# **APMATH64/MAX MANUAL**

VOLUME 4 OF 4

MODELS M64/140, M64/145

860-7482-001C



FLOATING POINT SYSTEMS, INC.

# **APMATH64/MAX MANUAL**

VOLUME 4 OF 4 MODELS M64/140, M64/145

860-7482-001C

by FPS Technical Publications Staff

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# REVISION HISTORY

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This manual is the APMATH64/MAX Manual, Volume 4,  $86\emptyset-7482-\emptyset\emptyset$ 1. The letter shown under the revision number column indicates the portion of the part number that changes for each revision. The last entry is the latest revision to this manual.

REV. NO.	DESCRIPTION	DATE
-ØØla	The revision history begins with this manual.	8/86
-ØØ1B	Deleted Utilities Library, deleted the LPSPFI subroutine, added internal subroutine information, and added 16 new routines.	1/87
-øøıc	Added new routines to Basic Math Library, Double Precision Library, and Matrix Algebra Accelerated Math Library.	12/87

NOTE: For revised manuals, a vertical line "|" outside the left margin of the text signifies where changes have been made.

### NOTE TO READER

This is the fourth volume of the APMATH64 Manual. It is comprised of Appendix K, Appendix L, and a key word index for the APMATH64/MAX routines. Note that Appendix A continues through Volumes 1, 2, and 3. The page numbers are listed consecutively through the volumes.

The APMATH64 Manual has three indices located at the end of Volume 3 and two at the end of Volume 4. The first index (Appendix I) is a list of the APMATH64 routines in page order by type. The second index (Appendix J) is an alphabetical list of the APMATH64 routines. The third index is a key word index of the APMATH64 routines. The fourth index (Appendix L) is an alphabetical list of the APMATH64/MAX routines. The fifth index is a key word index of the APMATH64/MAX routines.

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### APPENDIX K

#### MATRIX ALGEBRA ACCELERATOR MATH LIBRARY ROUTINES

#### K.1 INTRODUCTION

This appendix contains documentation for the Matrix Algebra Accelerator (MAX) Math Library routines. A high-level description of the MAX system is presented, followed by documentation for the two categories of MAX Math Library routines: the Basic MAX routines and the Matrix Oriented MAX routines.

### K.2 SYSTEM OVERVIEW

A M64/14Ø or M64/145 MAX system consists of a Central Processing Unit (CPU), a memory unit, and one or more MAX modules. The MAX modules are collectively referred to as the "MAX". Each MAX module is capable of performing calculations in parallel with the M64/14Ø or M64/145 CPU as well as with other MAX modules.

The MAX Math Library software requires an M64/14Ø or M64/145 that has been configured with at least 16K Table Memory RAM (TMRAM). The software can utilize an arbitrary number of MAX modules up to and including the maximum configuration of fifteen.

An individual MAX module contains eight vector memories, each 2K (2048) words in length. The Basic MAX routines are restricted to usage of the first 2K-1 (2047) locations of each vector memory. The Matrix Oriented MAX routines restrict usage as appropriate to the particular operation (refer to the manual page).

The hardware on a MAX module directly supports the basic vector operations real and complex dot product, real vector scalar multiply and add (VSMA), and real vector multiply and scalar add (VMSA). Since the dot product operation is a vector to scalar operation, up to eight separate real dot products or four separate complex dot products can be performed on a single MAX module. That is, all eight vector memories can contain input vectors for dot products. Since the VSMA and VMSA operations are vector to vector operations, up to four separate VSMA's or VMSA's can be performed on a single MAX module. For VSMA and VMSA operations, the vector memories on each MAX module are grouped into two banks of four vector memories each. One bank of four vector memories contains the input vectors, while the other bank of four vector memories contains the resulting output vectors.

The CPU supplements the MAX performance by using TMRAM as an additional set of vector memories. In this way, the CPU can perform up to four real dot products, two complex dot products, one VSMA, or one VMSA in parallel with the MAX modules. Most of the MAX Math Library routines The ranges of values which will produce overflow or underflow during conversion from FPS to IEEE and back to FPS format are given below. This conversion could be obtained by a vector move of data from Main Memory to a MAX vector register followed by a vector move of the data from the MAX vector register back to Main Memory. Both the standard scientific notation and the FPS internal binary representation (in hexadecimal) is given for each number.

Ø.89884656743115775ØE+3Ø8 --+ FFEF FFFF FFFF FFFF | Positive overflow Ø.44942328371557898ØE+3Ø8 FFE8 ØØØØ ØØØØ ØØØØ Ø.44942328371557888ØE+3Ø8 --+ FFCF FFFF FFFF FFFF No overflow/underflow Ø.2225Ø738585Ø72Ø14ØE-3Ø7 <u>aaes aaaa aaaa aaaa</u> Ø.2225Ø738585Ø72ØØ9ØE-3Ø7 --+ ØØ4F FFFF FFFF FFFF | Positive underflow Ø.2781342323134ØØ17ØE-3Ø8 <u>aaas aaaa aaaa aaaa</u> ø.ø True zero <u>aaaa aaaa aaaa aaaa</u> -Ø.2781342323134ØØ3ØØE-3Ø8 --+ ØØ17 FFFF FFFF FFFF

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Negative underflow

MAX formatter exception interrupts can be selectively enabled or disabled in a manner similar to the arithmetic exception interrupts. The default disables all MAX formatter exception interrupts.

The following code fragment enables all MAX formatter exception interrupts:

The following code fragment disables all MAX formatter exception interrupts.

INTEGER UNFL, UNNORM, DENORM, OVFL

. UNFL = 1 UNNORM = 1 DENORM = 1 OVFL = 1 CALL SYS\$DIS FMTERR(UNFL, UNNORM, DENORM, OVFL)

For more information on enabling and disabling exception interrupts, refer to the documentation for routines SYS\$ENAEXC, SYS\$DISEXC, SYS\$ENA\_FMTERR, SYS\$DIS\_FMTERR in the Operating System Manual, Volume 3, File and Memory Management, listed in Section 1.5.

### K.3 BASIC MAX ROUTINES

The Basic MAX routines provide for basic functional utilization of the MAX system and are vector oriented.

### K.3.1 Overview

The Basic MAX routines are designed to access the basic functionality of the MAX modules. These routines are not as flexible as the Matrix Oriented MAX routines in terms of data management in the MAX system.

The configuration table used by the Basic MAX routines references the available MAX modules. The table is always placed into the 17 highest addressable locations in TMRAM regardless of the base address of the TMRAM workspace. Hence, for 16K TMRAM systems, the table will be situated in locations 24559-24575.

Mathematically, the operations to be performed are:

S(i) = SUM[A(j) \* B(i,j); j = 1,4]; i = 1,14

The following is the APFTN64 code to perform the desired operation. Briefly, the PLOADD routine is called to load the array of vectors B into TMRAM and the MAX vector memories. The PDOT routine is then called to compute the dot products and return the results into the array S. (Refer to the documentation on PLOADD and PDOT for a discussion of the parameter values.)

```
REAL A(4), B(14,4), S(14)
INTEGER I, J, N, M, ITMA, ISTART, IFUN, IERR
```

```
I = 14
J = 1
N = 4
M = 14
ITMA = 8192
ISTART = 1
CALL PLOADD(B,I,J,N,M,ITMA,ISTART,IERR)
IF(IERR.NE.Ø) GO TO 9ØØ
I = 1
J = 1
N = 4
M = 14
ITMA = 8192
ISTART = 1
IFUN = \emptyset
CALL PDOT(A, I, N, S, J, M, ITMA, ISTART, IFUN, IERR)
IF(IERR.NE.Ø) GO TO 9ØØ
            ٠
            •
```

900 CONTINUE

resulting output vectors and store them in the array of vectors C. (Refer to the documentation on PLOADV, PVSMA, and PUNLDV for a discussion of the parameter values.)

```
REAL A(4),S(7),B(7,4),C(7,4)
    INTEGER I, J, N, M, ITMA, ISTART, IFUN, IERR, IBANK
                   .
    I = 7
    J = 1
    N = 4
    M = 7
    IBANK = \emptyset
    ITMA = 8192
    ISTART = 1
    CALL PLOADV(B,I,J,N,M,IBANK,ITMA,ISTART,IERR)
    IF(IERR.NE.Ø) GO TO 900
    I = 1
    J = 1
    N = 4
    M = 7
    ITMA = 8192
    ISTART = 1
    IFUN = \emptyset
    CALL PVSMA(A, I, S, J, N, M, IBANK, ITMA, ISTART, IFUN, IERR)
    IF(IERR.NE.Ø) GO TO 9ØØ
    I = 7
    J = 1
    N = 4
    M = 7
    ITMA = 8192
    ISTART = 1
    CALL PUNLDV(C,I,J,N,M,IBANK,ITMA,ISTART,IERR)
    IF(IERR.NE.Ø) GO TO 9ØØ
900 CONTINUE
```

Upon successful execution of PLOADV, PVSMA, and PUNLDV, the array C contains the following:

C =	ø.ø	ø.ø	ø.ø	ø.ø
	Ø.9	Ø.8	Ø.7	Ø.6
	1.8	1.6	1.4	1.2
	2.7	2.4	2.1	1.8
	3.6	3.2	2.8	2.4
	4.5	4.Ø	3.5	3.Ø
	5.4	4.8	4.2	3.6

Basically, PLOADD is called to load M rows of the matrix A into TMRAM and the MAX vector memories. Each call to PDOT performs the M dot products of one column of the matrix B with the M rows of the matrix A loaded by PLOADD. These calculations are shown in Figure K-1.



Figure K-1 Sample Calculations of Matrix Multiply

In general, the number of rows of the matrix A (N1 above) is not an integral multiple of the number of dot products that a given system can perform at the same time (M above). It is straightforward to add APFTN64 code to handle the remaining MOD(N1,M) rows of the matrix A, as well as to handle the case where N1 is less than M.

### K.3.3 Routine Documentation

This section contains the descriptions of the Basic MAX routines.

*******	*	******
* *	*	*
* PCDOT *	PARALLEL COMPLEX DOT PRODUCT *	PCDOT *
* *	*	*
*******	*	******
PURPOSE:	To compute the complex dot products of a sind with each of a set of vectors that were load	gle vector ed by PLDCD.
CALL FORMAT:	CALL PCDOT(A, I, N, S, J, M, ITMA, ISTART, I	FUN, IERR)
PARAMETERS:	<pre>A = Floating-point input complex vector I = Integer input element stride for A. N = Integer input number of elements in S = Floating-point output complex vector J = Integer input element stride for S. M = Integer input number of vectors load ITMA = Integer input TMRAM workspace base a from the most recent call to PLDCD. ISTART = Integer input starting index into the workspace and the MAX vector memorial loading vectors. The first location vector memories and the TMRAM workspace index value equal to one. IFUN = Integer input addition/subtraction in IFUN = Ø: Use addition. IFUN &lt;&gt; Ø: Use subtraction. IERR = Integer output error flag.</pre>	A. r. ded by PLDCD. address he TMRAM es to begin n of the MAX pace has an flag.
DESCRIPTION:	<pre>PCDOT performs the M complex dot products of contained in A with the M vectors loaded by a call to PLDCD. There is no check as to wheth the vectors were actually loaded by PLDCD. The are stored in the vector S. S(J*(2j-1)) = SUM[s * A(I*(2i-1),j) * W(i+ISTART-1),j); i = 1 S(J*(2j-1)+1) = SUM[s * A(I*(2i),j) * W(i+ISTART-1),j); i = 1</pre>	the vector a previous her or not The results to N] to N]
	j = 1 to M where	
	$s = 1.\emptyset$ if IFUN $= \emptyset$ $s = -1.\emptyset$ if IFUN $<>\emptyset$	
	and W(*,1:M) are the M vectors loaded by PLD	CD.

•

.

```
MAX module #2
```

~

Vector	memory	A:	6.1	6.3	6.5
		в:	6.2	6.4	6.6
		C:	7.1	7.3	7.5
		D:	7.2	7.4	7.6
		E:	8.1	8.3	8.5
		F:	8.2	8.4	8.6
		G:	9.1	9.3	9.5
		H:	9.2	9.4	9.6

# TMRAM

TM (8192): 1.1	
TM (8193): 1.2	
TM (8194): Ø.Ø	
TM (8195): Ø.Ø	
TM (8196): 1.3	
TM (8197): 1.4	
TM (8198): Ø.Ø	
TM (8199): Ø.Ø	
TM (82ØØ): 1.5	
TM (82Ø1): 1.6	
TM (82Ø2): Ø.Ø	
TM (82Ø3): Ø.Ø	
TM (82Ø4): x.x	
•	
•	
•	
TM(24558): x.x	
TM(24559):	MAX
•	
•	Configuration
•	
TM(24575):	Table
Given the following	input parameters to PCDOT:
N = 3	
M = 9	
1 - 2	
U – 2 TATMA – 9100	
$\frac{151}{100} = \alpha$	
1100 - 0	
$A = (1.\emptyset, \emptyset.\emptyset)$	$(1.\emptyset, \emptyset. \emptyset)$ $(1.\emptyset, \emptyset. \emptyset)$

.

