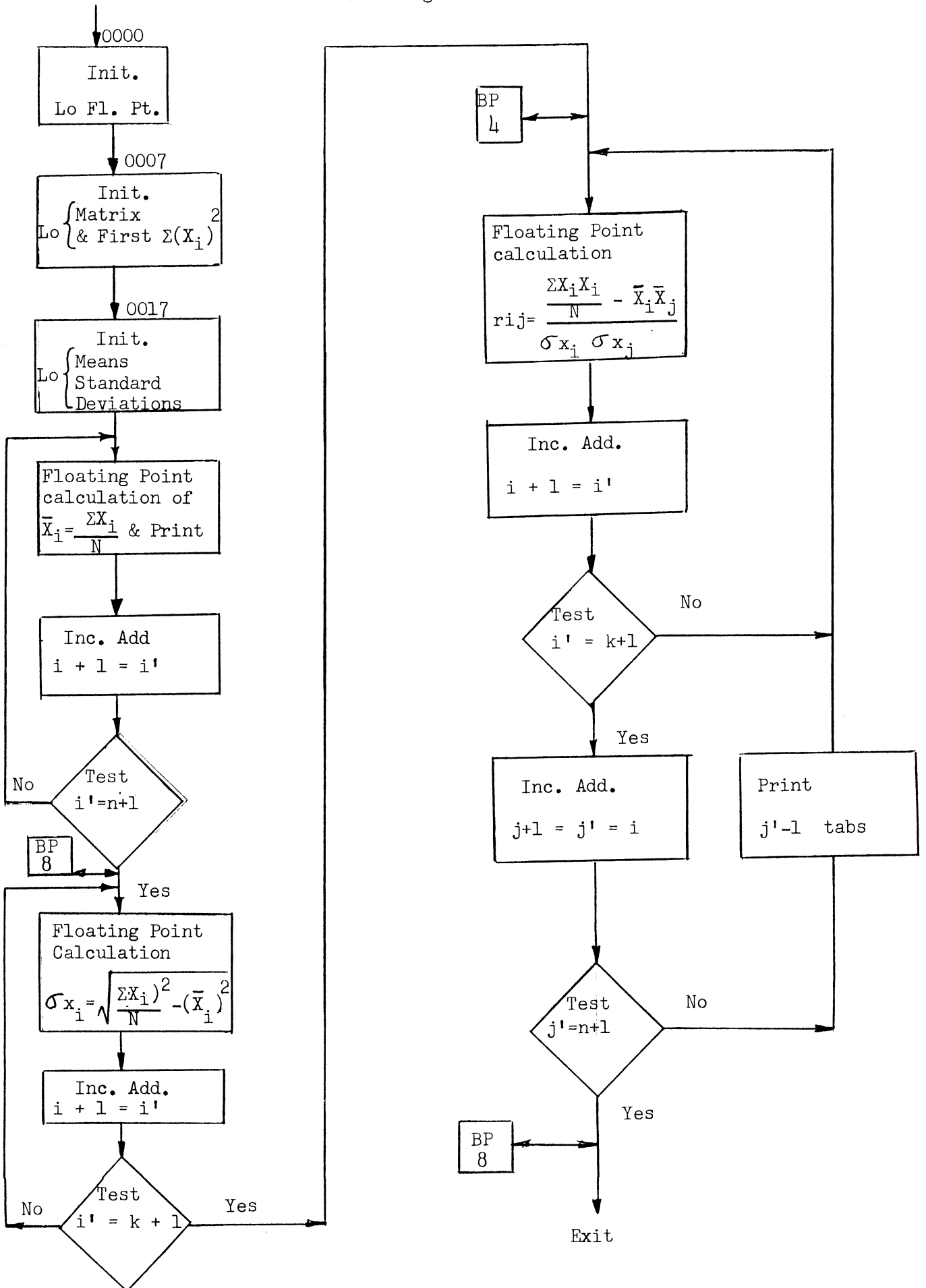
G) Program stops:

0051 Breakpoint 8 \bar{x}_i calculations complete

0022 Breakpoint 4 σx_i calculation complete

0215 Breakpoint 8 rij calculation complete

Flow Diagram
 Calculation of Means, Standard Deviations and
 Correlation Coefficient Triangular Matrix
 Floating Point



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JOB NO.	PROGRAM NO. F2-130	PROGRAM PREPARED BY: Burggrabe	PROGRAM CHECKED BY: POOL Review	DATE 4-20-59
PROBLEM: Given: A Matrix: Compute & Print $\bar{X}_j, \sigma_{x_j}, R_{ij}$ Matrix (F.P.)				TRACK 00

PROGRAM INPUT CODES	STOP	LOCATION	INSTRUCTION		STOP	CONTENTS OF ADDRESS	NOTES
			OPERATION	ADDRESS			
		<input checked="" type="checkbox"/>					
		0 0 0 0	X B	6 2 3 7		Lo Floating Point	
		0 1	Y	0 0 3 3		mean } sub	
		0 2	Y	0 0 3 4		mean } sub	
		0 3	Y	0 0 5 5		<input checked="" type="checkbox"/>	
		0 4	Y	0 0 5 6			
		0 5	Y	0 1 2 7		rij } sub	
		0 6	Y	0 1 2 8		rij } sub	
		0 7	X B	6 2 3 6		<input checked="" type="checkbox"/> Lo A Matrix	
		0 8	Y	0 0 3 6		mean } sub	
		0 9	Y	0 0 6 1		σ } Lo of N	
		1 0	Y	0 1 3 3		rij } sub	
		1 1	A	0 0 2 4		<input checked="" type="checkbox"/> 1 @ 29	
		1 2	Y	0 0 3 5		Lo first $\sum(X_j)^n$ (For mean)	
		1 3	X A	6 2 3 3		gives Lo first $\sum(X_j)^2$ (N @ 29)	
		1 4	Y	0 0 6 0		σx_j sub	
		1 5	Y	0 1 3 2		<input checked="" type="checkbox"/> rij } sub	
		1 6	Y	0 1 3 7		rij } sub	
		1 7	X B	6 2 3 8		Lo mean	
		1 8	Y	0 0 3 7		mean sub	
		1 9	Y	0 0 5 7		<input checked="" type="checkbox"/> σx_j } sub	
		2 0	Y	0 0 5 8		σx_j } sub	
		2 1	Y	0 1 2 9		rij } sub	
		2 2	Y	0 1 3 0		rij } sub	
		2 3	X P	1 6 0 0		<input checked="" type="checkbox"/> cr.	
		2 4	X Z	0 0 0 1		delay & 1 @ 29	
		2 5	X B	6 2 3 9		Lo standard deviations	
		2 6	Y	0 1 0 0		σx_j sub	
		2 7	Y	0 1 3 5		<input checked="" type="checkbox"/>	
		2 8	Y	0 1 3 6			
		2 9	X B	6 2 3 6		Lo A Matrix	
		3 0	X A	6 2 6 1		n + 1 @ 29	
		3 1	X C	6 2 6 0		<input checked="" type="checkbox"/> Mean $L_f + 1$ to test out	

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JOB NO.	PROGRAM NO. F2-130	PROGRAM PREPARED BY: Burggrabe	PROGRAM CHECKED BY: POOL Review	DATE 4-20-59	
PROBLEM: Given: Δ Matrix; Compute & Print \bar{X}_i, σ_{x_i} Rij Matrix (F.P.)				TRACK 00	

