

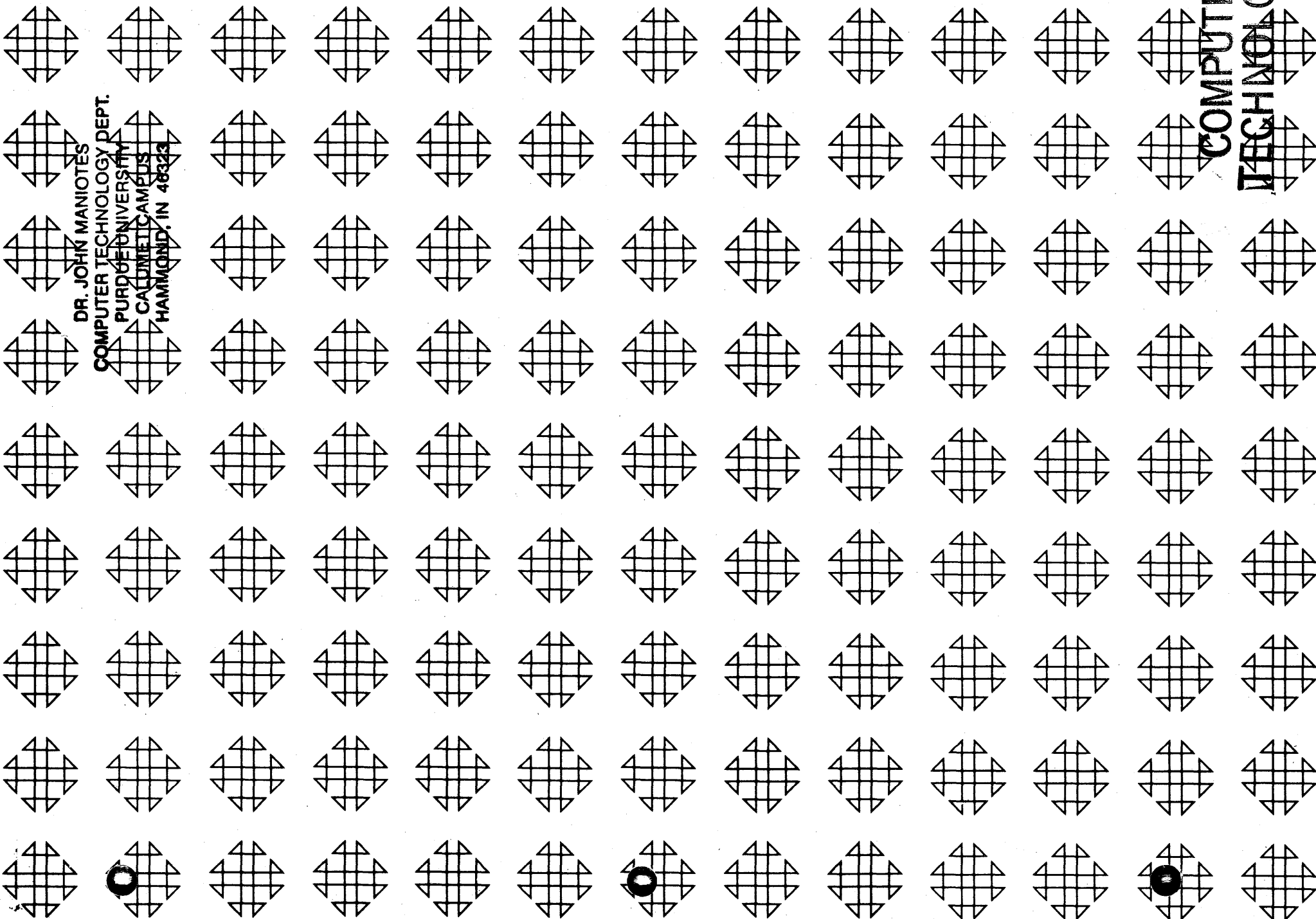
1620 GENERAL PROGRAM LIBRARY

PERFECT NUMBER DEMONSTRATION PROGRAM

11.0.030

COMPUTER
TECHNOLOGY

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1620
Correction

11.0.030
April 7, 1965

Attached are new pages for the flow chart,
program listings and program output for
this program. The source and object decks
have been revised.