APPENDIX K

********** * * * * PCNV2D * * *	PARALLEL 2-D CONVOLUTION AND CORRELATION	******* * * PCNV2 *
PURPOSE:	To perform a 2-D convolution or correlation oper on two matrices using the M64/14Ø or M64/145.	cation
CALL FORMAT:	CALL PCNV2D(A,MA,IA,JA,M,N,B,MB,NB,IB1,C,MC,IC,	JC,IR,IT
PARAMETERS:	<pre>A = Floating-point input operand matrix. (col ordered)</pre>	Lumn
	MA = Integer input number of rows of A	÷
	<pre>IA = Integer input initial row of the submatrix of A to be processed (1 &lt;= IA &lt;= MA)</pre>	ix A'
	JA = Integer input initial column of the subma A' of A to be processed (JA >= 1)	atrix
	<pre>M = Integer input number of rows in A'     (1 &lt;= M &lt;= MA) N = Integer input number of columns in A'</pre>	
	<pre>(N &gt;= 1) B = Floating=point input operator matrix (columns in A)</pre>	מיתנו בר
	ordered) MP = Integer input number of rows of P	) L UMII
	NB = Integer input number of columns of B	
	<pre>IBl = Integer index of the operator element B t is to coincide with the first operand ele of A' to be processed and output as the corresponding element of C'. For correla this index is counted columnwise relative the upper left-hand corner element of B. For convolution, this index is counted columnwise relative to the lower right-ha corner element of B, since B is reversed. (l &lt;= IBl &lt;= MB*NB)</pre>	that ement tion, to
	C = Floating-point output matrix. (column ord	dered)
	<pre>MC = Integer input number of rows of C IC = Integer input initial row of C which loca submatrix C' or C; C' will be the process (1 &lt;= IC &lt;= MC)</pre>	ites the sed A'
	<pre>JC = Integer input initial column of C which I the submatrix C' of C (JC &gt;= 1)</pre>	locates
	<pre>IR = Integer input scalar flag IR = Ø: Perform convolution IR &lt;&gt; Ø: Perform correlation</pre>	e e
DESCRIPTION:	C(ic,jc) = SUM[SUM[A(ka,la) * B(k,l); k=1,MB]; ] for i=1 to M j=1 to N where ic = i+IC-1	L=1,NB]

	ø.ø	ø.ø	ø.ø	ø.ø	ø.ø	ø.ø	ø.ø	ø.ø	ø.ø
	ø.ø	ø.ø	ø.ø	ø.ø	ø.ø	ø.ø	ø.ø	ø.ø	ø.ø
IBl	= 9								
IR	= Ø								
C:	6.Ø	5.Ø	11.Ø	23.Ø	28.Ø	28.Ø	-8.Ø	ø.ø	ø.ø
	5.Ø	<b>4</b> .Ø	10.0	19.Ø	24.Ø	20.0	-8.Ø	ø.ø	ø.ø
	5.Ø	<b>4</b> .Ø	10.0	19.Ø	24.Ø	2Ø.Ø	-8.Ø	ø.ø	ø.ø
	6.Ø	5.Ø	11.Ø	23.Ø	28.Ø	28.Ø	-8.Ø	ø.ø	ø.ø
	-1.Ø	-1.Ø	-1.Ø	-4.Ø	-4.Ø	-8.Ø	ø.ø	ø.ø	ø.ø
	ø.ø	ø.ø	ø.ø	ø.ø	ø.ø	ø.ø	ø.ø	ø.ø	ø.ø
	ø.ø	ø.ø	ø.ø	ø.ø	ø.ø	ø.ø	ø.ø	ø.ø	ø.ø
	ø.ø	ø.ø	ø.ø	ø.ø	ø.ø	ø.ø	ø.ø	ø.ø	ø.ø
	ø.ø	ø.ø	ø.ø	ø.ø	ø.ø	ø.ø	ø.ø	ø.ø	ø.ø

ł

If N is less than one, then

 $S(j) = \emptyset.\emptyset; j = 1, M$ 

Summary of error conditions:

- IERR =  $\emptyset$  Normal return.
- IERR = 1 Insufficient MAX vector memories and TMRAM to hold the number of vectors designated by M. Each MAX module can hold eight vectors. TMRAM can hold four vectors.
- IERR = 2 Vector length too large. N+ISTART-1
  must be less than or equal to 2Ø47.
- IERR = 3 ISTART or M is less than or equal to zero. Both of these parameters must be positive.
- IERR = 4 Insufficient TMRAM space available. There must be enough TMRAM available to hold 4\*(N+ISTART-1) + 17 words, starting at the TMRAM workspace base address, ITMA. Although PDOT does not load TMRAM, it does check for consistency between N, ISTART, and ITMA.
- IERR = 5 ITMA less than 8192. ITMA must be greater than or equal to 8192.
- EXAMPLE: Given a system with two available MAX modules and 16K TMRAM that has been initialized by PLOADD as follows:

MAX module #1

	Vector	memory	A:	3.1	3.2	3.3	3.4	
			B:	4.1	4.2	4.3	4.4	
			C:	5.1	5.2	5.3	5.4	
			D:	6.1	6.2	6.3	6.4	
			E:	7.1	7.2	7.3	7.4	
			F:	8.1	8.2	8.3	8.4	
			G:	9,1	9.2	9.3	9.4	
			H:	10.1	1Ø.2	1Ø.3	1Ø.4	
MAX	module	#2						
	Vector	memory	A:	11.1	11.2	11.3	11.4	

C: 13.1 13.2 13.3 13.4 D: 14.1 14.2 14.3 14.4

.

Upon RETURN from PDOT, S contains:

.

S = 5.09.0
13.0
17.0
21.0
25.0
29.0
33.0
37.0
41.0
45.0
49.0
53.0
57.0

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S(l+(j-l)\*I+(k-l)\*J) = (c\*S(l+(j-l)\*I+(k-l)\*J) + SUM[s\*A((i-l)\*IA+l)\*V(INDEX(i)+j-l,k); i=l,NA]; k=l,M)

j = 1, NP

where

 $c = 1.\emptyset$  if IACC =  $\emptyset$  $c = \emptyset.\emptyset$  if IACC  $<> \emptyset$ s = 1.0 if IFUN = 0 $s = -1.\emptyset$  if IFUN  $\iff \emptyset$ and V(\*,1:M) are the M vectors loaded by PILOAD. If NA is less than one, then  $S(i,j) = \emptyset.\emptyset; i = 1$  to M, j = 1 to NP Summary of error conditions:  $IERR = \emptyset$ Normal return. IERR = 1Insufficient MAX vector memories to hold the number of vectors designated by M. Each MAX module can hold 8 vectors. NA, NP, or M is less than or equal to IERR = 2zero. Each of these parameters must be positive. IERR = 3Insufficient TMRAM space available. There must be enough TMRAM to hold 17 words starting at the TMRAM workspace base address ITMA. IERR = 4ITMA less than 8192. ITMA must be greater than or equal to 8192.

EXAMPLE: Given a system with one available MAX module and 16K TMRAM that has been initialized by PILOAD as follows:

********			********
* *			* *
* PILOAD *	PARALLEL	LOAD FOR PIDOT	* PILOAD *
* *			* *
********			*****
DIDDOSE .	To load vectors	from Main Memory into the M	AX vector
1011001	memories in prep	aration for calls to PIDOT.	
			-
CALL FORMAT:	CALL PILOAD (A,	I, J, N, M, ITMA, IPTR, IEB	RR)
PARAMETERS:	A = Floating-	point input array of vector	S.
	I = Integer i	nput element stride for vec	ctors in A.
	J = Integer i	nput element stride between	נ
	vectors i	n A.	
	N = Integer i	nput number of elements per	r vector
	in A.		
	M = integer i.	nput number of vectors to t	ddrogg
	ITMA = Integer 1.	nput IMRAM WORKSpace base a	address.
	IPTR - Integer 1.	hput offset into the MAX ve	
	memories This para	to begin accessing vector e	
	ninis para	in PLOADD	I I JIARI
	TEPP = Integer of	utput error flag	
	IBAR - Integer O	acput erior riag.	
DESCRIPTION:	PILOAD loads the	vectors contained in A int	the MAX
	vector memories	in preparation for calls to	PIDOT.
	MAX vector memor	v location zero is reserved	for PIDOT.
	therefore requir	ing the IPTR parameter to h	be greater
	than zero. PILO	AD also sets up the MAX cor	figuration
	table in TMRAM.		
	Summary of Error	Conditions:	
	$IERR = \emptyset$	Normal return.	
	1 ERR = 1	Insufficient number of MAX	vector
	1	memories to hold the number	of vectors
		designated by M. Each MAX	module can
		nold 8 vectors.	
	TERP = 2	Vector length too large	ITTPTR must be
	a satural — G	less than or equal to 2007	······································
	IERR = 3	One or more of IPTR. N. or	M is less
		than or equal to zero. Eac	h of these
		parameters must be positive	2.

.

## MAX module #2

Vector	memory	A:	x.x	9.1	9.2	9.3	9.4
		в:	x.x	10.1	1Ø.2	1Ø.3	1Ø.4
		C:	x.x	11.1	11.2	11.3	11.4
		D:	x.x	12.1	12.2	12.3	12.4
		E:	x.x	13.1	13.2	13.3	13.4
		F:	x.x	14.1	14.2	14.3	14.4

# TMRAM

TM (8192):	MAX
•	Configuration
TM (82Ø8):	Table

- IERR = 2 Vector length too large. N+ISTART-1 must be less than or equal to 2047.
- IERR = 3 One or more of ISTART, N, or M is less than or equal to zero. Each of these parameters must be positive.
- IERR = 4 Insufficient TMRAM space available. There must be enough TMRAM available to hold 4\*(N+ISTART-1) + 17 words, starting at the TMRAM workspace base address, ITMA.
- IERR = 5 ITMA less than 8192. ITMA must be greater than or equal to 8192.

EXAMPLE: Given a system with two available MAX modules and 16K TMRAM and the following input parameters to PLDCD:

Ν = 3 = 9 М Ι = 18 J = 2 ITMA = 8192 ISTART = 1A = (1.1, 1.2)(1.3, 1.4) (1.5, 1.6)(2.1, 2.2)(2.5,2.6) (2.3, 2.4)(3.1,3.2) (3.3,3.4) (3.5,3.6)(4.1,4.2) (4.3,4.4) (4.5,4.6) (5.1, 5.2)(5.3, 5.4)(5.5,5.6) (6.1, 6.2)(6.3,6.4) (6.5,6.6) (7.1, 7.2)(7.3, 7.4)(7.5, 7.6)(8.1, 8.2)(8.3, 8.4)(8.5, 8.6)(9.1, 9.2)(9.3, 9.4)(9.5, 9.6)

Note that in this example, A is a two-dimensional complex matrix whose elements are stored in column major order.

The vectors are loaded into the MAX vector memories as real and imaginary pairs as well with the real part of the first number loaded into memory A and the imaginary part in vector vector memory B. The next number will be loaded into vector memories C (real part) and D (imaginary part), etc.

- IERR = 2 Vector length too large. N+ISTART-1
  must be less than or equal to 2Ø47.
- IERR = 3 One or more of ISTART, N, or M is less than or equal to zero. Each of these parameters must be positive.
- IERR = 4 Insufficient TMRAM space available. There must be enough TMRAM available to hold 4\*(N+ISTART-1) + 17 words, starting at the TMRAM workspace base address, ITMA.
- IERR = 5 ITMA less than 8192. ITMA must be greater than or equal to 8192.

EXAMPLE: Given a system with two available MAX modules and 16K TMRAM and the following input parameters to PLOADD:

N		=	4		
М		=	14	·	
I		=	14		
J		=	1		
I!	TMA	=	8192		
I	STA	RT =	1		
A	=	1.1	1.2	1.3	1.4
		2.1	2.2	2.3	2.4
		3.1	3.2	3.3	3.4
		4.1	4.2	4.3	4.4
		5.1	5.2	5.3	5.4
		6.1	6.2	6.3	6.4
		7.1	7.2	7.3	7.4
		8.1	8.2	8.3	8.4
		9.1	9.2	9.3	9.4
		10.1	1Ø.2	1Ø.3	1Ø.4
		11.1	11.2	11.3	11.4
		12.1	12.2	12.3	12.4
		13.1	13.2	13.3	13.4
		14.1	14.2	14.3	14.4

Note that in this example, A is a two-dimensional array whose elements are stored in column major order.

<ul> <li>* * *</li> <li>* PLOADV *</li> <li>* * *</li> <li>* PLOADV *</li> <li>* PVSMA AND PVMSA</li> <li>* *</li> <li>* * *</li> <li>* PLOADV *</li> <li>* * *</li> </ul>	******	*******	*
<pre>* PLOADV * * * PARALLEL LOAD FOR * PLOADV * * * * PVSMA AND PVMSA * * *********************************</pre>	* *	* *	*
* * * PVSMA AND PVMSA * * * * * **************************	* PLOADV *	PARALLEL LOAD FOR * PLOADV	*
PURPOSE:     To load vectors from Main Memory into TMRAM and the MAX vector memories in preparation for calls to PVSMA or PVMSA.	* *	PVSMA AND PVMSA * 3	*
PURPOSE: To load vectors from Main Memory into TMRAM and the MAX vector memories in preparation for calls to PVSMA or PVMSA.	******	*******	*
the MAX vector memories in preparation for calls to PVSMA or PVMSA.	PURPOSE	ad vectors from Main Memory into TMRAM and	
		MAX vector memories in preparation for calls VSMA or PVMSA.	
CALL FORMAT: CALL PLOADV(A, I, J, N, M, IBANK, ITMA, ISTART, IERR)	CALL FORMAT:	PLOADV(A, I, J, N, M, IBANK, ITMA, ISTART, IERR)	)
PARAMETERS: A = Floating-point input array of vectors.	PARAMETERS:	= Floating-point input array of vectors.	
I = Integer input element stride for vectors in A.		= Integer input element stride for vectors in	A.
J = Integer input element stride between vectors in A.		= Integer input element stride between vectors in A.	
N = Integer input number of elements per vector in A.		= Integer input number of elements per vector in A.	
M = Integer input number of vectors to transfer.		= Integer input number of vectors to transfer.	
IBANK = Integer input TMRAM region and bank of MAX		<pre>K = Integer input TMRAM region and bank of MAX vector memories to load</pre>	-
TRANK = $\emptyset$ : Load first TMRAM region and MAX		TBANK = $\tilde{\theta}$ : Load first TMRAM region and MA	x
vector memories A.B.C.D.		vector memories A.B.C.D.	•
IBANK $<> \emptyset$ : Load second TMRAM region and		IBANK <> Ø: Load second TMRAM region and	
MAX vector memories E,F,G,H.		MAX vector memories E,F,G,H.	
ITMA = Integer input TMRAM workspace base address.		= Integer input TMRAM workspace base address.	
ISTART = Integer input starting index into the TMRAM		RT = Integer input starting index into the TMRAM	
region and the MAX vector memories to begin		region and the MAX vector memories to begin	
loading vector elements. The first location		loading vector elements. The first location	ı
of the TMRAM region and the MAX vector		of the TMRAM region and the MAX vector	
memories has an index of one.		memories has an index of one.	
IERR = Integer output error flag.		= Integer output error flag.	
DESCRIPTION: PLOADV loads the vectors contained in A into TMRAM and the MAX vector memories in preparation for calls	DESCRIPTION:	OV loads the vectors contained in A into TMRAM the MAX vector memories in preparation for calls	
to PVSMA or PVMSA. TMRAM is loaded first, so that if		VSMA or PVMSA. TMRAM is loaded first, so that if	Ξ
M equals 1, then only TMRAM is loaded. The remaining		uals 1, then only TMRAM is loaded. The remaining	J
vectors are loaded into the MAX vector memories.		ors are loaded into the MAX vector memories.	
PLOADV also sets up the MAX configuration table in		DV also sets up the MAX configuration table in	
the high end of TMRAM. The rest of the TMRAM		nigh end of TMRAM. The rest of the TMRAM	
workspace is partitioned into two regions. The first region corresponds functionally to MAX vector memories		space is partitioned into two regions. The first	:

A,B,C,D, while the second region corresponds functionally to MAX vector memories E,F,G,H.