PROGRAM INPUT CODES	STOP	LOCATION	INSTRUCTION		STOP	CONTENTS OF ADDRESS	NOTES
			OPERATION	ADDRESS			
	/						
	/	<input checked="" type="checkbox"/>					
		0,0,3,2	X,P	1,6,0,0	/	cr.	
		3,3	R	[]	/	F. Point	
		3,4	U	[]	/		
		3,5	B	[]	<input checked="" type="checkbox"/>	n ΣX_i	
		3,6	D	[]	/	No. of records	
		3,7	H	[]	/	\bar{X}_i	
		3,8	X,P	0,0,0,0	/	Print \bar{X}_i	
		3,9	X,E	0,0,0,0	<input checked="" type="checkbox"/>	Exit Floating Point	
		4,0	B	0,0,3,7	/	Add \bar{X}_i	
		4,1	A	0,0,2,4	/	1 @ 29	
		4,2	Y	0,0,3,7	/		
		4,3	B	0,0,3,5	<input checked="" type="checkbox"/>	Add. ΣX_i	
		4,4	A	0,0,2,4	/	1 @ 29	
		4,5	Y	0,0,3,5	/		
		4,6	E	0,2,0,1	/	3wwj mask	
		4,7	X,S	6,2,6,0	<input checked="" type="checkbox"/>		
		4,8	T	0,0,3,3	/	loop back	n times
		4,9	X,P	1,6,0,0	/	cr.	
		5,0	X,Z	0,0,0,0	/	delay	
		5,1	X,Z	0,8,0,0	<input checked="" type="checkbox"/>	BP 8 stop after means	
		5,2	X,B	6,2,6,1	/	(n+1) @ 29	
		5,3	X,C	6,2,6,0	/	Temp 1 (ctr)	
		5,4	X,P	1,6,0,0	/	Δ Matrix $L_f + 1$ (set for σ_{x_i}) (Temp 1)	
		5,5	R	[]	<input checked="" type="checkbox"/>	F.P.	
		5,6	U	[]	/		
		5,7	P	[]	/	\bar{X}_i	
		5,8	M	[]	/	\bar{X}_i	
		5,9	X,H	6,2,5,9	<input checked="" type="checkbox"/>	Temp 2	$(\bar{X}_i)^2$
		6,0	B	[]	/	n ΣX_i^2	
		6,1	D	[]	/	No of records	
		6,2	X,S	6,2,5,9	/	\bar{X}_i^2	
		6,3	X,R	0,0,0,0	<input checked="" type="checkbox"/>	$\sqrt{\quad}$	

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JOB NO.	PROGRAM NO. F2-130	PROGRAM PREPARED BY: Burggrabe	PROGRAM CHECKED BY: POOL Review	DATE 4-20-59	
PROBLEM: Given: Δ Matrix; Computes & Print X_i, σ_{xi}, R_{ij} Matrix (F.P.)				TRACK 00	

PROGRAM INPUT CODES	STOP	LOCATION	INSTRUCTION		STOP	CONTENTS OF ADDRESS	NOTES
			OPERATION	ADDRESS			
	/						
	/	<input checked="" type="checkbox"/>					
		0 1, 0 0	H	[]		Standard Deviation	
		0 1	X, P	0 0, 0 0		Print stand. Div.	
		0 2	X, E	0 0, 0 0			
		0 3	B	0 0, 5 7	<input checked="" type="checkbox"/>	Add. of \bar{X}_i	
		0 4	A	0 0, 2 4		1 @ 29	
		0 5	Y	0 0, 5 7			
		0 6	Y	0 0, 5 8			
		0 7	B	0 1, 0 0	<input checked="" type="checkbox"/>	Add of σ_{xi}	
		0 8	A	0 0, 2 4		1 @ 29	
		0 9	Y	0 1, 0 0			
		1 0	X, B	6 2, 6 0		Temp 1 (n+1, n, n-1, etc.)	
		1 1	S	0 0, 2 4	<input checked="" type="checkbox"/>	1 @ 29	
		1 2	X, H	6 2, 6 0		Temp 1	
		1 3	A	0 0, 6 0		Add. of $\sum X_i^2$	
		1 4	Y	0 0, 6 0			
		1 5	B	0 0, 2 4	<input checked="" type="checkbox"/>	1 @ 29	
		1 6	X, S	6 2, 6 0		Temp 1 (Test out when = 1)	
		1 7	T	0 0, 5 5		loop back (n times)	
		1 8	X, P	1 6, 0 0		cr.	
		1 9	X, Z	0 0, 0 0	<input checked="" type="checkbox"/>		
		2 0	X, P	1 6, 0 0		cr.	
		2 1	X, Z	0 0, 0 0			
		2 2	X, Z	0 4, 0 0		Bp. 4 stop after σ_{xi} cal.	
		2 3	X, B	6 2, 3 8	<input checked="" type="checkbox"/>	Lo mean	
		2 4	X, A	6 2, 3 3		n @ 29	
		2 5	X, C	6 2, 6 0		mean $L_f + 1$ (Temp 1)	
		2 6	X, C	6 2, 5 9		tab counter (Temp 2)	
		2 7	R	[]	<input checked="" type="checkbox"/>	F.P.	
		2 8	U	[]			
		2 9	P	[]		\bar{X}_i	
		3 0	M	[]		\bar{X}_j	
		3 1	X, H	6 2, 5 8	<input checked="" type="checkbox"/>	Temp 3 (\bar{X}_i, \bar{X}_j)	

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JOB NO.	PROGRAM NO. F2-130	PROGRAM PREPARED BY: Burggrabe	PROGRAM CHECKED BY: POOL Review	DATE 4-20-59
PROBLEM: Given: Δ Matrix; Computes & Print X_i, σ_{xi}, R_{ij} Matrix (F.P.)				TRACK 02

PROGRAM INPUT CODES	STOP	LOCATION	INSTRUCTION		STOP	CONTENTS OF ADDRESS	NOTES
			OPERATION	ADDRESS			
	/						
	/	<input checked="" type="checkbox"/>					
		Q 2 0 0	U	Q 2 1 3	/	Exit Path →	
		0 1	X Z	6 3 6 3	/	mask for extract's	
		0 2	X P	1 6 0 0	/	cr.	
		0 3	X B	6 2 5 9	/	<input checked="" type="checkbox"/> tab ctr	
		0 4	A	Q 0 2 4	/	1 @ 29	} increase tab ctr by 1
		0 5	X C	6 2 5 9	/		
		0 6	X S	6 2 5 9	/	make acc. negative	
		0 7	T	Q 2 0 9	/	<input checked="" type="checkbox"/> print tab	
		0 8	U	Q 1 2 7	/	Exit tab loop	
		0 9	X Z	Q 0 0 0	/	delay	
		1 0	X P	2 4 0 0	/	tab	
		1 1	A	Q 0 2 4	/	<input checked="" type="checkbox"/> 1 @ 29	
		1 2	U	Q 2 0 7	/	loop	
		1 3	X P	1 6 0 0	/	cr.	
		1 4	X Z	Q 0 0 0	/		
		1 5	X Z	Q 8 0 0	/	<input checked="" type="checkbox"/>	
		1 6	U	[]	/		
		1 7			/		
		1 8			/		
		1 9			/	<input checked="" type="checkbox"/>	
		2 0			/		
		2 1			/		
		2 2			/		
		2 3			/	<input checked="" type="checkbox"/>	
		2 4			/		
		2 5			/		
		2 6			/		
		2 7			/	<input checked="" type="checkbox"/>	
		2 8			/		
		2 9			/		
		3 0			/		
		3 1			/	<input checked="" type="checkbox"/>	

TITLE: Convert triangular Rij matrix to a square Rij matrix -- modified.