Note that in this example, A is a two-dimensional array whose elements are stored in column major order.

Upon RETURN from PLOADV, the MAX modules and TMRAM contain:

## MAX module #1

.

Vector memory E: 3.1 3.2 3.3 3.4 F: 5.1 5.2 5.3 5.4 G: 7.1 7.2 7.3 7.4 H: 9.1 9.2 9.3 9.4

MAX module #2

Vector memory E: 11.1 11.2 11.3 11.4 F: 13.1 13.2 13.3 13.4

TMRAM

TM (8192):	x.x	First
• •		TMRAM
TM(16374):	x.x	Region
TM(16375):	1.1	
TM(16376):	1.2	
TM(16377):	1.3	Second
TM(16378):	1.4	
TM(16379):	x.x	TMRAM
•		
•		Region
•		
TM(24558):	x.x	
TM(24559):		MAX
•		
•		Configuration
•		
TM(24575):		Table

# EXAMPLE:

INPUT:

Let the	e input	matrix	A be:				
1.00	-1.00	-1.00	1.00	1.00	1.00	1.00	9.99
-2.00	ø.øø	1.00	-1.00	-1.00	-1.00	1.00	9.99
1.00	-1.00	ø.øø	1.00	1.00	1.00	1.00	9.99
1.00	1.00	1.00	Ø.ØØ	1.00	1.00	-1.00	9.99
-1.00	1.00	-1.00	-2.ØØ	ø.øø	1.00	1.00	9.99
1.00	-1.00	1.00	1.00	-1.ØØ	ø.øø	1.00	9.99
ø.øø	1.ØØ	1.00	-1.00	1.00	1.00	ø.øø	9.99
9.99	9.99	9.99	9.99	9.99	9.99	9.99	9.99
LA =	8						

OUTPUT:

Output matrix A:

-Ø.5Ø	Ø.ØØ	1.00	-1.00	-1.00	-1.ØØ	1.00	9.99
-Ø.5Ø	-1.00	-Ø.5Ø	Ø.5Ø	Ø.5Ø	Ø.5Ø	1.5Ø	9.99
Ø.5Ø	-1.00	-Ø.5Ø	-1.00	1.00	2.ØØ	2.00	9.99
-ø.5ø	1.00	-1.ØØ	-1.ØØ	-1.ØØ	1.00	2.00	9.99
ø.øø	-1.ØØ	-Ø.25	Ø.75	Ø.4Ø	1.25	Ø.5Ø	9.99
-Ø.5Ø	-1.00	-Ø.5Ø	Ø.5Ø	Ø.8Ø	2.00	Ø.6Ø	9.99
-Ø.5Ø	1.00	-Ø.5Ø	Ø.5Ø	Ø.4Ø	Ø.ØØ	-5.ØØ	9.99
9.99	9.99	9.99	9.99	9.99	9.99	9.99	9.99

**IPVT = 2 2 5 6 7 6 7** 

 $INFO = \emptyset$ 

The pivot vector IPVT contains the row interchange information that was generated by PLUFAC while performing partial pivoting.

.

### EXAMPLE:

INPUT:

Let the factored input matrix A be:

-Ø.5Ø	Ø.ØØ	1.00	-1.00	-1.00	-1.00	1.00	9.99	
-Ø.5Ø	-1.00	-Ø.5Ø	Ø.5Ø	Ø.5Ø	Ø.5Ø	1.5Ø	9.99	
Ø.5Ø	-1.00	-Ø.5Ø	-1.00	1.00	2.ØØ	2.ØØ	9.99	
-Ø.5Ø	1.00	-1.00	-1.00	-1.00	1.00	2.ØØ	9.99	
ø.øø	-1.00	-Ø.25	Ø.75	Ø.4Ø	1.25	Ø.5Ø	9.99	
-Ø.5Ø	-1.00	-ø.5ø	Ø.5Ø	Ø.8Ø	2.ØØ	Ø.6Ø	9.99	
-Ø.5Ø	1.00	-Ø.5Ø	Ø.5Ø	Ø.4Ø	ø.øø	-5.ØØ	9.99	
9.99	9.99	9.99	9.99	9.99	9.99	9.99	9.99	
LA	= 8							
x	= 3.ØØ	6.ØØ	-3.ØØ	9.00 -	3.00 1	.øø -1	.ØØ 9.9	9
LX	= 8							
N	= 7							
м	= 1							
IPVT	= 2 2 5	676	7					

OUTPUT:

Solution matrix X:

-8.00 75.00 -6.00 56.00 4.00 -18.00 38.00 9.99

.

where

 $s = +1.\emptyset$  (when IFUN =  $\emptyset$ ) = -1. $\emptyset$  (when IFUN <>  $\emptyset$ )

TMRAM is used by this routine to hold up to 4 vectors of length MIN(NA,2Ø47), and also to hold a compressed MAX module configuration table of up to 17 words. The routine checks the amount of TMRAM on the system and returns an error code (see Summary of Error Conditions below) if the above requirement is not met.

Implementation Note:

Vector lengths are not restricted to the length of the MAX vector memories. When the vector length exceeds this length (i.e., NA > 2047), partial dot products are calculated in the MAX and TMRAM and are accumulated on the M64/140 or M64/145.

### Summary of Error Conditions:

- IERR =  $\emptyset$  Normal return.
- IERR = 1 One or more of LA, LB, LC, MC, NC, or NA is less than or equal to zero. Each of these parameters must be positive.
- IERR = 2 ITMA less than 8192. ITMA must be greater than or equal to 8192.
- IERR = 3 Insufficient TMRAM scratch space. See DESCRIPTION section for details of TMRAM requirements.

EXAMPLE:

INPUT:

A:	1.Ø	1.Ø	1.Ø	1.Ø
	2.Ø	2.Ø	2.Ø	2.Ø
	3.Ø	3.Ø	3.Ø	3.Ø
	4.Ø	4.Ø	4.Ø	4.Ø
	5.Ø	5.Ø	5.Ø	5.Ø
	Ø.Ø	Ø.Ø	Ø.Ø	Ø.Ø
B:	1.Ø	2.Ø	3.Ø	4.Ø
	1.Ø	2.Ø	3.Ø	4.Ø
	1.Ø	2.Ø	3.Ø	4.Ø
	1.Ø	2.Ø	3.Ø	4.Ø

*****			******
* * * * PMOVE * * *	P/	ARALLEL MOVE	* * * * PMOVE * * *
********			*******
PURPOSE:	To move a row of to move a single	elements across the MAX mo e element in TM.	odules and
CALL FORMAT:	CALL PMOVE(A, II	ROW1, IROW2, ISTEP, N, IBANH	(, ITMA, IERR)
PARAMETERS :	A = Floatin IROW1 = Integen IROW2 = Integen ISTEP = Integen N = Integen IBANK = Integen ITMA = Integen workspa IERR = Integen	ng-point output matrix. input element row index. input element row index. input element stride for A input number of elements t input bank switch (Ø or 1) input base address of the ace. output error flag.	A. :O move. TMRAM
DESCRIPTION:	PSWAP moves the Main Memory (mat IROW1 to the loc indexed by IROW2 moved out to Mat indexed by IROW2 to the location If IBANK = Ø, th C, and D of the IBANK = 1 then of and H are moved.	element in TM indexed by IF crix A) and moves the element cation indexed by IROW2. The in the MAX vector memories in Memory (matrix A) and the across the MAX vector memories indexed by IROW2. Then only elements in vector MAX vector memories are move only elements in vector memories	NOW2 out to at indexed by a elements are also elements ories are moved memories A, B, yed. If ories E, F, G,
	This routine car	n be used in matrix factoriz	ation.
	Summary of error	conditions:	
	$IERR = \emptyset$	Normal return.	
	IERR = 1	Insufficient MAX vector men TMRAM to hold the number of designated by N. Each MAX can hold four vectors. TMR one vector.	nories and elements module RAM can hold
	IERR = 3	One or more of IROW1, IROW2 less than or equal to zero. these parameters must be po	, or N is Each of Sitive.
	IERR = 5	ITMA less than 8192. ITMA greater than or equal to 81	must be 192.

| A = | ø.ø |
|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|
|     | ø.ø |
|     | ø.ø |
|     | ø.ø |
|     | ø.ø |
|     | ø.ø |

Upon RETURN from PMOVE, A contains:

A	=	ø.ø								
		ø.ø								
		ø.ø								
		ø.ø								
		5.1	5.2	5.3	5.4	5.5	5.6	5.7	5.8	5.9
		ø.ø								

TMRAM contains:

TM	(8192):	1.1
TM	(8193):	2.1
TΜ	(8194):	3.1
TΜ	(8195):	4.1
ТМ	(8196):	2.1
TΜ	(8197):	6.1
	•	
	•	
-	•	
TM	24559):	MAX
	•	
	•	Configuration
	•	
TM (	24575):	Table

The MAX vector memories contain:

## MAX Module #1

Vector Memory: A = 1.2 2.2 3.2 4.2 2.2 6.2 B = 1.3 2.3 3.3 4.3 2.3 6.3 C = 1.4 2.4 3.4 4.4 2.4 6.4 D = 1.5 2.5 3.5 4.5 2.5 6.5

## MAX module #2

Vector Memory: A = 1.6 2.6 3.6 4.6 2.6 6.6 B = 1.7 2.7 3.7 4.7 2.7 6.7 C = 1.8 2.8 3.8 4.8 2.8 6.8 D = 1.9 2.9 3.9 4.9 2.9 6.9 INFO=K indicates that the K-th diagonal element became  $\emptyset.\emptyset$ . This does not cause the routine to return, but indicates that a divide by  $\emptyset$  occurs if the matrix-solving routine SGESL is called with this output. If more that one diagonal element becomes  $\emptyset.\emptyset$ , then INFO is set to the last one to do so.

The original input matrix A is overwritten by the factored matrix.

For further information, see the LINPACK routine by the same name. Dongarra, J.J., Bunch, J.R., Moler, C.B., and Stewart, G.W. LINPACK User's Guide. Society for Industrial and Applied Mathematics, Philadelphia, Pa., 1979 Pa., 1979.

### EXAMPLE:

INPUT:

1.00	-1.00	-1.ØØ	1.ØØ	1.00	1.00	1.00	9.99
-2.00	Ø.ØØ	1.00	-1.00	-1.00	-1.00	1.00	9.99
1.00	-1.00	ø.øø	1.ØØ	1.00	1.00	1.00	9.99
1.00	1.00	1.00	ø.øø	1.00	1.00	-1.ØØ	9.99
-1.00	1.00	-1.00	-2.00	ø.øø	1.00	1.00	9.99
1.00	-1.00	1.00	1.00	-1.00	Ø.ØØ	1.00	9.99
ø.øø	1.00	1.00	-1.00	1.00	1.00	ø.øø	9.99
9.99	9.99	9.99	9.99	9.99	9.99	9.99	9.99

LDA = 8

OUTPUT:

Output matrix A:

Let the input matrix A be:

-2.00	Ø.ØØ	1.00	-1.00	-1.00	-1.00	1.00	9.99
Ø.5Ø	-1.00	-Ø.5Ø	Ø.5Ø	Ø.5Ø	Ø.5Ø	1.5Ø	9.99
Ø.5Ø	-1.00	-2.00	-1.ØØ	1.00	2.ØØ	2.00	9.99
Ø.5Ø	1.00	Ø.5Ø	-1.00	-1.00	1.00	2.00	9.99
-ø.5ø	1.00	Ø.5Ø	-Ø.5Ø	2.5Ø	1.25	Ø.5Ø	9.99
Ø.5Ø	-1.00	1.00	-Ø.5Ø	-Ø.8Ø	Ø.5Ø	Ø.6Ø	9.99
Ø.ØØ	1.00	Ø.25	-Ø.75	-Ø.4Ø	ø.øø	-Ø.2Ø	9.99
9.99	9.99	9.99	9.99	9.99	9.99	9.99	9.99
IPVT	= 2 2 5	676	7				
INFO	= Ø						

In terms of the input parameters, the computation performed by PTSLVK can be described by the following equation, where V(I,J) represents element I in the J-th vector memory:

```
where s = +1.\emptyset (when IFUN = \emptyset)
= -1.\emptyset (when IFUN <> \emptyset)
and Q = 1.\emptyset (if IUD = \emptyset)
= T(I*(IEND-IBEG)+1) (if IUD <> \emptyset)
```

J ranges from 1 to the number of vectors available. For example, with N MAX modules, 8\*N+4 values of V(IEND,J) would be computed on each call to PTSLVK.

#### Implementation note:

When the user's data structure is in the form of a 2-D FORTRAN array, the higher level routine PTSOLV should be called to solve for the entire solution matrix X with a single call. PTSLVK may also be called directly by the user to handle matrix data structures that are not in this form.

Summary of error conditions:

IERR =  $\tilde{a}$  Normal return.