AUTHOR: William F. Burggrabe, Jr.
Compumatix, Incorporated

DATE: October 13, 1959

PURPOSE: Given a triangular matrix as prepared by the subroutine "Calculation of Means, Standard Deviations and Δ Correlation Coefficient Matrix", convert the Δ correlation coefficient portion to a square Rij matrix with the initial location of Δ Rij equal to the initial location of the \square Rij. This routine also sets automatically location 6240 to the correct address.

RESTRICTIONS:

- A) The Lo Δ Rij matrix = Lo \square Rij matrix
- B) The entire subroutine is in fixed point and will operate on both fixed and floating point format matrices, but will not operate on matrices in an extended range format.
- C) External storage as on attached sheet.

METHOD: The subroutine takes advantage of the symmetry of the matrix and sets cell $ij = cell\ ji$. A looping process builds both the row and column cells of the square matrix while stepping through the matrix from the bottom.

CODING INFORMATION:

- A) Storage: 56 sectors
- B) Constants: Lo + 51 1 @ 2
Lo + 52 1 @ 29
Lo + 53 Mask
- C) Linkage: R [Lo + 55]
U [Lo]
- D) Stops: Break point 4 at end of conversion
- E) Timing: Approximately $\frac{n(n+1)}{6}$ seconds.

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JOB NO.	PROGRAM NO. F2-130	PROGRAM PREPARED BY: Burggrabe	PROGRAM CHECKED BY: POOL Review	DATE 10-13-59
PROBLEM: External Storage $\Delta \rightarrow \square$ Rij Modified				TRACK 62

PROGRAM INPUT CODES	A STOP	LOCATION	INSTRUCTION		STOP	CONTENTS OF ADDRESS	NOTES
			OPERATION	ADDRESS			
	/						
	/	<input checked="" type="checkbox"/>					
		6 2 3 2			/		
		3 3	X Z []		/	n @ 29	No variables *
		3 4			/		
		3 5			/	<input checked="" type="checkbox"/>	
		3 6	X Z []		/	Lo Δ Data Matrix	*
		3 7			/		
		3 8			/		
		3 9			/	<input checked="" type="checkbox"/>	
		4 0	X Z []		/	Lo \square rij Matrix	
		4 1			/		
		4 2			/		
		4 3			/	<input checked="" type="checkbox"/>	
		4 4			/		Note: * These locations
		4 5			/		must be filled prior
		4 6			/		to entry into the
		4 7			/	<input checked="" type="checkbox"/>	subroutine.
		4 8			/		
		4 9			/		
		5 0			/		Note [✓] : These locations
		5 1			/	<input checked="" type="checkbox"/>	normally filled by
		5 2			/		Δ Matrix Prep sub.
		5 3			/		
		5 4			/		
		5 5			/	<input checked="" type="checkbox"/>	
		5 6			/		
		5 7			/		
		5 8	[]		/		
		5 9	[]		/	<input checked="" type="checkbox"/> Temp storage	
		6 0	[]		/		
		6 1	[]		/	n + 1 @ 29	* ✓
		6 2			/		
		6 3	[]		/	<input checked="" type="checkbox"/> $\frac{(n+1)(n+2)}{2}$ @ 29	* ✓

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JOB NO.	PROGRAM NO. F2-130	PROGRAM PREPARED BY: Burggrabe	PROGRAM CHECKED BY: POOL Review	DATE 10-10-59	
PROBLEM: Δ Rij → □ Rij Matrix Conversion				TRACK 00	

PROGRAM INPUT CODES	STOP	LOCATION	INSTRUCTION		STOP	CONTENTS OF ADDRESS	NOTES
			OPERATION	ADDRESS			
; 0 0 0 Lo	/						
/ 0 0 0 Lo	/	⊗					
		0 0 0 0	X, B	6 2 3 6	/	Lo Δ data Matrix	
		0 1	X A	6 2 6 3	/	$(n+1)(n+2)@$	29
		0 2	S	0 0 5 2	/	1 @ 29	
		0 3	Y	0 0 1 7	/	⊗ B []	L _f Δ data matrix
		0 4	X, B	6 2 3 6	/	Lo Δ data matrix	
		0 5	X, A	6 2 6 1	/	n + 1 @ 29	
		0 6	X, C	6 2 4 0	/	Lo Δ rij matrix & Lo □ rij matrix	
		0 7	X, C	6 2 6 0	/	⊗ Temp# 1 → 0	} Init. ctr's
		0 8	X, C	6 2 5 9	/	Temp# 2 → 0	
		0 9	X, C	6 2 5 8	/	Temp# 3 → 0	
		1 0	X, B	6 2 3 3	/	n @ 29	
		1 1	X, N	6 2 3 3	/	⊗ n @ 29	
		1 2	M	0 0 5 1	/	1 @ 2 → n ² @ 29	
		1 3	X, A	6 2 4 0	/	Lo □ rij matrix	
		1 4	S	0 0 5 2	/	1 @ 29	L _f □ rij matrix
		1 5	Y	0 0 1 8	/	⊗ H []	
		1 6	Y	0 0 1 9	/	C []	
		1 7	B	[[[]]]	/	rij Δ matrix	
		1 8	H	[[[]]]	/	rij □ (row)	
		1 9	C	[[[]]]	/	⊗ rij □ (Col)	
		2 0	B	0 0 1 7	/	B []	
		2 1	S	0 0 5 2	/	1 @ 29	
		2 2	Y	0 0 1 7	/	B []	
		2 3	B	0 0 1 8	/	⊗ H []	
		2 4	S	0 0 5 2	/	1 @ 29	
		2 5	Y	0 0 1 8	/	H []	
		2 6	X Y	6 2 5 8	/	Temp # 3	
		2 7	B	0 0 1 9	/	⊗ C []	
		2 8	X S	6 2 3 3	/	n @ 29	
		2 9	Y	0 0 1 9	/	C []	
		3 0	E	0 0 5 3	/	3wwj Mask	
		3 1	X S	6 2 5 8	/	⊗ Temp # 3	

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PREPARED FOR: LGP-30, RPC-4000 Users' Organization - POOL				PAGE 2 OF 2
JOB NO.	PROGRAM NO. F2-130	PROGRAM PREPARED BY: Burggrabe	PROGRAM CHECKED BY: POOL Review	DATE 10-10-59
PROBLEM: Δ Rij → □ Rij Matrix Conversion				TRACK 00

PROGRAM INPUT CODES	STOP	LOCATION	INSTRUCTION		STOP	CONTENTS OF ADDRESS	NOTES
			OPERATION	ADDRESS			
	/						
	/	0 0,3 2	T	0 0,3 4	/	Test out	
		3 3	U	0 0,1 7	/	loop	
		3 4	B	0 0,1 9	/	C[]	
		3 5	X, A	6 2,5 9	/	Temp 2	0,1,2,...n-1
		3 6	Y	0 0,1 8	/	H[]	
		3 7	X, B	6 2,5 9	/	Temp 2	} Inc. ctr. 2
		3 8	A	0 0,5 2	/	1 @ 29	
		3 9	X, C	6 2,5 9	/	Temp 2	
		4 0	X, B	6 2,5 8	/	= old H[]	
		4 1	X, A	6 2,6 0	/	Temp 1	0,n,2n...(n-1)n
		4 2	Y	0 0,1 9	/	C[]	
		4 3	X, B	6 2,6 0	/	Temp 1	} Inc. ctr. 1
		4 4	X, A	6 2,3 3	/	n @ 29	
		4 5	X, C	6 2,6 0	/	Temp 1	
		4 6	B	0 0,1 8	/	H[]	
		4 7	E	0 0,5 3	/	3wvj	Mask
		4 8	X, S	6 2,4 0	/	Lo □ rij matrix	
		4 9	T	0 0,5 4	/	test out	
, 0 0 0 0 0 0 3	/	5 0	U	0 0,1 7	/	loop →	
		5 1	2, 0 0 0	0 0 0 0	/	1 @ 2	
		5 2		4	/	1 @ 29	
		5 3		3 w, w j	/	Mask	
		5 4	X, Z	0 4,0 0	/	BP 4 stop after conversion	
. 0 0 0 0 0 0 0	/	5 5	U []		/	Exit	
		5 6			/		
		5 7			/		
		5 8			/		
		5 9			/		
		6 0			/		
		6 1			/		
		6 2			/		
		6 3			/		

TITLE: Compute and Print Matrix Inverse

AUTHOR: William F. Burggrabe, Jr.
Compumatix, Incorporated

DATE: April 24, 1959

PURPOSE: A) Initialize and transfer control to the matrix inversion routine (29.0)
B) Printout the inverse if it is desired (transfer control up).

RESTRICTIONS:

- 1) Normal restrictions of 24.0, 12.6 and 29.0
- 2) See attached sheet for external information that must be supplied.
- 3) Output - 12.6 format

CODING INFORMATION:

- A) Storage: 55 sectors and under two above.
- B) Linkage: R (Lo + 54)
U (Lo)
- C) Input: None
- D) Output: 12.6 format with a carriage return after each row.
NOTE: Transfer control down skips printing to Lo + 53.

E) Constants:

Lo + 28	1 @ 29
Lo + 29	14 @ 29
Lo + 30	XZ0149
Lo + 31	1 @14

F) Timing:

Inversion: Approximately $1.08 n^3$ seconds
Printout: Approximately $2 n^2$ seconds

G) Program Stops:

Lo + 15*	B.P. 8 inversion complete
Lo + 53	B.P. 4 printing complete

*Depression of transfer control before continuing causes a transfer to Lo + 53, thus eliminating the printing phase of the program.

LGP-30 CODING SHEET

PREPARED FOR: LGP-30, RPC-4000 Users' Organization - POOL				PAGE 1 / 1
JOB NO.	PROGRAM NO. F2-130	PROGRAM PREPARED BY: Burggrabe	PROGRAM CHECKED BY: POOL Review	DATE 4-24-59
PROBLEM: External Storage				TRACK 62

PROGRAM INPUT CODES	STOP	LOCATION	INSTRUCTION		STOP	CONTENTS OF ADDRESS	NOTES
			OPERATION	ADDRESS			
	/				/		
	/	6 2,3 2			/		
	/	3 3	X Z []		/	n @ 29 = Matrix order	*
	/	3 4			/		
	/	3 5			/		
	/	3 6			/		
	/	3 7	X Z []		/	Lo floating point	*
	/	3 8			/		
	/	3 9			/		
	/	4 0	X Z []		/	Lo <input type="checkbox"/> rij Matrix	*
	/	4 1			/		
	/	4 2	X Z []		/	Lo inversion sub. 29.0	*
	/	4 3			/		
	/	4 4			/		
	/	4 5			/		
	/	4 6			/		
	/	4 7			/		
	/	4 8			/		
	/	4 9			/		
	/	5 0			/		
	/	5 1			/		
	/	5 2			/		
	/	5 3			/		
	/	5 4			/		
	/	5 5			/		
	/	5 6			/		
	/	5 7			/		
	/	5 8			/		
	/	5 9	[]		/	Temp & Ctr	
	/	6 0	[]		/	Temp & Ctr	
	/	6 1			/		
	/	6 2			/		
	/	6 3			/		

Note: * These locations must be filled prior to entry into sub-routine

LGP-30 CODING SHEET

PREPARED FOR: LGP-30, RPC-4000 Users' Organization - POOL			PAGE 1	OF 2
JOB NO.	PROGRAM NO. F2-130	PROGRAM PREPARED BY: Burggrabe	PROGRAM CHECKED BY: POOL Review	DATE 4-24-59
PROBLEM: Call-in, Compute & Print - Inverse (Rice F.P.M.I.)			TRACK 00	

PROGRAM INPUT CODES	STOP	LOCATION	INSTRUCTION		STOP	CONTENTS OF ADDRESS	NOTES
			OPERATION	ADDRESS			
; 0 0 0 Lo	/						
/ 0 0 0 Lo	/	<input checked="" type="checkbox"/>					
		0 0 0 0	X B	6 2 3 3	/	n @ 29	
		0 1	D	0 0 3 1	/	1 @ 14	
		0 2	X A	6 2 4 0	/	Lo \square rij matrix	
		0 3	C	0 0 1 4	/	<input checked="" type="checkbox"/>	
		0 4	X B	6 2 4 2	/	Lo matrix Inversion Sub (Rice M.I.)	
		0 5	Y	0 0 1 3	/		
		0 6	A	0 0 2 9	/	XZ0014	
		0 7	Y	0 0 1 2	/	<input checked="" type="checkbox"/>	
		0 8	A	0 0 3 0	/	XZ0149	
		0 9	Y	0 0 1 1	/		
		1 0	X B	6 2 3 7	/	Lo Floating Point	
		1 1	Y	[]	/	<input checked="" type="checkbox"/> (Matrix Inversion Lo + 163)	
		1 2	R	[]	/	} Matrix Inversion	
		1 3	U	[]	/	} Linkage	
		1 4	[]	[]	/	Code word	
		1 5	X Z	0 8 0 0	/	<input checked="" type="checkbox"/> BP 8 stop after inversion	
		1 6	X C	6 2 6 0	/	Clear acc.	
		1 7	8 0 0 T	0 0 5 3	/	Skip inverse print-out	
		1 8	X C	6 2 6 0	/	ctr 1 \rightarrow 0	
		1 9	X C	6 2 5 9	/	<input checked="" type="checkbox"/> ctr 2 \rightarrow 0	
		2 0	X B	6 2 3 7	/	Lo Floating Point	
		2 1	Y	0 0 3 2	/		} Init. } Print
		2 2	Y	0 0 3 3	/		
		2 3	X B	6 2 4 0	/	<input checked="" type="checkbox"/> Lo \square Rij matrix inverse	
		2 4	Y	0 0 3 4	/		
		2 5	X P	1 6 0 0	/	cr.	
		2 6	X Z	0 0 0 0	/	delay	
		2 7	U	0 0 3 2	/	<input checked="" type="checkbox"/> transfer over constants	
		2 8	X Z	0 0 0 1	/	1 @ 29	
		2 9	X Z	0 0 1 4	/	14 @ 29	
		3 0	X Z	0 1 4 9	/	Used to set up { Lo + 163 in Rice F.P.M.I.	
		3 1	X Y	0 0 0 0	/	<input checked="" type="checkbox"/> 1 @ 4	

Royal McBee Corporation
 DATA PROCESSING DIV.
 PORT CHESTER, NEW YORK



TITLE: Calculation of Beta Weights, Regression Coefficients; Partial Correlation Coefficient and Standard Error of the Independent Variables; the Constant Term (b_0) and its Standard Error; the Sample Multiple Correlation Coefficient and Standard Error of Estimate; the Universe Multiply Correlation Coefficient and Standard Error of Estimate.