- IERR = 1 Insufficient MAX vector memories and TMRAM to hold the number of vectors designated by NV. Each MAX module can hold eight vectors. TMRAM can hold four vectors.
- IERR = 2 Invalid vector specification. (IEND-IBEG) must be greater than or equal to zero, and less than 2048.
- IERR = 3 IBEG or IEND M is less than or equal to zero. Both of these parameters must be positive.
- IERR = 4 Insufficient TMRAM space available. There must be enough TMRAM available to hold 4\*(IEND-IBEG+1) + 17 words, starting at the TMRAM workspace base address, ITMA. Although PTSLVK does not load TMRAM, it does check for consistency between IEND, IBEG, and ITMA.

TM(24559):	MAX
•	Configuration
TM(24575):	Table

Given the following input parameters to PTSLVK:

I	=	1	
IBEG	=	1	
IEND	=	4	
NV	=	14	
IUD	=	1	
IFUN	=	1	
ITMA	= ;	8192	

 $T = 1.0 \ 1.0 \ 1.0 \ -1.0$ 

Upon RETURN from PTSLVK, the changed vector memories and their values would be:

Element Number 4

.

# MAX module #1

Vector	memory	A:	6.2	
		B:	8.2	
		C:	1Ø.2	
		D:	12.2	
		E:	14.2	
		F:	16.2	
		G:	18.2	
		H:	20.2	

MAX module #2

			Element	Number	4
Vector	memory	A:	20	.2	
		в:	22	.2	
		C:	24	. 2	
		D:	26	.2	

,

# TMRAM

TM (82Ø4): 2.2 TM (82Ø5): 4.2 DESCRIPTION: PTSOLV should be used to solve for the unknown matrix X in the matrix equations TX = B or XT = B (where T is upper or lower triangular), whenever the matrices are in the form of a 2-D FORTRAN array. For other data structures, routine PTSLVK can be used in conjunction with PLOADD and PUNLDD.

The matrix B is first loaded into the MAX and TMRAM vector memories, and is overwritten and reused as the forward elimination or back substitution process continues (termed growing the solution matrix).

In terms of the input parameters, the computation performed by PTSOLV can be described by the equations below, which applies to solving TX = B when T is lower triangular. V(I,J) represents element I in the J-th vector memory. Also, T(I,I) has been reciprocated when IUD<> $\emptyset$ .

V(I,J) = [V(I,J) +s\*T(I,1)\*V(1,J) + s\*T(I,2)\*V(2,J) + ... +s\*T(I,I-1)\*V(I-1,J) ] \* Q s = +1.0(when IFUN =  $\emptyset$ ) where = -1.0(when IFUN  $\langle \rangle$ Ø) Q = 1and (if IUD =  $\emptyset$ ) = T(I,I)(if IUD  $\iff \emptyset$ ) I = 1, 2, ..., Nand J = 1, 2, ..., (8\*NMAXM+4),

where NMAXM = number of MAX modules available. When the solution is completed, matrix V is copied from MAX and TMRAM memory to the solution matrix X.

Summary of error conditions:

IERR = Ø Normal return.

- IERR = 1 One or more of N, LT, LB, or LX is less than or equal to zero. Each of these parameters must be positive.
- IERR = 2 ITMA less than 8192. ITMA must be greater than or equal to 8192.
- IERR = 3 Insufficient TMRAM space available. There must be enough TMRAM available to hold 4\*N + 17 words, starting at the TMRAM workspace base address, ITMA.

### APPENDIX K

********** * * * PUNLDD * * * *	PARALLEL UNLOAD FOR PTSLVK	**************************************	* * * *
PURPOSE:	To unload a set of vectors from TMRAM and vector memories after calls to PTSLVK.	the MAX	
CALL FORMAT:	CALL PUNLDD (A, I, J, N, M, ITMA, ISTART,	IERR)	
PARAMETERS:	<ul> <li>A = Floating-point output matrix into TMRAM and the MAX vector memories</li> <li>I = Integer input element stride for</li> <li>J = Integer input element stride betweetors in A.</li> <li>N = Integer input number of elements</li> <li>M = Integer input number of vectors to</li> <li>ITMA = Integer input base address of the workspace.</li> <li>ISTART = Integer input starting index into workspace and the MAX vector memo loading vectors. The first locat TMRAM workspace and the MAX vecto an index value equal to one.</li> <li>IERR = Integer output error flag. See "Error Conditions" below.</li> </ul>	which are unload vectors in een per vector. o unload. TMRAM the TMRAM ries to beg ion of the r memories Summary of	ded. A. gin has
DESCRIPTION:	This routine performs the reverse of routin unloading the vectors contained in TMRAM as vector memories into A. Vectors are unload constraints that TMRAM is unloaded first,	ne PLOADD, nd the MAX ded with th and the MAX	ne K

table in the high end of TMRAM.

Summary of Error Conditions:

IERR =  $\emptyset$  Normal return.

IERR = 1 Insufficient TMRAM and MAX vector memories to hold the number of vectors designated by M. Each MAX module can hold eight vectors. TMRAM can hold four vectors.

is unloaded with multiples of four vectors. PUNLDD assumes that PLOADD has set up the MAX configuration

- IERR = 2 Vector length too large. N+ISTART-1 must be less than or equal to 2047.
- IERR = 3 One or more of ISTART, N, or M is less than or equal to zero. Each of these parameters must be positive.
|            | xx.x |               |
|------------|------|---------------|
|            | 1.2  |               |
|            | 2.2  |               |
| •          | xx.x |               |
| •          | xx.x |               |
| •          | 1.3  |               |
|            | 2.3  |               |
|            | xx.x |               |
|            | xx.x |               |
|            | 1.4  |               |
| TM (82Ø5): | 2.4  |               |
| TM (82Ø6): | xx.x |               |
| •          |      |               |
| •          |      |               |
| •          |      |               |
| TM(24558): | xx.x |               |
| TM(24559): |      | MAX           |
| •          |      | <b>_</b>      |
| •          |      | Configuration |
| •          |      |               |
| TM(24575): |      | Table         |

Given the following input parameters to PUNLDD:

N 4 = М 14 = Ι Ξ 14 J 3 1 = 8192 ITMA ISTART = 1

Upon RETURN from PUNLDD, Main Memory contains:

A = 1.1 1.2 1.3 1.42.1 2.2 2.3 2.4 3.1 3.2 3.3 3.4 4.1 4.2 4.3 4.4 5.1 5.2 5.3 5.4 6.1 6.2 6.3 6.4 7.1 7.2 7.3 7.4 8.1 8.2 8.3 8.4 9.1 9.2 9.3 9.4 10.1 10.2 10.3 10.4 11.1 11.2 11.3 11.4 12.1 12.2 12.3 12.4 13.1 13.2 13.3 13.4 14.1 14.2 14.3 14.4

Note that in this example, A is a two-dimensional array whose elements are stored in column major order.

- IERR = 1 Insufficient MAX vector memories and TMRAM to hold the number of vectors designated by M. Each MAX module can hold four vectors. TMRAM can hold one vector.
- IERR = 2 Vector length too large. N+ISTART-1
  must be less than or equal to 2047.
- IERR = 3 One or more of ISTART, N, or M is less than or equal to zero. Each of these parameters must be positive.
- IERR = 4 Insufficient TMRAM space available. There must be enough TMRAM available to hold 2\*(N+ISTART-1) + 17 words, starting at the TMRAM workspace base address, ITMA. Although PUNLDV does not load TMRAM, it does check for consistency between N, ISTART, and ITMA.
- IERR = 5 ITMA less than 8192. ITMA must be greater than or equal to 8192.
- EXAMPLE: Given a system with two available MAX modules and 16K TMRAM that contains the following:

MAX module #1

	Vect	or	memor	сy	A:	ø.	9	Ø.8	é	1.7	Ø.6
					B:	1.8	8	1.6	1	4	1.2
					C:	2.	7	2.4	2	.1	1.8
					D:	3.0	6	3.2	2	. 8	2.4
MAX	modu	le	<u>#2</u>								
	Vect	or	memo	сy	A:	4.	5	4.Ø	3	8.5	3.Ø
					B:	5.	4	4.8	4	.2	3.6
TMRA	<u>M</u>										
	TM (	819	2):	ø.	ø						
	TM (	819	3):	ø.	ø						
	TM (	819	4):	ø.	ø	]	Fir	st			
	TM (	819	95):	ø.	ø						
	TM (	819	6):	x.	x		IMR	AM			
		•									
		•				]	Reg	ion			
		•									
	TM(1	637	74):	x.	x						

******	****	****
* *	*	*
* PVMSA *	PARALLEL VMSA * PVMS	5A *
* *	*	*
********	*****	****
DUDDOGE.	The compute the method multiply and conlar add (M	(5)) of
PURPUSE:	a single vector with a set of vectors residing in TMRAM and the MAX vector memories.	13A) OL 1
CALL FORMAT:	CALL PVMSA(B, K, S, J, N, M, IBANK, ITMA, ISTART, IFUN, IERR)	,
PARAMETERS:	<pre>B = Floating-point input vector. K = Integer input element stride for B. S = Floating-point input array of scalars. J = Integer input element stride for S. N = Integer input number of elements per vec M = Integer input number of VMSA's to perfor IBANK = Integer input TMRAM region and bank of M vector memories containing the input set vectors. Integer output TMRAM region ar bank of MAX vector memories containing to output set of vectors. IBANK = Ø: Reference the first TMRAM region and MAX vector memories A,B,C,D. IBANK &lt;&gt; Ø: Reference the second TMRAM region and MAX vector memories</pre>	tor. m. MAX of d the
	E,F,G,H. ITMA = Integer input TMRAM workspace base addre from the most recent call to PLOADV. ISTART = Integer input starting index into the TMRAM region and the MAX vector memories to begin accessing/storing vector element	255
	<pre>The first location of the TMRAM region a the MAX vector memories has an index of IFUN = Integer input addition/subtraction flag. IFUN = Ø: Use addition. IFUN &lt;&gt; Ø: Use subtraction. IERR = Integer output error flag.</pre>	one.
DESCRIPTION:	PVMSA computes the M VMSA's of the vector B with the set of M vectors residing in TMRAM and the MA vector memories, using the elements of S as the M scalar values. The results are stored in the other region of TMRAM and bank of MAX vector memories as indicated by toggling the value of	4X 1

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IBANK.

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EXAMPLE: Given a system with two available MAX modules and 16K TMRAM that contains the following:

MAX module #1

memory	E:	3.1	3.2	3.3	3.4
•	F:	5.1	5.2	5.3	5.4
	G:	7.1	7.2	7.3	7.4
	H:	9.1	9.2	9.3	9.4
	memory	memory E: F: G: H:	memory E: 3.1 F: 5.1 G: 7.1 H: 9.1	memory E: 3.1 3.2 F: 5.1 5.2 G: 7.1 7.2 H: 9.1 9.2	memory E: 3.1 3.2 3.3 F: 5.1 5.2 5.3 G: 7.1 7.2 7.3 H: 9.1 9.2 9.3

MAX module #2

Vector memory E: 11.1 11.2 11.3 11.4 F: 13.1 13.2 13.3 13.4

TMRAM

TM (8192):	x.x	First
•		TMRAM
TM(16374):	x.x	Region
TM(16375):	1.1	
TM(16376):	1.2	
TM(16377):	1.3	Second
TM(16378):	1.4	
TM(16379):	x.x	TMRAM
•		
•		Region
•		
TM(24558):	x.x	
TM(24559):		MAX
•		
•		Configuration
•		
TM(24575):		Table

Given the following input parameters to PVMSA:

B = -1.1 -1.2 -1.3 -1.4 K = 1 S = 1.0 2.0 3.0 4.0 5.0 6.07.0

# APPENDIX K

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TM(24559):	MAX
•	Configuration
TM(24575):	Table