AUTHOR: William F. Burggrabe, Jr.
Compumatix, Incorporated

DATE: May 26, 1960

PURPOSE: Given the inverse of the correlation coefficient matrix, the means and standard deviations of the variables; compute and printout the above.

RESTRICTIONS:

- 1) The last row and column of the matrix contain elements corresponding to the dependent variable. (Explanation under "Method").
- 2) Normal restrictions of 24.0 and 12.6
- 3) See attached sheet for external storage of information that must be supplied.
- 4) 25.0R in 0900

METHOD:

A) Given a correlation coefficient matrix of the form:

	X_1	X_2	X_3	...	Y
X_1	R_{11}	R_{12}	R_{13}	...	R_{1y}
X_2	R_{21}	R_{22}	R_{23}	...	R_{2y}
X_3	R_{31}	R_{32}	R_{33}	...	R_{3y}
.
.
.
Y	R_{y1}	R_{y2}			R_{yy}

An inverse of the (Rij) matrix is computed yielding:

	X ₁	X ₂	...	Y
X ₁	$\frac{1}{V_{1,23} \dots Y}$	$\frac{\beta_{21,34} \dots}{V_{2,13} \dots y}$...	$\frac{\beta_{y1,23} \dots}{V_{y,123} \dots}$
X ₂	$\frac{\beta_{12,34} \dots}{V_{1,23} \dots y}$	$\frac{1}{V_{2,13} \dots y}$...	$\frac{\beta_{y2,13} \dots}{V_{y,123} \dots}$
⋮	⋮	⋮		⋮
Y	$\frac{\beta_{1y,23} \dots}{V_{1,23} \dots y}$	$\frac{\beta_{2y,13} \dots}{V_{2,13} \dots y}$...	$\frac{1}{V_{y,123} \dots}$

B) Where:

- The β's, Beta weights, are equal to the coefficients of the equation:

$$\frac{Y^1 - \bar{Y}}{\sigma_Y} = \beta_1 \frac{(X - \bar{X})_1}{\sigma_{x_1}} + \beta_2 \frac{(X - \bar{X})_2}{\sigma_{x_2}} + \dots + \beta_{n-1} \frac{(X - \bar{X})_{n-1}}{\sigma_{x_{n-1}}}$$

Y^1 = Predicted Value

$\beta_1 = \beta_{y1,23} \dots$

$\beta_2 = \beta_{y2,13} \dots$

\bar{x}_i, \bar{Y} = means

σ_{x_i}, σ_y = standard deviations

The β's are obtained by dividing each column element by the principle diagonal element in that column.

NOTE: All β's for all multiple regression equations (i.e., are available in the inverse.

2. The regression coefficients are obtained from the beta weights as follows:

$$b_0 = \bar{Y} - \bar{X}_1 \frac{\sigma_y}{\sigma_{x1}} \beta_1 - \bar{X}_2 \frac{\sigma_y}{\sigma_{x2}} \beta_2 - \bar{X}_3 \frac{\sigma_y}{\sigma_{x3}} \beta_3 - \dots$$

$$b_1 = \beta_1 \frac{\sigma_y}{\sigma_{x1}}$$

$$b_2 = \beta_2 \frac{\sigma_y}{\sigma_{x2}} \quad , \quad \text{Etc.}$$

3. The partial correlation coefficients are obtained by:

$$r_{ab,cde \dots}^2 = \frac{\left(\frac{\beta_{ab,cde \dots}}{V_{a,bcde \dots}} \right) \cdot \left(\frac{\beta_{ba,cde \dots}}{V_{b,acde \dots}} \right)}{\left(\frac{1}{V_{a,bcde \dots}} \right) \cdot \left(\frac{1}{V_{b,acde \dots}} \right)}$$

However, because of the symmetry of the inverse,

$$\frac{\beta_{ab,cde \dots}}{V_{a,bcde \dots}} = \frac{\beta_{ba,cde \dots}}{V_{b,acde \dots}}$$

Therefore, each partial correlation coefficient may be obtained by dividing the corresponding off principal diagonal element by the square root of the product of the row, column elements of the principal diagonal.

4. Standare error of regression coefficient --

$$S_{bi} = \hat{S} \cdot \sqrt{\frac{(1-r_{iy,123 \dots}^2)}{N\sigma_i^2 (1-R_{i,123 \dots}^2)}}$$

5. The regression multiple correlation coefficients for the n equations are computed as follows:

$$R_{a,bcde}^2 = 1 - \frac{1}{\text{ath diag. element}}$$

or--

$$R = \sqrt{1 - \frac{1}{\frac{1}{V_{y,123 \dots}}}}$$

Etc.

6. The standard error of estimate is:

$$S = \sigma_y \sqrt{1 - R^2}$$

7. Universe multiple correlation coefficient --

$$\hat{R} = \sqrt{1 - (1 - R^2) \left(\frac{N-1}{N-n} \right)}$$

8. Universe standard error of estimate --

$$\hat{S} = \sigma_y \sqrt{(1 - \hat{R}^2) \left(\frac{N}{N-1} \right)}$$

C) The program that has been written assumes the dependent variable cells to occupy the last column and/or row. However, a routine could be written for any other designation, or since the program does not alter the inverse, rows and columns could be interchanged, to put the correct elements in the proper locations for this program.

CODING INFORMATION:

A) Storage 3 tracks 10 sectors plus external storage on attached sheet.

B) Linkage R (Lo + 309)
U (Lo)

C) Input None

D) Output 12.6 - format (See sample problem)

Order: $\beta_1, b_1, R_{1y,2} \dots S_{b1}$ C.R.

$\beta_2, b_2, R_{2y,1} \dots S_{b2}$ C.R.

etc.

$B_{n-1}, b_{n-1}, R_{n-1y,1} \dots$ C.R.

Tab b_0 Tab S_{b0} C.R.

C.R.

R, , S , \hat{R} , \hat{S}

E) Constants Lo + 226 1 @29
Lo + 240 1 @2
Lo + 148 Floating point "1"

F) Timing: Approximately 10 n seconds

G) Stops: Lo + 308 B.P. 4 stop at completion of program

PREPARED FOR: LGP-30, RPC-4000 Users' Organization - POOL				PAGE 1	OF 1
JOB NO.	PROGRAM NO. F2-130	PROGRAM PREPARED BY: Burggrabe	PROGRAM CHECKED BY: POOL Review	DATE 1-15-60	
PROBLEM: External Storage				TRACK 62	

PROGRAM INPUT CODES	A STOP	LOCATION	INSTRUCTION		A STOP	CONTENTS OF ADDRESS	NOTES
			OPERATION	ADDRESS			
	/						
	/	<input checked="" type="checkbox"/>					
		62 3 2			/		
		3 3	X, Z []		/	n @ 29 order of inverse *	
		3 4	X, Z []		/	n @ 29 no. of records *	
		3 5			/	<input checked="" type="checkbox"/>	
		3 6			/		
		3 7	X, Z []		/	Lo Floating Point *	
		3 8	X, Z []		/	Lo means *	
		3 9	X, Z []		/	<input checked="" type="checkbox"/> Lo standard deviations *	
		4 0	X, Z []		/	Lo inverse (<input type="checkbox"/> rij matrix) *	
		4 1			/		
		4 2			/		
		4 3	X, Z []		/	<input checked="" type="checkbox"/> Lo regression coefficients *	
		4 4			/		
		4 5			/		
		4 6			/	* Note: These locations must	
		4 7			/	<input checked="" type="checkbox"/> be filled prior to entering	
		4 8			/	into subroutine	
		4 9			/		
		5 0			/		
		5 1			/	<input checked="" type="checkbox"/>	
		5 2			/		
		5 3	[]		/		
		5 4	[]		/		
		5 5	[]		/	<input checked="" type="checkbox"/>	
		5 6	[]		/		
		5 7	[]		/		
		5 8	[]		/	Temp	
		5 9	[]		/	<input checked="" type="checkbox"/> Temp	
		6 0	[]		/	Temp	
		6 1	[]		/	n + 1 @ 29 *	
		6 2			/		
		6 3			/	<input checked="" type="checkbox"/>	

LGP-30 CODING SHEET

PREPARED FOR: LGP-30, RPC-4000 Users' Organization - POOL				PAGE 2 OF 7
JOB NO.	PROGRAM NO. F2-130	PROGRAM PREPARED BY: Burggrabe	PROGRAM CHECKED BY: POOL Review	DATE 1-15-60
PROBLEM: β_{xi} , b_{xi} , Partial Corr. Coeff., S_{bxi} , b_o , & est, R , σ est, \hat{R} , $\hat{\sigma}$ est				TRACK 00

PROGRAM INPUT CODES	STOP	LOCATION	INSTRUCTION		STOP	CONTENTS OF ADDRESS	NOTES
			OPERATION	ADDRESS			
	/						
	/	<input checked="" type="checkbox"/>					
		0 0 3 2	Y	0 0 5 7	/		
		3 3	Y	0 0 5 8	/		
		3 4	Y	0 1 1 5	/		
		3 5	Y	0 1 1 6	/	<input checked="" type="checkbox"/>	
		3 6	Y	0 2 0 7	/		
		3 7	Y	0 2 0 8	/		
		3 8	Y	0 2 2 7	/		
		3 9	Y	0 2 2 8	/	<input checked="" type="checkbox"/>	
		4 0	Y	0 2 4 1	/		
		4 1	Y	0 2 4 2	/		
		4 2	Y	0 2 5 8	/		
		4 3	Y	0 2 5 9	/	<input checked="" type="checkbox"/>	
		4 4	X B	6 2 3 4	/	N @ 29	
		4 5	S	0 2 2 6	/	1 @ 29	
		4 6	X R	0 9 2 5	/	Float	25.0R
		4 7	X U	0 9 0 0	/	<input checked="" type="checkbox"/>	
		4 8	X Z	0 0 2 9	/		
		4 9	X C	6 2 5 7	/	n-1	
		5 0	X B	6 2 3 4	/	n @ 29	
		5 1	X S	6 2 3 3	/	<input checked="" type="checkbox"/>	n @ 29
		5 2	X R	0 9 2 5	/	Float	25.0R
		5 3	X U	0 9 0 0	/		
		5 4	X Z	0 0 2 9	/		
		5 5	X C	6 2 5 8	/	<input checked="" type="checkbox"/>	N-P
		5 6	X C	6 2 5 3	/	Temp \rightarrow 0	
		5 7	R	[. . .]	/	24.0	
		5 8	U	[. . .]	/		
		5 9	B	0 1 4 8	/	<input checked="" type="checkbox"/>	"1"
		6 0	D	[. . .]	/	1/V _n	
		6 1	X H	6 2 5 9	/	(1-R ²)	
		6 2	X D	6 2 5 8	/		
		6 3	X H	6 2 5 8	/	<input checked="" type="checkbox"/>	(1-R ²)/(N-1)

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PREPARED FOR: LGP-30, RPC-4000 Users' Organization - POOL				PAGE 3	OF 7
JOB NO.	PROGRAM NO. F2-130	PROGRAM PREPARED BY: Burggrabe	PROGRAM CHECKED BY: POOL Review	DATE 1-15-60	
PROBLEM: β_{xi}, b_{xi} , Partial Corr. Coeff. $S_{b_{xi}}, b_o$, & est, $R, \sigma_{ext}, \hat{R}, \hat{\sigma}_{est}$				TRACK 01	

PROGRAM INPUT CODES	STOR	LOCATION	INSTRUCTION		STOR	CONTENTS OF ADDRESS	NOTES
			OPERATION	ADDRESS			
		<input checked="" type="checkbox"/>					
		0 1 0 0	XU	0 0 0 0		Acc → M	
		0 1	XM	6 2 5 7		(n-1) → $(1-\hat{R}^2)$	
		0 2	XY	0 0 0 0		Change signs → $-1+\hat{R}^2$	
		0 3	A	0 1 4 8	<input checked="" type="checkbox"/>	"1" → \hat{R}^2	
		0 4	XH	6 2 6 0			
		0 5	XB	6 2 5 7		N-1	
		0 6	A	0 1 4 8			
		0 7	XH	6 2 5 5	<input checked="" type="checkbox"/>		
		0 8	XU	0 0 0 0			
		0 9	XM	6 2 5 8			
		1 0	XR	0 0 0 0			
		1 1	XU	0 0 0 0	<input checked="" type="checkbox"/>		
		1 2	M	[]		σ_y	$\hat{\sigma}_{est}$
		1 3	XH	6 2 5 8			
		1 4	XE	0 0 0 0		Exit	F.P.
		1 5	R	[]	<input checked="" type="checkbox"/>	24.0	
		1 6	U	[]			
		1 7	P	[]		$-\beta/V_n$	
		1 8	XM	6 2 5 9		V_n	
		1 9	XY	0 0 0 0	<input checked="" type="checkbox"/>	Change sign	
		2 0	XP	0 0 0 0		Print β_i	
		2 1	XU	0 0 0 0		Acc → M	
		2 2	M	[]		σ_y	
		2 3	D	[]	<input checked="" type="checkbox"/>	σ_{x_i}	
		2 4	H	[]		b_{xi}	
		2 5	XP	0 0 0 0			
		2 6	B	0 1 4 8		"1"	
		2 7	D	[]	<input checked="" type="checkbox"/>	$1/V_i$	
		2 8	XH	6 2 5 7		$(1-R_i)$	
		2 9	XM	6 2 5 7		$\beta_i \cdot V_i$	
		3 0	XU	0 0 0 0			
		3 1	M	[]	<input checked="" type="checkbox"/>	$-\beta_i/V_i$	$-\beta_{iy} \cdot \beta_{yi}$