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```
IF(IBANK .EQ. \emptyset) IBANK = 1
    ELSE IBANK = \emptyset
    V(ISTART+i,j) = W(ISTART+i,j) +s*B(i+1)*S(j);
                     i = \emptyset, N-1;
                     j = 1, M
where
    s = 1.0 if IFUN = 0
    s = -1.\emptyset if IFUN \iff \emptyset
and W(*,1:M) are the input set of vectors and
V(*,1:M) are the output set of vectors.
PUNLDV is called by the user to retrieve the
resulting vectors V(*,1:M), when appropriate.
Summary of error conditions:
    IERR = \emptyset
                 Normal return.
    IERR = 1
                 Insufficient MAX vector memories and
                 TMRAM to hold the number of vectors
                 designated by M. Each MAX module can
                 hold four vectors. TMRAM can hold one
                 vector.
                 Vector length too large. N+ISTART-1
    IERR = 2
                 must be less than or equal to 2Ø47.
    IERR = 3
                 One or more of ISTART, N, or M is less
                 than or equal to zero. Each of these
                 parameters must be positive.
    IERR = 4
                 Insufficient TMRAM space available.
                 There must be enough TMRAM available
                 to hold 2*(N+ISTART-1) + 17 words,
                  starting at the TMRAM workspace base
                 address, ITMA. Although PVSMA does not
                  load TMRAM, it does check for
                 consistency between N, ISTART, and ITMA.
    IERR = 5
                 ITMA less than 8192. ITMA must be
                 greater than or equal to 8192.
```

J	=	1
N	=	4
M	=	7
IBANK	=	1
ITMA	=	8192
ISTART	=	1
IFUN	=	ø

Upon RETURN from PVSMA, IBANK is equal to zero, and the MAX modules and TMRAM contain:

# MAX module #1

Vector	memory	A: B: C: D:	Ø.9 1.8 2.7 3.6	Ø.8 1.6 2.4 3.2	Ø.7 1.4 2.1 2.8	Ø.6 1.2 1.8 2.4
		E: F: G: H:	3.1 5.1 7.1 9.1	3.2 5.2 7.2 9.2	3.3 5.3 7.3 9.3	3.4 5.4 7.4 9.4

# MAX module #2

Vector	memory	A: B:	4.5 5.4	4.Ø 4.8	3.5 4.2	3.Ø 3.6
		E: F:	11.1 13.1	11.2 13.2	11.3 13.3	11.4 13.4

## TMRAM

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#### K.4 MATRIX ORIENTED MAX ROUTINES

The Matrix Oriented MAX routines emphasize matrix processing and provide for expanded utilization of the MAX system.

## K.4.1 Overview

The Matrix Oriented MAX routines were written to enhance the basic functionality of the MAX modules. These routines are more flexible than the Basic MAX routines in terms of data management in the MAX system. They are also more efficient in performing matrix-matrix operations, particularly for small matrices.

There are two major differences between the Matrix Oriented MAX routines and the Basic MAX routines, resulting in increased performance and improved user interfaces. First, the Matrix Oriented MAX routines accept submatrices as input. Second, they present a familiar, consistent model of the MAX vector memories.

A minor difference between the Basic MAX routines and the Matrix Oriented MAX routines is that the Matrix Oriented MAX routines check for the correct number of parameters and exit with no action if the check fails. If the parameter check succeeds, the IERR flag will be set to a code upon exit from the routine. An incorrect number of parameters can be detected by setting IERR to an unused error code, e.g., 999, before calling a Matrix Oriented MAX routine. If IERR is unchanged when the routine exits, then there are an incorrect number of parameters.

The configuration table used by the Matrix Oriented MAX routines is used to reference the available MAX modules. Because the Matrix Oriented MAX routines permit operations with individual vector memories, the configuration table is more extensive than the one used by the Basic MAX routines. The table is always placed into the 254 highest addressable locations in TMRAM regardless of the base address of the TMRAM workspace. Hence, for 16K TMRAM systems, the table will be situated in locations 24322-24575. Similarly, for 32K TMRAM systems, the table will be situated in locations 40706-40959. The rest of the TMRAM workspace is used to store input/output vectors.

### K.4.1.1 Submatrix Input

All floating-point data passed to the Matrix Oriented MAX routines can be organized as submatrices. This results in improved performance for small matrices. With a single call to a Matrix Oriented MAX routine, computations can be performed on an entire submatrix.

Each submatrix is defined by a starting element, an intra-vector element stride, an inter-vector element stride, the number of elements per vector, and the number of vectors. A single vector is a degenerate case of a submatrix, where the number of vectors is one. A single element is also a degenerate submatrix, where both the number of If VECMEM is interpreted as a matrix of column vectors, then IVM is the starting row, IVN is the starting column, NEV is the number of rows, and NVB is the number of columns as shown in Figure K-2.



Figure K-2 MAX Vector Memory Submatrix

There are several advantages to using this model with the Matrix Oriented MAX routines.

- The user is insulated from the hardware details of the machine and can use familiar concepts to visualize the operations; thus the routines are easy to use.
- All the routines permit operations with a single element, a single vector, or a submatrix in the vector memories; thus they are general.
- In most cases, results from one routine can be used as input to another routine without moving data in the vector memories; thus the data management is consistent.

## K.4.2.1 Real Vector Mapping

A set of real vectors is mapped one-to-one to the vector memories. The first four vectors are mapped to the A, B, C, D vector memories of the lowest addressed MAX module. The second four vectors are mapped to the A, B, C, D vector memories of the next lowest addressed MAX module and so on, until there are no more available MAX modules. The next two vectors are mapped to the A and B vector memories simulated in TMRAM. The next four vectors are mapped to the E, F, G, H vector memories of the lowest addressed MAX module. The next four vectors are mapped to the E, F, G, H vector memories of the S, F, G, H vector memories of the lowest addressed MAX module. The next lowest addressed MAX module and so on, until as before, there are no more available MAX modules. The last two vectors are mapped to the C and D vector memories simulated in TMRAM.

The vector memories simulated in TMRAM begin at the address ITMA, and are interleaved as shown in Figure K-3.

\_\_\_\_

TMRAM	Address
++	
A(1)	ITMA
B(1)	ITMA+1
C(1)	ITMA+2
D(1)	ITMA+3
A(2)	ITMA+4
B(2)	ITMA+5
C(2)	ITMA+6
D(2)	ITMA+7
•	•
•	•
	_

### Figure K-3 TMRAM Simulated Vector Memories

### K.4.2.2 Complex Vector Mapping

Mapping a set of complex vectors to the MAX vector memories is similar to the real vector mapping, except that a pair of vector memories is needed for each complex vector. The real part of each complex vector is mapped to the first vector memory of a pair. The imaginary part of a complex vector is mapped to the second vector memory of a pair.

The first two vectors in the set are mapped to the A, B, C, D vector memories of the lowest addressed MAX module. The second two vectors are mapped to the A, B, C, D vector memories of the next lowest addressed MAX module, and so on, until there are no more available MAX modules. The next vector is mapped to the A and B vector memories simulated in TMRAM. The next two vectors are mapped to the E, F, G, H vector memories of the lowest addressed MAX module. The next two vectors are mapped to the E, F, G, H vector memories of the next lowest addressed MAX module, and so on, until as before, there are no more available MAX modules. The last vector is mapped to the C and D vector memories simulated in TMRAM.

#### K.4.3 Examples

The following examples all involve real data. The applicable complex counterparts are similar. The major difference between the complex cases and the real is that the complex case has one-half the available vector memories as the real case.

Assume for the purpose of these examples that:

• There is one available MAX module. From Section K.2, the number of vector memories is given by

NVEC =  $8 \times 1 + 4 = 12$ 

As in Section K.4.1.2, the vector memories will be modeled as a matrix of column vectors represented by a FORTRAN matrix VECMEM declared as follows:

REAL VECMEM(2048, NVEC)

Note again that VECMEM is never actually declared in any of the code and is used solely to model operations performed with the MAX vector memories.

• The matrix B, denoted by [B], is declared as

REAL B (3, 4)

and is initialized as follows:

B:	1.1	1.2	1.3	1.4
	2.1	2.2	2.3	2.4
	3.1	3.2	3.3	3.4

• The matrix A, denoted by [A], is declared as

REAL A (2, 3)

and is initialized as follows:

A: 11.1 11.2 11.3 12.1 12.2 12.3

• The matrix C, denoted by [C], is declared as

REAL C (2, 4)

The examples in Sections K.4.3.1 through K.4.3.6 illustrate how various data structures can be moved to and from the MAX vector memories. The examples in Sections K.4.3.7 and K.4.3.8 illustrate how dot products can be performed between various data structures. The examples in Sections K.4.3.9 and K.4.3.1Ø illustrate how VSMA's can be performed between various data structures.

#### K.4.3.1 Matrix Load

[B] can be loaded into the vector memories by a single call to MLOAD. If input parameters to MLOAD are set up as follows:

IBE = 1 IBV = 3 IVM = 1 IVN = 1 NEV = 3 NVB = 4 ITMA = 8192

then the sequence

IERR = 999 CALL MLOAD (B, IBE, IBV, IVM, IVN, NEV, NVB, ITMA, IERR) IF (IERR .NE. Ø) THEN WRITE (6, 1ØØØ) IERR 1ØØØ FORMAT (1x, 'MLOAD ERROR = ',I4) ENDIF

will load [B] by columns into the vector starting at the first row and first column of VECMEM, and will also check to make sure that MLOAD did not detect an error. After this sequence the vector memories will contain the following:

MAX vector memories (VECMEM):

| 1.1 | 1.2 | 1.3 | 1.4 | x.x |
|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|
| 2.1 | 2.2 | 2.3 | 2.4 | x.x |
| 3.1 | 3.2 | 3.3 | 3.4 | x.x |
| x.x |
| x.x |
| x.x |
•	•	•	•	•	•	•	•	•	•	•	•
•	•	•	•	•	•	•	•	•	•	•	•
•	•	•	•	•	•	•	•	•	•	•	•
x.x											

### K.4.3.3 Single Column Load

A single column of [B] can be loaded into a vector memory by a single call to MLOAD. To load column 2 into vector memory 3, the parameters are set up as follows:

IBE = 1 IBV = 3 IVM = 1 IVN = 3 NEV = 3 NVB = 1 ITMA = 8192

The sequence

IERR = 999 CALL MLOAD (B(1,2), IBE, IBV, IVM, IVN, NEV, NVB, ITMA, IERR) IF (IERR .NE. Ø) THEN WRITE (6, 1ØØØ) IERR 1ØØØ FORMAT (1X, 'MLOAD ERROR = ',I4) ENDIF

leaves the vector memories as follows:

MAX vector memories (VECMEM):

x.x x.x 1.2 x.x 3.2 x.x x.x x.x x.x x.x x.x x.x x.x x.x • • • . • • • • • • • • • . . • . . • . . . • . . . 

## K.4.3.5 Single Element Load

A single element of [B] can be loaded into an element of a vector memory by a call to MLOAD. To load B(1,2) into the vector memories at row 4 and column 3, the parameters are set up as follows: IBE = 1 IBV = 1 = 4 IVM = 3 IVN NEV = 1 NVB = 1 ITMA = 8192The sequence IERR = 999CALL MLOAD (B(1,2), IBE, IBV, IVM, IVN, NEV, NVB, ITMA, IERR) IF (IERR .NE. Ø) THEN WRITE (6, 1000) IERR 1000 FORMAT (1X, 'MLOAD ERROR = ', I4)ENDIF leaves the vector memories as follows: MAX vector memories (VECMEM): x.x x.x 1.2 x.x x.x x.x x.x x.x x.x x.x x.x x.x • • . • • • • • . • • . • • • • • • • ٠ • • • • . • • • • . . 

K.4.3.7 Matrix Multiplication: [A]\*[B] (Dot Products)

To illustrate the flexibility of the Matrix Oriented MAX routines, two examples of matrix multiplication using dot product operations are given below.

Matrix multiplication using dot products can be performed using the MAX in two different ways: either load [B] into the vector memories or load [A] into the vector memories. The preferred method depends on the dimensions of the matrices.

The matrix loaded should maximize three parameters: reuse, vector length, and fit. Reuse is the number of times each element of data loaded into a vector memory is used in subsequent computations. Vector length is the number of elements used per vector operation. Fit is a measure of the average number of vector memories used per vector operation.

Note that by setting the strides and counts appropriately,  $[A]T^*[B]$  or  $[A]^*[B]T$  or  $[A]T^*[B]T$  can also be performed.

The first example loads columns of [B] into the vector memories. The sequence

	IBE = 1
	IBV = 3
	IVM = 1
	IVN = 1
	NEV = 3
	NVB = 4
	ITMA = 8192
	IERR = 999
	CALL MLOAD (B, IBE, IBV, IVM, IVN, NEV, NVB, ITMA, IERR)
	IF (IERR .NE. Ø) THEN
	WRITE (6,1000) IERR
1000	FORMAT $(1X, 'MLOAD ERROR = ', 14)$
	ELSE
	IAE = 2
	IAV = 1
	ICE = 2
	ICV = 1
	NVA = 2
	IFUN = $\emptyset$
	IERR = 999
	CALL MDOT (A, IAE, IAV, IVM, IVN, C, ICE, ICV,
	NEV, NVA, NVB, IFUN, IERR)
	IF (IERR .NE. Ø) THEN
	WRITE (6,1001) IERR
1001	FORMAT $(1X, 'MDOT ERROR = ', 14)$
	ENDIF
	ENDIF

## K.4.3.8 Vector Dot Product

By restricting the vector count of one of the matrices to one, the dot products between that vector and the other matrix can be calculated. This mode of operation is similar to the functionality of the Basic MAX routines. This example performs the dot products between the second row of [A] and all the columns of [B]. Note that by simply changing the element strides for [A], a column of [A] could be used instead. The sequence

	IBE = 1
	IBV = 3
	IVM = 1
	IVN = 1
	NEV = 3
	NVB = 4
	ITMA = 8192
	IERR = 999
	CALL MLOAD (B, IBE, IBV, IVM, IVN, NEV, NVB, ITMA, IERR)
	IF (IERR .NE. Ø) THEN
	WRITE (6,1000) IERR
1ØØØ	FORMAT $(1X, 'MLOAD ERROR = ', 14)$
	ELSE
	IAE = 2
	IAV = 1
	ICE = 2
	ICV = 1
	NVA = 1
	$IFUN = \emptyset$
	IERR = 999
	CALL MDOT (A(2,1), IAE, IAV, IVM, IVN, C, ICE, ICV,
	NEV, NVA, NVB, IFUN, IERR)
	IF (IERR .NE. $\emptyset$ ) THEN
	WRITE (6,1ØØ1) IERR
1001	FORMAT $(1X, 'MDOT ERROR = ', I4)$
	ENDIF
	ENDIF

writes the results into [C] as follows:

C: 77.Ø6 8Ø.72 84.38 88.Ø4 x.x x.x x.x x.x The first example clears the appropriate submatrix of the vector memories, uses [B] as the scalars, and columns of [A] as the vectors for VSMA operations.

The sequence

```
IVM
          = 1
      IVN
          = 1
      NEV = 2
      NVB = 4
      ITMA = 8192
      IERR = 999
      CALL MLOAD (Ø.Ø, Ø, Ø, IVM, IVN, NEV, NVB, ITMA, IERR)
      IF (IERR .NE. Ø) THEN
         WRITE (6,1000) IERR
1000
         FORMAT (1X, 'MLOAD ERROR = ', I4)
      ELSE
         IAE = 1
         IAV = 2
         IBE = 3
         IBV = 1
         NVA = 3
         IFUN = \emptyset
         IERR = 999
         CALL MVSMA (A, IAE, IAV, IVM, IVN, B, IBE, IBV,
                   NEV, NVA, NVB, IFUN, IERR)
         IF (IERR .NE. Ø) THEN
            WRITE (6,1001) IERR
 1001
            FORMAT (1X, 'MVSMA ERROR = ', I4)
         ELSE
            ICE =
                     1
            ICV =
                     2
            IERR = 999
            CALL MUNLD (IVM, IVN, C, ICE, ICV, NEV, NVB, IERR)
            IF (IERR .NE. Ø) THEN
               WRITE (6,1002) IERR
 1002
               FORMAT (1X, 'MUNLD ERROR = ', I4)
            ENDIF
         ENDIF
      ENDIF
```

writes the results into [C] as follows:

C: 7Ø.76 74.12 77.48 8Ø.84 77.Ø6 8Ø.72 84.38 88.Ø4

Notice the call to MVSMA changes the value of IVN, meaning that the column of VECMEM containing the results is not the same as the column of VECMEM containing the inputs. Since MUNLD can unload from any column, it receives the modified IVN value for copying results out to C.

#### K.4.3.10 Vector VSMA's

Just as the dot product routines can be used to compute vector-matrix dot products, the VSMA/VMSA routines can also be used to compute VSMA/VMSA vector-matrix operations. This example uses the second column of [A] as the scalars, the third row of [B] as the vector, and [C] as the matrix. Assume that [C] is initialized as follows:

> C: 5.1 5.2 5.3 5.4 6.1 6.2 6.3 6.4

The sequence