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PREPARED FOR: LGP-30, RPC-4000 Users' Organization - POOL				PAGE 6	OF 7		
JOB NO.	PROGRAM NO. F2-130	PROGRAM PREPARED BY: Burggrabe	PROGRAM CHECKED BY: POOL Review	DATE 1-15-60			
PROBLEM: β_{xi}, b_{xi} , Partial Corr. Coeff, S_{bxi}, b_o , & est, $R, \sigma_{est}, R, \hat{\sigma}_{est}$				TRACK 02			
PROGRAM INPUT CODES	STOP	LOCATION	INSTRUCTION		STOP	CONTENTS OF ADDRESS	NOTES
			OPERATION	ADDRESS			
	/						
	/	<input checked="" type="checkbox"/>					
		Q 2,3 2	X P	0,0,0 0	/		
		3 3	X B	6,2,5 5	/	N	
		3 4	X R	0,0,0 0	/	$\sqrt{\quad} \rightarrow \sqrt{N}$	
		3 5	X H	6,2,5 5	<input checked="" type="checkbox"/>		
		3 6	X B	6,2,5 8	/	$\hat{\sigma}_{est}$	
		3 7	X D	6,2,5 5	/	\sqrt{N}	
		3 8	X E	0,0,0 0	/	Exit F.P.	
		3 9	X P	2,4,0 0	<input checked="" type="checkbox"/>	tab	
, 0,0,0 0,0,0 1	/	4 0	2,0,0 0	0,0,0 0	/	1@ 2 & delay	
		4 1	R [/		
		4 2	U [/		
		4 3	X P	0,0,0 0	<input checked="" type="checkbox"/>	S_{ax}	
		4 4	X B	6,2,5 9	/	$1-R^2$	
		4 5	S	0,1,4 8	/	"1"	
		4 6	X Y	0,0,0 0	/	change signs	R^2
		4 7	X R	0,0,0 0	<input checked="" type="checkbox"/>	$\sqrt{\quad}$	R
		4 8	X H	6,2,5 7	/	R	
		4 9	X B	6,2,5 9	/	$1-R^2$	
		5 0	X R	0,0,0 0	/	$\sqrt{\quad}$	
		5 1	X U	0,0,0 0	<input checked="" type="checkbox"/>	Acc \rightarrow M	
		5 2	M [/	$\sigma_y \rightarrow \sigma_{est}$	
		5 3	X H	6,2,5 9	/	σ_{ext}	
		5 4	X E	0,0,0 0	/		
		5 5	X P	1,6,0 0	<input checked="" type="checkbox"/>	cr.	
		5 6	X Z	0,0,0 0	/		
		5 7	X P	1,6,0 0	/	cr.	
		5 8	R [/		
		5 9	U [<input checked="" type="checkbox"/>		
		6 0	X B	6,2,5 7	/	R	
		6 1	X P	0,0,0 0	/		Print
		6 2	X B	6,2,5 9	/	σ_{est}	
		6 3	X P	0,0,0 0	<input checked="" type="checkbox"/>		Print
					<input checked="" type="checkbox"/>	CARRIAGE RETURN	

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PREPARED FOR: LGP-30, RPC-4000 Users' Organization - POOL				PAGE 7	OF 7
JOB NO.	PROGRAM NO. F2-130	PROGRAM PREPARED BY: Burggrabe	PROGRAM CHECKED BY: POOL Review	DATE 1-15-60	
PROBLEM: β_{xi} , b_{xi} , Partial Corr. Coeff, $S_{b_{xi}}$, b_0 , & est, R , σ est, \hat{R} , $\hat{\sigma}$ est				TRACK 03	

PROGRAM INPUT CODES	STOP	LOCATION	INSTRUCTION		STOP	CONTENTS OF ADDRESS	NOTES
			OPERATION	ADDRESS			
		03 00	XB	6260		\hat{R}^2	
		01	XR	0000			
		02	XP	0000			
		03	XB	6258		$\hat{\sigma}$ est	
		04	XP	0000			
		05	XE	0000			
		06	XP	1600		cr.	
		07	XZ	0000		delay	
		08	XZ	0400		stop	BP. 4
		09	U	[]		Exit	
		10					
		11					
		12					
		13					
		14					
		15					
		16					
		17					
		18					
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TITLE: Calculation of Y^1 and $(y-y^1)$ given a set of coefficients and a set of records.

AUTHOR: Allen G. Renz
Compumatix, Incorporated

DATE: October 6, 1959

PURPOSE: To read in a set of records, each record containing values for $X_1, X_2 \dots X_n$ and Y , and calculate a predicted value of $Y_1 Y^1$, using a set of coefficients stored in the machine also calculate $(y-y^1)$ and print out $Y_1 Y^1$, and $(y-y^1)$.

RESTRICTIONS:

- A) Normal restrictions of 24.0, 11.6 and 12.6
- B) Coefficients must be stored in machine prior to reading the first record, in order (i.e. $b_0, b_{x1}, \dots b_{xn}$)
- C) The program requires one track
- D) The number of variables is limited only by machine storage available.

CODING INFORMATION:

- A) Storage
 - 1) Program - one track
 - 2) F.P.I.S. - 16 tracks
 - 3) External storage - 6232 to 6263 (see attached sheet)
- B) No calling sequence is required.

Linkage: R (Lo + 57)
 U (Lo + 00)

- C) Input is in 11.6 floating point input format in the following sequence:

First record

± P (Lo record)' 1' X_1 ' X_2 ' ... X_n ' Y ' -0000000''

Following records

± P (Lo record + 1)' X_1 ' X_2 ' ... X_n ' Y ' -0000000''

D) Output: Output is in floating point format. Three columns are printed out: Y, Y^1 , and $(y-y^1)$.

E) Location of constants:

Lo + 46 1 @ 29
Lo + 63 XZ6363 Mask

F) Timing:

$[(7 + 1.2n) \text{ sec.} + \text{record read time}] N$

where n = No. variables

N = No. records

G) Program stops:

Lo + 47 (B.P. 4) after print out of each record

Lo + 56 (B.P. 8) after completion of N records

External Storage Required

Y' and $(y-y')$ Floating Point Calculation

6233 - n, No. of variables @ $q = 29$

6234 - N, No. of records @ $q = 29$

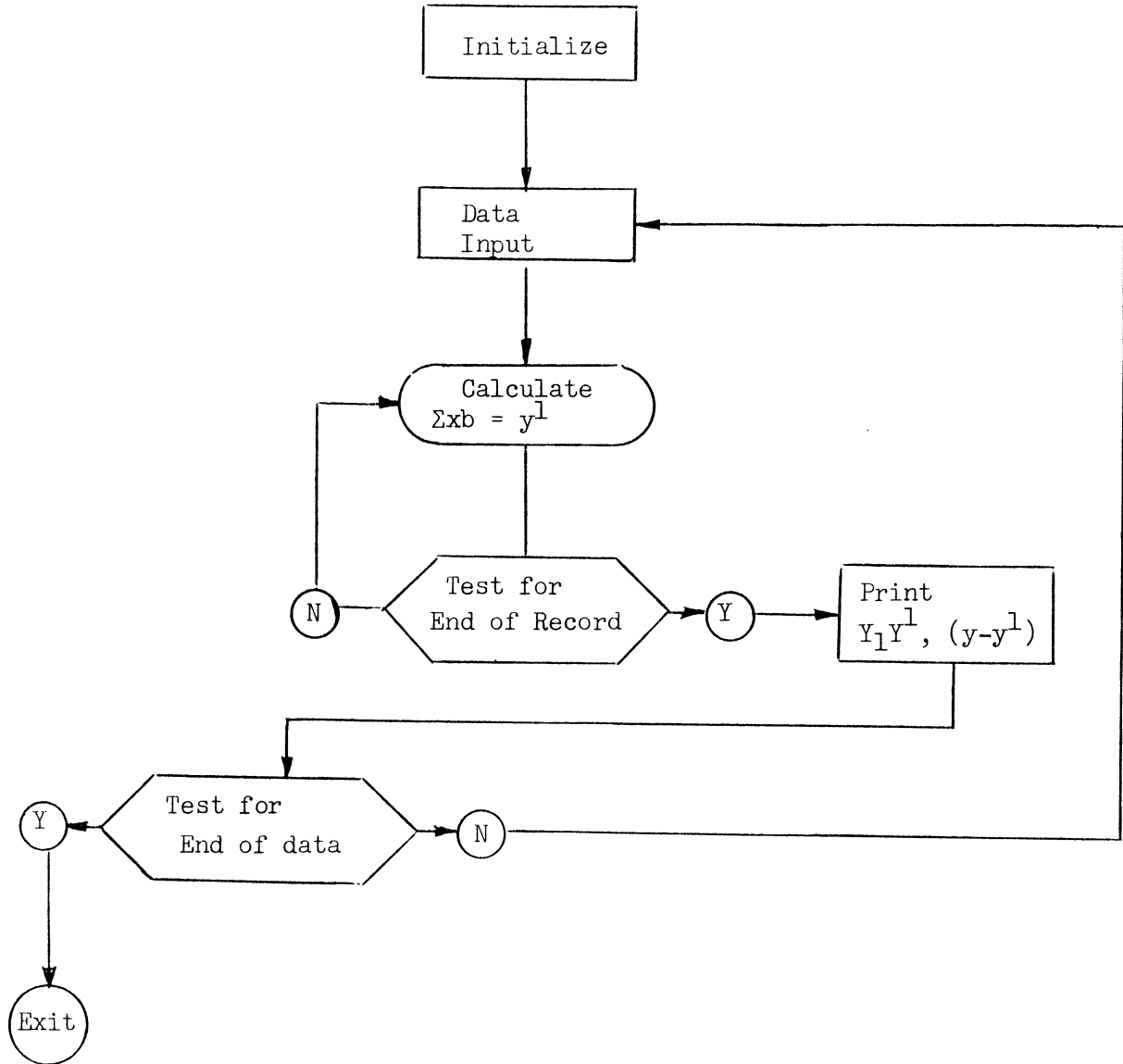
6235 - Lo of record

6237 - Lo of Floating Point Int. System

6243 - Lo of Coefficients

6258-6260 - Temporary storage

Calculation of Y^1 and $(y-y^1)$



LGP-30 CODING SHEET

PREPARED FOR: LGP-30, RPC-4000 Users' Organization - POOL				PAGE 1	OF 2
JOB NO.	PROGRAM NO. F2-130	PROGRAM PREPARED BY: Burggrabe	PROGRAM CHECKED BY: POOL Review	DATE 10-5-59	
PROBLEM: Calculation of Y' & (Y-Y') [Floating Point]				TRACK 00	

PROGRAM INPUT CODES	STOR	LOCATION	INSTRUCTION		STOR	CONTENTS OF ADDRESS	NOTES
			OPERATION	ADDRESS			
; 0 0 0 Lq	'						
/ 0 0 0 Lq	'	<input checked="" type="checkbox"/>					
		0 0 0 0	X, B	6 2 3 5	'	Lo Record	
		0 1	Y	0 0 2 1	'		
		0 2	X, A	6 2 3 3	'	n @ 29	L _f record
		0 3	Y	0 0 3 6	'	<input checked="" type="checkbox"/>	
		0 4	Y	0 0 5 8	'		
		0 5	X, B	6 2 4 3	'	Lo Coeff.	
		0 6	Y	0 0 2 2	'		
		0 7	X, B	6 2 3 7	'	<input checked="" type="checkbox"/>	Lo Floating Point
		0 8	Y	0 0 1 7	'		
		0 9	Y	0 0 1 8	'		
		1 0	Y	0 0 3 3	'		
		1 1	Y	0 0 3 4	'	<input checked="" type="checkbox"/>	
		1 2	Y	0 0 6 0	'		
		1 3	Y	0 0 6 1	'		
		1 4	X, C	6 2 6 0	'	Acc → 0	
		1 5	X, S	6 2 3 4	'	<input checked="" type="checkbox"/>	N @ 29
		1 6	X, C	6 2 6 0	'		-N @ 29
		1 7	X, R	[]	'		
		1 8	X, U	[]	'		
		1 9	X, I	0 0 0 0	'	<input checked="" type="checkbox"/>	
		2 0	X, C	6 2 5 8	'		
		2 1	X, P	[]	'	X _i	
		2 2	X, N	[]	'	bx _i →	Σ bx in Acc.
		2 3	X, E	0 0 0 0	'	<input checked="" type="checkbox"/>	
		2 4	B	0 0 2 2	'		
		2 5	A	0 0 4 6	'	1 @ 29	
		2 6	Y	0 0 2 2	'		
		2 7	B	0 0 2 1	'	<input checked="" type="checkbox"/>	
		2 8	A	0 0 4 6	'	1 @ 29	
		2 9	Y	0 0 2 1	'		
		3 0	E	0 0 6 3	'	XZ 6363	
		3 1	S	0 0 5 8	'	<input checked="" type="checkbox"/>	

LGP-30 CODING SHEET

PREPARED FOR: LGP-30, RPC-4000 Users' Organization - POOL			PAGE 2	OF 2
JOB NO.	PROGRAM NO. F2-130	PROGRAM PREPARED BY: Burggrabe	PROGRAM CHECKED BY: POOL Review	DATE 10-5-59
PROBLEM: Y' &(Y-Y') Floating Point			TRACK 00	

PROGRAM INPUT CODES	STOP	LOCATION	INSTRUCTION		STOP	CONTENTS OF ADDRESS	NOTES
			OPERATION	ADDRESS			
		0,0 3 2	T	0,0 6 0			
		3 3	X,R	[]			
		3 4	X,U	[]			
		3 5	X,H	6 2 5 8	<input checked="" type="checkbox"/>	Y'	
		3 6	X,B	[]		Y	
		3 7	X,P	0 0 0 0			Print Y
		3 8	X,S	6 2 5 8		Y'	
		3 9	X,H	6 2 5 9	<input checked="" type="checkbox"/>	(Y-Y')	
		4 0	X,B	6 2 5 8			
		4 1	X,P	0 0 0 0			Print Y'
		4 2	X,B	6 2 5 9			
		4 3	X,P	0 0 0 0	<input checked="" type="checkbox"/>		Print (Y-Y')
		4 4	X,E	0 0 0 0			
		4 5	X,P	1 6 0 0			
		4 6	X,Z	0 0 0 1			
		4 7	X,Z	0 4 0 0	<input checked="" type="checkbox"/>	Stop after	print out
		4 8	X,B	6 2 3 5		Lo record	
		4 9	Y	0 0 2 1			
		5 0	X,B	6 2 4 3		Lo Coeff.	
		5 1	Y	0 0 2 2	<input checked="" type="checkbox"/>		
		5 2	X,B	6 2 6 0			
		5 3	A	0 0 4 6			
		5 4	X,H	6 2 6 0			
		5 5	T	0 0 1 7	<input checked="" type="checkbox"/>		
		5 6	X,Z	0 8 0 0		Stop after	N records
		5 7	U	[]		Exit	
		5 8	[]			Lo Record	
		5 9			<input checked="" type="checkbox"/>		
		6 0	X,R	[]			
		6 1	X,U	[]			
		6 2	U	0 0 2 1			
		6 3	X,Z	6 3 6 3	<input checked="" type="checkbox"/>	Mask	