```
ICE = 1
         ICV = 2
         IVM = 1
         IVN = 1
         NEV = 2
         NVB = 4
         ITMA = 8192
         IERR = 999
         CALL MLOAD (C, ICE, ICV, IVM, IVN, NEV, NVB, ITMA, IERR)
         IF (IERR .NE. \emptyset) THEN
            WRITE (6,1000) IERR
    1000
            FORMAT (1X, 'MLOAD ERROR = ', I4)
         ELSE
            IAE = 1
            IAV = 2
            IBE = 3
            IBV = 1
            NVA = 1
            IFUN = \emptyset
            IERR = 999
            CALL MVSMA (A(1,2), IAE, IAV, IVM, IVN, B(3,1), IBE, IBV,
                      NEV, NVA, NVB, IFUN, IERR)
            IF (IERR .NE. Ø) THEN
               WRITE (6,1001) IERR
    1001
               FORMAT (1X, 'MVSMA ERROR = ', I4)
            ELSE
               IERR = 999
               CALL MUNLD (IVM, IVN, C, ICE, ICV, NEV, NVB, IERR)
               IF (IERR .NE. Ø) THEN
                  WRITE (6,1002) IERR
    1002
                  FORMAT (1X, 'MUNLD ERROR = ', I4)
               ENDIF
            ENDIF
         ENDIF
writes the results into [C] as follows:
         C: 39.82 41.04 42.26 43.48
             43.92 45.24 46.56 47.88
```

MATRIX ORIENTED MAX ROUTINES

•

•

associated with A and B. The operation of CMDOT can be conveniently described if the set of MAX vector memories is considered to be a complex matrix VECMEM, and A and C are also considered to be complex matrices. Using this matrix convention, CMDOT performs the matrix multiplication

C = q \* C + r \* A \* VECMEM

where IAE, IAV, IVM, IVN, ICE, ICV, NEV, NVA, and NVB allow the user to select subsets of A, VECMEM, and C as appropriate.

To illustrate the flexibility of the data structures that can be associated with the data, suppose A and C are one-dimensional complex arrays, and that VECMEM is a complex matrix VECMEM(2Ø48,4\*NMAX+2) where NMAX is the number of available MAX modules. In this case, the computations performed by CMDOT can be described in FORTRAN by:

```
DO 3\emptyset i = 1, NVA

DO 2\emptyset j = 1, NVB

TEMP = CMPLX(\emptyset.\emptyset,\emptyset.\emptyset)

DO 1\emptyset k = 1, NEV

TEMP = TEMP + r * A((i-1)*IAV+(k-1)*IAE+1) *

+ VECMEM(IVM+k-1,IVN+j-1)

1\emptyset CONTINUE

C((i-1)*ICE+(j-1)*ICV+1) = TEMP +

+ q * C((i-1)*ICE+(j-1)*ICV+1)

2\emptyset CONTINUE

3\emptyset CONTINUE
```

Care should be taken if A and C overlap. There are no checks that ensure the integrity of A is maintained, so values of A could be overwritten before they are used in subsequent calculations.

Summary of error conditions:

IERR	= -	-3	NVA $\leq \emptyset$ .
IERR	= -	-2	NVB $\leq \emptyset$ .
IERR	= -	-1	NEV <= $\emptyset$ . C is cleared when IFUN = $\emptyset$ or IFUN = 1.
IERR	=	ø	No error occurred. Normal completion.
IERR	=	1	No TMRAM on the system.
IERR	=	4	IVM <= Ø.
IERR	=	5	IVM + NEV - 1 greater than 2047.

```
IVM = 3
IVN = 2
NVB = 5
Input C:
  (1.0, 1.0)
  (2.0, 2.0)
  (3.0, 3.0)
  (4.0, 4.0)
  (5.0, 5.0)
  (1.0, 1.0)
  (1.0, 1.0)
  (2.0, 2.0)
  (3.0, 3.0)
  (4.0, 4.0)
  (1.0, 1.0)
  (1.0, 1.0)
  (1.0, 1.0)
  (2.0, 2.0)
  (3.Ø,3.Ø)
ICE = 2
ICV = 1\emptyset
NEV =
            4
                          .
IFUN =
            3
IERR = 999
Upon return from CMDOT, C contains:
  (5.\emptyset, -23.\emptyset)
  (7.\emptyset, -25.\emptyset)
  (10.0, -32.0)
  (14.Ø, -46.Ø)
  (19.\emptyset, -69.\emptyset)
  (5.\emptyset, -39.\emptyset)
  (6.\emptyset, -46.\emptyset)
  (9.\emptyset, -61.\emptyset)
  (13.Ø, -87.Ø)
  (18.0, -126.0)
  (5.\emptyset, -55.\emptyset)
  (6.\emptyset, -66.\emptyset)
  ( 8.Ø, -9Ø.Ø)
  (12.0, -128.0)
  (17.\emptyset, -183.\emptyset)
```

 $IERR = \emptyset$ 

```
To illustrate the flexibility of the data structures
that can be associated with the data, suppose B is
a one-dimensional complex array, and that VECMEM is
a complex matrix VECMEM(2048,4*NMAX+2) where NMAX is
the number of available MAX modules. In this case,
the operations performed by CMLOAD can be described
in FORTRAN by:
   DO 2\emptyset i = 1, NVB
     DO 1\emptyset j = 1, NEV
       VECMEM(IVM+j-1,IVN+i-1) = B((i-1)*IBV+(j-1)*IBE+1)
1Ø
     CONTINUE
2Ø CONTINUE
Summary of error conditions:
    IERR = -2
                NVB \leq \emptyset.
    IERR = -1
                NEV \leq \emptyset.
    IERR = \emptyset No error occurred. Normal completion.
    IERR = 1
                No TMRAM on the system.
    IERR = 2
                 ITMA <= 8191.
    IERR = 3
                 ITMA > LASTTM-8192-254-4*(IVM+NEV-1)
                 where LASTTM is the highest valid TMRAM
                 address. Refer to Section K.2.
                IVM \leq \emptyset.
    IERR = 4
    IERR = 5
                IVM + NEV - 1 greater than 2\emptyset 48.
    IERR = 6 IVN <= \emptyset.
    IERR = 7
                 IVN + NVB - 1 greater than NMAX*4 + 2
                 where NMAX is the number of available
                 MAX modules. Refer to Section K.2.
If there are too many or too few formal parameters, then
```

For more information on the Matrix Oriented MAX routines, refer to Section K.4.

IERR is left unchanged.

********		*********
* CMUNLD *  * *  ****	COMPLEX MATRIX UNLOAD	* CMUNLD * * * ******
PURPOSE:	To unload a matrix of complex vectors from the memories into Main Memory.	e MAX vector
CALL FORMAT:	CALL CMUNLD (IVM, IVN, B, IBE, IBV, NEV, NVB,	IERR)
PARAMETERS:	<pre>IVM = Integer input starting element in the vector memories. IVN = Integer input starting vector in the M vector memories. B = Floating-point output matrix of complex vectors in Main Memory. IBE = Integer input element stride for vector IBV = Integer input element stride between vectors in B. NEV = Integer input number of complex element per vector. NVB = Integer input number of complex vector IERR = Integer input/output error flag. See DESCRIPTION for a list of error condit</pre>	MAX MAX ex ors in B. ets s. s.
DESCRIPTION:	CMUNLD unloads the NVB vectors contained in t vector memories to Main Memory defined by B, and NEV. An arbitrary data structure can be with B. The operation of CMUNLD can be conve described if the set of MAX vector memories i to be a matrix VECMEM and B is also considere matrix. Using this matrix convention, CMUNLD the matrix transfer B = VECMEM where IBE, IBV, IVM, IVN, NVB, and NEV allow select subsets of B and VECMEM as appropriate To illustrate the flexibility of the data str can be associated with the data, suppose B is dimensional array, and that VECMEM is a VECMEM(2048,8*NMAX+4) where NMAX is the available MAX modules. In this case, the ope performed by CMUNLD can be described in FORTR DO 100 j = 1, NEV B((i-1)*IBV+(j-1)*IBE+1) = VECMEM(IVM+j 100 CONTINUE 200 CONTINUE 200 CONTINUE	the MAX IBE, IBV, associated miently s considered d to be a performs the user to the user to the user to the user to the user to the user
	$RR = -2  NVB <= \emptyset.$ $RR = -1  NEV <= \emptyset.$ $RR = -1  Nev <= \emptyset.$	On .

\* CMVSMA \* ---- COMPLEX VECTOR MULTIPLY SCALAR ADD ----\* CMVSMA \* \*\*\*\*\*\*\*\* \*\*\*\*\*\*\* To perform complex vector scalar multiply add (CVSMA) PURPOSE: operations between a matrix of vectors in Main Memory, a matrix of vectors in the MAX vector memories, and a matrix of scalars in Main Memory. CALL FORMAT: CALL CMVSMA (A, IAE, IAV, IVM, IVN, C, ICE, ICV, NEV, NVA, NVB, IFUN, IERR) PARAMETERS: A = Floating-point input matrix of complex vectors in Main Memory. IAE = Integer input element stride for vectors in A. IAV = Integer input element stride between vectors in A. IVM = Integer input starting element in the MAX vector memories. IVN = Integer input/output starting vector for the input/output vectors in the MAX vector memories. С = Floating-point input matrix of scalars in Main Memory. ICE = Integer input element stride for C. ICV = Integer input element stride between vectors in C. NEV = Integer input CVSMA length. NVA = Integer input number of vectors in A to be used. NVB = Integer input number of vectors in the MAX vector memories to be used as input. Also the number of scalars per vector of C to be used. IFUN = Integer input function flag. IFUN =  $\emptyset$ : r = 1. $\emptyset$ IFUN = 1: r = -1.0Note that IFUN is a bit-mapped function flag: IFUN = 2 is equivalent to IFUN =  $\emptyset$ , IFUN = 3 is equivalent to IFUN = 1, etc. See DESCRIPTION for the usage of r. IERR = Integer input/output error flag. See DESCRIPTION for a list of error conditions. DESCRIPTION: CMVSMA performs complex VSMA operations of length NEV between the NVA vectors in Main Memory defined by A, IAE, and IAV with the NVB vectors in the MAX vector memories defined by IVM and IVN, using the elements of C in Main Memory defined by ICE and ICV as the scale factors. The output of the VSMA operations is written into the MAX vector memories. A system with NMAX available MAX modules has NVEC =  $4 \times NMAX + 2$ 

```
1Ø
                       CONTINUE
               2Ø
                     CONTINUE
               30 CONTINUE
               Summary of error conditions:
                    IERR = -3
                                NVA \leq \emptyset.
                    IERR = -2
                                  NVB \leq \emptyset.
                    IERR = -1 NEV <= \emptyset. C is cleared.
                    IERR = 1No TMRAM on the system.IERR = \emptysetNo error occurred. Normal completion.
                    IERR = 4
                                 IVM \leq \emptyset.
                    IERR = 5 IVM + NEV - 1 greater than 2\emptyset 48.
                    IERR = 6
                                   IVN \leq \emptyset.
                    IERR = 7
                                   IVN + NVB - 1 greater than NMAX*4.
               If there are too many or too few formal parameters then
               IERR is unchanged and no other action is taken.
               For more information on the Matrix Oriented MAX routines,
               refer to Section K.4.
EXAMPLE: Assume one available MAX module and that the data in
          A and C is stored in column major order (normal FORTRAN).
          Perform the complex VSMA operations of the rows of a
          submatrix of A with a subset of the MAX vector memories,
          using the scalars contained in the columns of a submatrix
          of C.
          Input matrix A:
             (1.\emptyset, 1.\emptyset) (1.\emptyset, 1.\emptyset) (1.\emptyset, 1.\emptyset) (1.\emptyset, 1.\emptyset)
             (x.x,x.x) (x.x,x.x) (x.x,x.x) (x.x,x.x)
             (2.\emptyset,2.\emptyset) (1.\emptyset,1.\emptyset) (1.\emptyset,1.\emptyset) (1.\emptyset,1.\emptyset)
             (x.x,x.x) (x.x,x.x) (x.x,x.x) (x.x,x.x)
             (x.x,x.x) (x.x,x.x) (x.x,x.x) (x.x,x.x)
             (x.x,x.x) (x.x,x.x) (x.x,x.x) (x.x,x.x)
          IAE = 12
          IAV = 4
          NVA = 2
          Input matrix C:
             (1.\emptyset, \emptyset.\emptyset) (x.x, x.x) (2.\emptyset, \emptyset.\emptyset) (x.x, x.x)
             (x.x,x.x) (x.x,x.x) (x.x,x.x) (x.x,x.x)
             (x.x,x.x) (x.x,x.x) (x.x,x.x) (x.x,x.x)
             (3.\emptyset, \emptyset.\emptyset) (x.x, x.x) (1.\emptyset, \emptyset.\emptyset) (x.x, x.x)
             (x.x,x.x) (x.x,x.x) (x.x,x.x) (x.x,x.x)
             (x.x,x.x) (x.x,x.x) (x.x,x.x) (x.x,x.x)
             (x.x,x.x) (x.x,x.x) (x.x,x.x) (x.x,x.x)
          ICE = 6
          ICV = 28
          MAX vector memories (VECMEM):
             (x.x,x.x) (x.x,x.x) (x.x,x.x) (x.x,x.x) (x.x,x.x)
             (X.X,X.X) (X.X,X.X) (X.X,X.X) (X.X,X.X) (X.X,X.X) (X.X,X.X)
             (1.0, 1.0) (2.0, 2.0) (x.x, x.x) (x.x, x.x) (x.x, x.x) (x.x, x.x)
             (1.\emptyset, 1.\emptyset) (1.\emptyset, 1.\emptyset) (x.x, x.x) (x.x, x.x) (x.x, x.x) (x.x, x.x)
             (1.0, 1.0) (1.0, 1.0) (x.x, x.x) (x.x, x.x) (x.x, x.x) (x.x, x.x)
             (1.0, 1.0) (1.0, 1.0) (x.x, x.x) (x.x, x.x) (x.x, x.x) (x.x, x.x)
             (x.x,x.x) (x.x,x.x) (x.x,x.x) (x.x,x.x) (x.x,x.x) (x.x,x.x)
```

## APPENDIX K

********		*******
* * * MDOT * * *	MATRIX DOT PRODUCT	* * * * MDOT * * *
*****		*******
PURPOSE:	To perform dot products between a matrix of ve in Main Memory and a matrix of vectors in the vector memories.	ctors MAX
CALL FORMAT:	CALL MDOT(A, IAE, IAV, IVM, IVN, C, ICE, ICV, NVA, NVB, IFUN, IERR)	NEV,
PARAMETERS:	<ul> <li>A = Floating-point input matrix of vectors Main Memory.</li> <li>IAE = Integer input element stride for vector</li> <li>IAV = Integer input element stride between vectors in A.</li> <li>IVM = Integer input starting element in the M</li> </ul>	in s in A. AX
	vector memories. IVN = Integer input starting vector in the MA vector memories.	x
	<pre>C = Floating-point output matrix of results ICE = Integer input element stride for vector ICV = Integer input element stride between vectors in C.</pre>	• s in C.
	NEV = Integer input dot product length.	
	NVA = Integer input number of vectors in A to	be used.
	NVB = Integer input number of vectors in the vector memories to be used.	MAX
	IFUN = Integer input function flag. IFUN = $\emptyset$ : r = 1. $\emptyset$ , q = $\emptyset$ . $\emptyset$ IFUN = 1: r = -1. $\emptyset$ , q = $\emptyset$ . $\emptyset$ IFUN = 2: r = 1. $\emptyset$ , q = 1. $\emptyset$ IFUN = 3: r = -1. $\emptyset$ , q = 1. $\emptyset$ Note that IFUN is a bit-mapped function IFUN = 4 is equivalent to IFUN = $\emptyset$ ; IFU is equivalent to IFUN = 1, etc. See DESCRIPTION for the usage of q and	flag: N = 5 r.
	<pre>IERR = Integer input/output error flag. See DESCRIPTION for a list of error con</pre>	ditions.
DESCRIPTION:	MDOT performs dot products of length NEV betwee NVA vectors in Main Memory defined by A, IAE, with the NVB vectors in the MAX vector memorie by IVM and IVN. The NVA*NVB results are writt locations in Main Memory defined by C, ICE, an	en the and IAV s defined en to d ICV.
	Creatifically for each weater in a MDOT	

Specifically, for each vector in A, MDOT performs the NVB dot products between that vector and the NVB vectors in the MAX vector memories, and then writes the NVB results into C. Arbitrary data structures can be IERR = 7 IVN + NVB - 1 greater than NMAX\*8 + 4
where NMAX is the number of available
MAX modules. Refer to Section K.2.

If there are too many or too few formal parameters, then IERR is left unchanged.

For more information on the Matrix Oriented MAX routines, refer to Appendix K.4.

EXAMPLE: Assume one available MAX module, that the MAX vector memories (VECMEM) have been loaded by MLOAD as indicated, and that the data in A is stored in column major order (normal FORTRAN). Multiply the transpose of a submatrix of A by a subset of the MAX vector memories, negate the result and accumulate to C.

Input matrix A:

1.Ø	x.x	x.x	3.Ø	x.x	x.x	5.Ø	x.x	x.x
x.x	x.x	x.x	x.x	x.x	x.x	x.x	x.x	x.x
2.Ø	x.x	x.x	4.Ø	x.x	x.x	6.Ø	x.x	x.x
X.X	x.x	x.x	x.x	x.x	x.x	x.x	x.x	x.x
2.Ø	x.x	x.x	4.Ø	x.x	x.x	6.Ø	x.x	x.x
x.x	x.x	x.x	x.x	x.x	x.x	x.x	x.x	x.x
3.Ø	x.x	x.x	5.Ø	x.x	x.x	7.Ø	x.x	x.x
x.x	x.x	x.x	x.x	x.x	x.x	x.x	x.x	x.x
3.Ø	x.x	x.x	5.Ø	x.x	x.x	7.Ø	x.x	x.x
x.x	x.x	x.x	x.x	x . x	x . x	x . x	x.x	<b>x.</b> x
4.Ø	x.x	x.x	6.Ø	x.x	x.x	8.Ø	x.x	x.x
x.x	x.x	x.x	x.x	x.x	x.x	x.x	x.x	x.x
4.Ø	x.x	x.x	6.Ø	x.x	x.x	8.Ø	x.x	x.x
x.x	x.x	x.x	x.x	x.x	x.x	x.x	x.x	x.x
5.Ø	x.x	x.x	7.Ø	x.x	x.x	9.Ø	x.x	x.x
x.x	x.x	x.x	x.x	x.x	x.x	x.x	x.x	x.x

IAE = 2 IAV = 48 NVA = 3 Upon return from MDOT, C contains:

-23.Ø -25.Ø -32.Ø -46.Ø -69.Ø -39.Ø -46.Ø -61.Ø -87.Ø -126.Ø -55.Ø -66.Ø -9Ø.Ø -128.Ø -183.Ø

 $IERR = \emptyset$ 

```
VECMEM(2Ø48,8*NMAX+4) where NMAX is the number of
available MAX modules. In this case, the operations
performed by MLOAD can be described in FORTRAN by:
   DO 2\emptyset i = 1, NVB
     DO 10 j = 1, NEV
       VECMEM(IVM+j-1,IVN+i-1) = B((i-1)*IBV+(j-1)*IBE+1)
     CONTINUE
1Ø
2Ø CONTINUE
Summary of error conditions:
    IERR = -2
                NVB \leq \emptyset.
    IERR = -1
                NEV \leq \emptyset.
    IERR = \emptyset No error occurred. Normal completion.
                No TMRAM on the system.
    IERR = 1
    IERR = 2
                 ITMA <= 8191.
    IERR = 3
                ITMA > LASTTM-8192-254-4*(IVM+NEV-1)
                 where LASTTM is the highest valid TMRAM
                 address. Refer to Section K.2.
    IERR = 4
                IVM <= ∅.
    IERR = 5
                IVM + NEV - 1 greater than 2048.
    IERR = 6
                IVN \leq \emptyset.
    IERR = 7
                 IVN + NVB - 1 greater than NMAX*8 + 4
                 where NMAX is the number of available
                 MAX modules. Refer to Section K.2.
If there are too many or too few formal parameters, then
IERR is left unchanged.
For more information on the Matrix Oriented MAX
routines, refer to Section K.4.
```

```
EXAMPLE: Assume one available MAX module and that the data in
B is stored in column major order (normal FORTRAN).
Load the rows of a submatrix of B into a subset of the MAX
vector memories.
```

********		*****							
* MUNLD *	MATRIX UNLOAD	* MUNLD *							
* *		* *							
PURPOSE:	To unload a matrix of vectors from the MAX vect memories into Main Memory.	cor							
CALL FORMAT:	CALL MUNLD(IVM, IVN, B, IBE, IBV, NEV, NVB, IEP	RR)							
PARAMETERS:	<pre>IVM = Integer input starting element in the MA vector memories.</pre>	λX							
	IVN = Integer input starting vector in the MAX vector memories.	IVN = Integer input starting vector in the MAX							
	B = Floating-point output matrix of vectors Main Memory.	in							
	IBE = Integer input element stride for vectors	s in B.							
	IBV = Integer input element stride between vectors in B.								
	NEV = Integer input number of elements per vec	ctor.							
	NVB = Integer input number of vectors.								
	DESCRIPTION for a list of error condition	ons.							
DESCRIPTION:	MUNLD unloads the NVB vectors contained in the vector memories to Main Memory defined by B, IF and NEV. An arbitrary data structure can be as with B. The operation of MUNLD can be convenie described if the set of MAX vector memories is to be a matrix VECMEM, and, B is also considered matrix. Using this matrix convention, MLOAD per the matrix transfer	MAX 3E, IBV, ssociated ently considered ed to be a erforms							
	B = VECMEM								
	where IBE, IBV, IVM, IVN, NVB, and NEV allow th to select subsets of B and VECMEM as appropriat	ne user :e.							
	To illustrate the flexibility of the data struct that can be associated with the data, suppose H a one-dimensional array, and that VECMEM is a m VECMEM(2048,8*NMAX+4) where NMAX is the number available MAX modules. In this case, the opera	tures is matrix of ations							

.

.

```
DO 2Ø i = 1, NVB

DO 1Ø j = 1, NEV

B((i-1)*IBV+(j-1)*IBE+1) = VECMEM(IVM+j-1,IVN+i-1)

1Ø CONTINUE

2Ø CONTINUE
```

performed by MUNLD can be described in FORTRAN by:

MAX vector memories (VECMEM):

x.x	x.x	x.x	x.x	x.x	x.x						
x.x	x.x	x.x	x.x	x.x	x.x						
x.x	x.x	l.Ø	2.Ø	3.Ø	4.Ø	5 <b>.</b> Ø	x.x	x.x	x.x	x.x	x.x
x.x	x.x	1.Ø	2.Ø	3.Ø	4.Ø	5 <b>.</b> Ø	x.x	x.x	x.x	x.x	x.x
x.x	x.x	1.Ø	1.Ø	2.Ø	3.Ø	4.Ø	x.x	x.x	x.x	x.x	x.x
x.x	x.x	1.Ø	1.Ø	2.Ø	3.Ø	<b>4.</b> Ø	x.x	x.x	x.x	x.x	x.x
x.x	x.x	1.Ø	1.Ø	1.Ø	2.Ø	3.Ø	x.x	x.x	x.x	x.x	x.x
x.x	x.x	1.Ø	1.Ø	1.Ø	2.Ø	3.Ø	x.x	x.x	x.x	x.x	x.x
x.x	x.x	1.Ø	1.Ø	1.Ø	1.Ø	2.Ø	x.x	x.x	x.x	x.x	x.x
x.x	x.x	1.Ø	1.Ø	1.Ø	1.Ø	2.Ø	x.x	x.x	x.x	x.x	x.x
x.x	x.x	x.x	x.x	x.x	x.x						
•	•	•	•	•	•	•	•	•	•	•	•
•	٠	•	•	•	•	•	•	•	•	•	•
•	•	•	•	•	•	•	•	•	•	•	•
x.x	x.x	x.x	x.x	x.x	x.x						

Upon return from MUNLD, B contains:

1.Ø	1.Ø	1.Ø	1.Ø	1.Ø	1.Ø	1.Ø,	1.Ø
x.x	x.x	x.x	x.x	x.x	x.x	x.x	x.x
2.Ø	2.Ø	1.Ø	1.Ø	1.Ø	1.Ø	1.Ø	1.Ø
x.x	x.x	x.x	x.x	x.x	x.x	x.x	x.x
3.Ø	3.Ø	2.Ø	2.Ø	1.Ø	1.Ø	1.Ø	1.Ø
x.x	x.x	x.x	x.x	x.x	x.x	x.x	x.x
4.Ø	<b>4</b> .Ø	3.Ø	3.Ø	2.Ø	2.Ø	1.Ø	1.Ø
x.x	x.x	x.x	x.x	x.x	x.x	x.x	x.x
5.Ø	5.Ø	4.Ø	4.Ø	3.Ø	3.Ø	2.Ø	2.Ø
x.x	x.x	x.x	x.x	x.x	x.x	x.x	x.x

 $IERR = \emptyset$ 

A system with NMAX available MAX modules has

NVEC =  $8 \times NMAX + 4$ 

MAX vector memories, numbered from 1 to NVEC, which are partitioned into two banks of NVEC/2 vector memories each. Vector memories 1 through NVEC/2 make up one bank, and vector memories NVEC/2+1 through NVEC make up the other. The two banks of vector memories can be thought of as complementary, where vector memories 1 and NVEC/2+1 are complements, 2 and NVEC/2+2 are complements, and so forth.

Vector memories NVEC/2 and NVEC are not accessible for VMSA operations and hence are not used.

For each vector in A, MVMSA performs the NVB VMSA operations between that vector and the NVB vectors residing in one bank of the MAX vector memories, using the scale factors contained in C. The NVB resultant vectors are written into the complementary bank of MAX vector memories. IVN is toggled to point to the starting vector memory in the output bank.

IVN = MOD(IVN+NVEC/2, NVEC)

The NVB resultant vectors then become the input for the VMSA operations with the next vector of A.

Note that due to the parallel operation of the MAX, all NVEC/2 - 1 vector memories in the output bank will be overwritten. The unused NVEC/2 - 1 - NVB vector memories will contain extraneous results. Refer to EXAMPLE for more details.

IVM + NEV - 1 greater than  $2\emptyset 48$ . IERR = 5IERR = 6IVN <=  $\emptyset$ . IERR = 7NVB > NVEC/2 - 1 or MOD(IVN, NVEC/2) + NVB - 1 > NVEC/2 - 1or IVN = NVEC/2 or IVN = NVECwhere NVEC = 8\*NMAX+4 and NMAX is the number of available MAX modules. Refer to Section K.2. If there are too many or too few formal parameters, then IERR is left unchanged. For more information on the Matrix Oriented MAX routines, refer to Section K.4.

EXAMPLE: Assume one available MAX module and that the data in A and C is stored in column major order (normal FORTRAN). Perform the VMSA operations of the rows of a submatrix of A with a subset of the MAX vector memories using the scalars contained in the columns of a submatrix of C.

Input matrix A:

1

 1.Ø
 x.x
 1.Ø
 x.x
 1.Ø
 x.x
 1.Ø

 x.x
 x.x
 x.x
 x.x
 x.x
 x.x
 x.x
 x.x

 1.Ø
 x.x
 2.Ø
 x.x
 3.Ø
 x.x
 4.Ø
 x.x
 5.Ø

 x.x
 x.x
 x.x
 x.x
 x.x
 x.x
 5.Ø

 x.x
 x.x
 x.x
 x.x
 x.x
 x.x
 x.x

 1.Ø
 x.x
 2.Ø
 x.x
 3.Ø
 x.x
 2.Ø
 x.x

 1.Ø
 x.x
 2.Ø
 x.x
 3.Ø
 x.x
 2.Ø
 x.x

 x.x
 x.x
 x.x
 x.x
 x.x
 x.x
 x.x

IAE = 12IAV = 2NVA = 3

Input matrix C:

APPENDIX K

********		******
* *		* *
* MVSMA *	MATRIX VECTOR SCALAR MULTIPLY ADD	* MVSMA *
* *		* *
*****		*******
	The sector matter color multiple old (1701	3) <u>an an bian</u> a
PURPOSE:	To perform vector scalar multiply add (VSM	A) operations
	Main Momory and a matrix of voctors in the	
	main Memory and a matrix of vectors in the	MAX VECTOI
	memories.	
CALL FORMAT:	CALL MVSMA(A, IAE, IAV, IVM, IVN, C, ICE,	ICV,
	NEV, NVA, NVB, IFUN, IERR)	
PARAMETERS:	A = Floating-point input matrix of vect	ors in
	Main memory.	
	IAE = Integer input element stride for ve	ctors in A.
	IAV = Integer input element stride betwee	n
	TUM - Integer input starting element in t	ho MAY
	vector memories	ne maa
	IVN = Integer input/output starting vecto	r for the
	input/output vectors in the MAX vec	tor memories
	C = Floating-point input matrix of scal	ars.
	ICE = Integer input element stride for C.	
	ICV = Integer input element stride betwee	n
	vectors in C.	
	NEV = Integer input VSMA length.	
	NVA = Integer input number of vectors in	A to be used.
	NVB = Integer input number of vectors in	the MAX
	vector memories to be used as input	. Also
	the number of scalars per vector of	C to be used.
	IFUN = Integer input function flag.	
	IFUN = $\emptyset$ : r = 1. $\emptyset$	
	IFUN = 1: $r = -1.\emptyset$	
	Note that IFUN is a bit-mapped func	tion flag:
	IFUN = 2 is equivalent to IFUN = $\emptyset$ ,	IFUN = 3
	is equivalent to IFUN = 1, etc.	
	See DESCRIPTION for the usage of r.	
	IERR = Integer input/output error flag.	
	See DESCRIPTION for a list of error	conditions.
	MUSMA performs USMA constitions of longth M	FU between
DESCRIPTION:	the NVA vectors in Main Memory defined by	A TAR and
	TAV with the NVB vectors in the MAY vector	memories
	defined by TVM and TVN, using the elements	of C in
	Main Memory defined by TCE and TCV as the	scale factore
	The output of the VSMA operations is writt	en into the
	MAX vector memories.	

```
The operation of MVSMA can be conveniently described if
the set of MAX vector memories is considered to be a
matrix VECMEM(2Ø48,NVEC). Arbitrary data structures
can be associated with A and C. For simplicity, assume
that A and C are also matrices, dimensioned A(IAV,NVA)
and C(ICV,NVA), respectively. Further, assume that IAE
and ICE are both equal to one. Given these assumptions,
the computations performed by MVSMA can be described
in FORTRAN by:
```

```
DO 3Ø i = 1, NVA

IVO = MOD(IVN+NVEC/2, NVEC)

DO 2Ø j = 1, NVB

DO 1Ø k = 1, NEV

VECMEM(IVM+k-1,IVO+j-1) = r * C(j,i) * A(k,i) +

+

VECMEM(IVM+k-1,IVN+j-1)

1Ø CONTINUE

2Ø CONTINUE

IVN = IVO

3Ø CONTINUE
```

To illustrate the generality and the flexibility of the data structures that can be associated with the data, suppose that A and C are one-dimensional arrays. In this case, the operations performed by MVSMA can be described in FORTRAN by:

```
DO 3\emptyset i = 1, NVA
     IVO = MOD(IVN+NVEC/2, NVEC)
     DO 2\emptyset j = 1, NVB
        DO 1\emptyset k = 1, NEV
          VECMEM(IVM+k-1,IVO+j-1) = r *
                                   C((j-1)*ICE+(i-1)*ICV+1) *
  +
                                   A((k-1)*IAE+(i-1)*IAV+1) +
                                   VECMEM(IVM+k-1,IVN+j-1)
        CONTINUE
1Ø
2Ø
     CONTINUE
     IVN = IVO
3Ø CONTINUE
Summary of error conditions:
                   NVA \leq \emptyset.
    IERR = -3
    IERR = -2
                   NVB \leq \emptyset.
    IERR = -1
                   NEV \leq \emptyset.
    IERR = \emptyset
                   No error occurred. Normal completion.
    IERR = 1
                   No TMRAM on the system.
    IERR = 4 IVM \leq \emptyset.
```
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	ctor	memor	ies (	(VECME	M):						
¥.¥	¥.¥	¥ . ¥	¥ . ¥	¥ . ¥	X.Y	<b>X</b> .X	¥.X	x . x	¥.X	¥.¥	<b>x</b> .x
x.x	x.x	X.X	x.x	X.X	X . X	x.x	X.X	x.x	x.x	x.x	x.x
x.x	1.Ø	2.0	3.Ø	4.Ø	x.x	x.x	x.x	x.x	x.x	x.x	x.x
x.x	1.Ø	1.Ø	2.0	3.Ø	x.x	x.x	x.x	x.x	x.x	x.x	x.x
x.x	1.Ø	1.Ø	1.Ø	2.Ø	x.x	x.x	x.x	x.x	x.x	x.x	x.x
x.x	1.Ø	1.Ø	1.Ø	1.Ø	x.x	x.x	x.x	x.x	x.x	x.x	x.x
x.x	1.Ø	1.Ø	1.Ø	1.Ø	x.x	x.x	x.x	x.x	x.x	x.x	x.x
x.x	x.x	x.x	x.x	x.x	x.x	x.x	x.x	x.x	x.x	x.x	x.x
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x.x	x.x	x.x	x.x	x.x	x.x	x.x	x.x	x.x	x.x	x.x	<b>x.</b> x.
IVN =	2										
IVM =	3										
NVB =	4										
	_										
NEV =	5										
	~										
IFUN =	<u>لا</u>										
IERR =	999										
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Upon r	eturn	from	MVSN	MA, th	e MAX	vect	cor me	morie	es (VI	ECMEM)	
Upon r contai	eturn n:	from	MVSN	4A, th	e MAX	vect	cor me	morie	es (VI	ECMEM)	
Upon r contai: x.x	eturn n: x.x	from	MVSN	AA, th	e MAX x.x	vect	or me	morie x.x	es (VI	ECMEM)	x.x
Upon r contai x.x x.x	eturn n: x.x x.x	from x.x x.x	MVSN x.x x.x	4A, th x.x x.x x.x	e MAX x.x x.x	vect x.x x.x	cor me x.x x.x	morie x.x x.x	es (VI x.x x.x	ECMEM) x.x x.x	x.x x.x
Upon r contai x.x x.x y.y	eturn n: x.x x.x 4.Ø	from x.x x.x 5.Ø	MVSN x.x x.x 6.Ø	4A, th x.x x.x 11.Ø	e MAX x.x x.x x.x x.x	vect x.x x.x y.y	cor me x.x x.x 5.Ø	morie x.x x.x 5.Ø	es (VI x.x x.x 8.Ø	ECMEM) x.x x.x 14.Ø	x.x x.x x.x
Upon r contai x.x x.x y.y y.y	eturn n: x.x x.x 4.Ø 6.Ø	from x.x x.x 5.Ø 5.Ø	MVSN x.x x.x 6.Ø 5.Ø	4A, th x.x x.x 11.Ø 13.Ø	e MAX x.x x.x x.x x.x x.x	vect x.x x.x y.y y.y	cor me x.x x.x 5.Ø 8.Ø	moria x.x x.x 5.Ø 5.Ø	es (VI x.x x.x 8.Ø 9.Ø	ECMEM) x.x x.x 14.Ø 19.Ø	x.x x.x x.x x.x
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Note that vector memories 1 and 7 contain extraneous results, and that vector memories 6 and 12 remain unchanged because they are not accessible for VSMA operations.

## APPENDIX L

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## MAX ROUTINES IN ALPHABETICAL ORDER

NAME	DESCRIPTION	PAGE
		•
CMDOT	COMPLEX MATRIX DOT PRODUCT	K - 100
CMLOAD	COMPLEX MATRIX LOAD	K - 1Ø4
CMUNLD	COMPLEX MATRIX UNLOAD	K - 1Ø7
CMVSMA	COMPLEX VECTOR MULTIPLY SCALAR ADD	K - 1Ø9
MDOT	MATRIX DOT PRODUCT	K - 113
MLOAD	MATRIX LOAD	K - 118
MUNLD	MATRIX UNLOAD	K - 121
MVMSA	MATRIX VECTOR MULTIPLY SCALAR ADD	K - 124
MVSMA	MATRIX VECTOR SCALAR MULTIPLY ADD	K - 129
PCDOT	PARALLEL COMPLEX DOT PRODUCT	K - 13
PCNV2D	PARALLEL 2-D CONVOLUTION AND CORRELATION	K - 17
PDOT	PARALLEL DOT PRODUCT	K – 2Ø
PIDOT	PARALLEL INDEXED DOT PRODUCT	K - 24
PILOAD	PARALLEL LOAD FOR PIDOT	K - 27
PLDCD	PARALLEL COMPLEX LOAD	K - 3Ø
PLOADD	PARALLEL LOAD FOR PDOT/PTSLVK	к – 34
PLOADV	PARALLEL LOAD FOR PVSMA AND PVMSA	K - 37
PLUFAC	PARALLEL LU MATRIX FACTORIZATION	к – 4Ø
PLUSLV	SOLVER FOR PLUFAC	K - 42
PMMUL	PARALLEL MATRIX MULTIPLY	к – 44
PMOVE	PARALLEL MOVE	к – 47
PSGEFA	PARALLEL REAL GENERAL MATRIX FACTOR	к <b>–</b> 5Ø
PTSLVK	PARALLEL TRIANGULAR SOLVE KERNEL	K - 52
PTSOLV	PARALLEL TRIANGULAR SOLVE	K - 56
PUNLDD	PARALLEL UNLOAD FOR PTSLVK	K - 59
PUNLDV	PARALLEL UNLOAD FOR PVSMA AND PVMSA	K - 62
PVMSA	PARALLEL VMSA	K - 65
PVSMA	PARALLEL VSMA	к – 7Ø

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## APMATH64/MAX KEY WORD INDEX

This index of APMATH64/MAX routines is sorted by key words that appear in each routine title. Each title can contain more than one key word. The key words are listed alphabetically to the right of the gap running down the center of each page.

To use the key word index, locate a key word that is representative of the desired APMATH64/MAX function. Applicable APMATH64/MAX routine names and titles can be found on the same line with each occurrence of the key word. The routine name appears in brackets ([]). The routine title immediately follows the routine name and continues on the other side of the gap when necessary. The ellipsis (...) is placed directly after the last word in the title if the line wraps around. The page where a particular routine is documented can be found in Appendix L.

[PCNV2D] PARALLEL	2-D CONVOLUTION AND CORRELATION
COMPLEX VECTOR MULTIPLY SCALAR	ADD[CMVSMA]
MATRIX VECTOR MULTIPLY SCALAR	ADD[MVMSA]
MATRIX VECTOR SCALAR MULTIPLY	ADD[MVSMA]
[PCDOT] PARALLEL	COMPLEX DOT PRODUCT
[PLDCD] PARALLEL	COMPLEX LOAD
[CMDOT]	COMPLEX MATRIX DOT PRODUCT
[CMLOAD]	COMPLEX MATRIX LOAD
[CMUNLD]	COMPLEX MATRIX UNLOAD
ADD[CMVSMA]	COMPLEX VECTOR MULTIPLY SCALAR
[PCNV2D] PARALLEL 2-D	CONVOLUTION AND CORRELATION
PARALLEL 2-D CONVOLUTION AND	CORRELATION[PCNV2D]
[CMDOT] COMPLEX MATRIX	DOT PRODUCT
[MDOT] MATRIX	DOT PRODUCT
[PCDOT] PARALLEL COMPLEX	DOT PRODUCT
[PDOT] PARALLEL	DOT PRODUCT
[PIDOT] PARALLEL INDEXED	DOT PRODUCT
PARALLEL REAL GENERAL MATRIX	FACTOR [ PSGEFA ]
[PLUFAC] PARALLEL LU MATRIX	FACTORIZATION
[PSGEFA] PARALLEL REAL	GENERAL MATRIX FACTOR
[PIDOT] PARALLEL	INDEXED DOT PRODUCT
PARALLEL TRIANGULAR SOLVE	KERNEL[PTSLVK]
[CMLOAD] COMPLEX MATRIX	LOAD
[MLOAD] MATRIX	LOAD
[PLDCD] PARALLEL COMPLEX	LOAD
[PLOADD] PARALLEL	LOAD FOR PDOT/PTSLVK
[PILOAD] PARALLEL	LOAD FOR PIDOT
[PLOADV] PARALLEL	LOAD FOR PVSMA AND PVMSA
[PLUFAC] PARALLEL	LU MATRIX FACTORIZATION
[CMDOT] COMPLEX	MATRIX DOT PRODUCT
[ MDOT ]	MATRIX DOT PRODUCT
[PSGEFA] PARALLEL REAL GENERAL	MATRIX FACTOR
[PLUFAC] PARALLEL LU	MATRIX FACTORIZATION
[CMLOAD] COMPLEX	MATRIX LOAD

. i

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[PUNLDV] PARALLEL	UNLOAD	FOR PVSMA AND PVMSA
[CMVSMA] COMPLEX	VECTOR	MULTIPLY SCALAR ADD
[MVMSA] MATRIX	VECTOR	MULTIPLY SCALAR ADD
[MVSMA] MATRIX	VECTOR	SCALAR MULTIPLY ADD
[PVMSA] PARALLEL	VMSA	
[PVSMA] PARALLEL	VSMA	

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