1620 USERS GROUP PROGRAM REVIEW AND EVALUATION

(fill out in typewriter or pencil, do not use ink)

Program No. _____

Date _____

Program Name: _____

1. Does the abstract adequately describe what the program is and what it does? Yes ___ No ___
Comment _____
2. Does the program do what the abstract says? Yes ___ No ___
Comment _____
3. Is the Description clear, understandable, and adequate? Yes ___ No ___
Comment _____
4. Are the Operating Instructions understandable and in sufficient detail? Yes ___ No ___
Comment _____
Are the Sense Switch options adequately described (if applicable)? Yes ___ No ___
Are the mnemonic labels identified or sufficiently understandable? Yes ___ No ___
Comment _____
5. Does the source program compile satisfactorily (if applicable)? Yes ___ No ___
Comment _____
6. Does the object program run satisfactorily? Yes ___ No ___
Comment _____
7. Number of test cases run _____. Are any restrictions as to data, size, range, etc. covered adequately in description? Yes ___ No ___
Comment _____
8. Does the Program Meet the minimal standards of the 1620 Users Group? Yes ___ No ___
Comment _____
9. Were all necessary parts of the program received? Yes ___ No ___
Comment _____
10. Please list on the back any suggestions to improve the usefulness of the program. These will be passed onto the author for his consideration.

Please return to:

Mr. Richard L. Pratt
Data Corporation
7500 Old Xenia Pike
Dayton, Ohio 45432

Your Name _____

Company _____

Address _____

User Group Code _____

THIS REVIEW FORM IS PART OF THE 1620 USER GROUP ORGANIZATION'S PROGRAM REVIEW AND EVALUATION PROCEDURE. NONMEMBERS ARE CORDIALLY INVITED TO PARTICIPATE IN THIS EVALUATION.

11/09/64

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A3

A4

PERFECT NUMBER DEMONSTRATION PROGRAM

DECK KEY

1. Source Deck
2. Object Deck

John Sawyer, Jr.
116 Belle Vista Court, N. W.
Winston-Salem, North Carolina

Modifications or revisions to this program, as they occur, will be announced in the appropriate Catalog of Programs for IBM Data Processing Systems. When such an announcement occurs, users should order a complete new program from the Program Information Department.

AS

PROGRAM ABSTRACT

Title: Perfect Number Demonstration Program

Author: John W. Sawyer, Jr.

Direct Inquiries to: John W. Sawyer, Jr.
116 Belle Vista Court, N.W.
Winston-Salem, N.C. 27106

Description: Perfect Numbers, by definition, are equal to the sum of their proper divisors. For example, 6 is a perfect number, since $6=1+2+3$. Until 1952, only 12 of these numbers were known. After this time computers were used to determine additional perfect numbers.

This program types a brief history of perfect numbers, gives a summary of the method used to determine them, and computes rapidly the first five perfect numbers.

Mathematical Method: If, for an integer n , $2^n - 1$ is a prime number, then $2^{n-1}(2^n - 1)$ is a perfect number. This technique is attributed to Euclid.

The program is written in Fortran with Format, and the object deck is compiled with UTO Fortran.

Equipment Specifications: 20K Memory, 1622 Card Read-Punch.

Time: Five minutes, including loading time.

OPERATING INSTRUCTIONS

This program is self-explanatory and self-initiating. It is necessary merely to load the program:

1. Clear Storage:
 - A. Insert; type 16 00010 00000
 - B. Release; start.
 - C. Instant stop.
 - D. Reset
2. Place object deck in read hopper.
3. Press load button.

No program switches are used.

All output is on the typewriter.

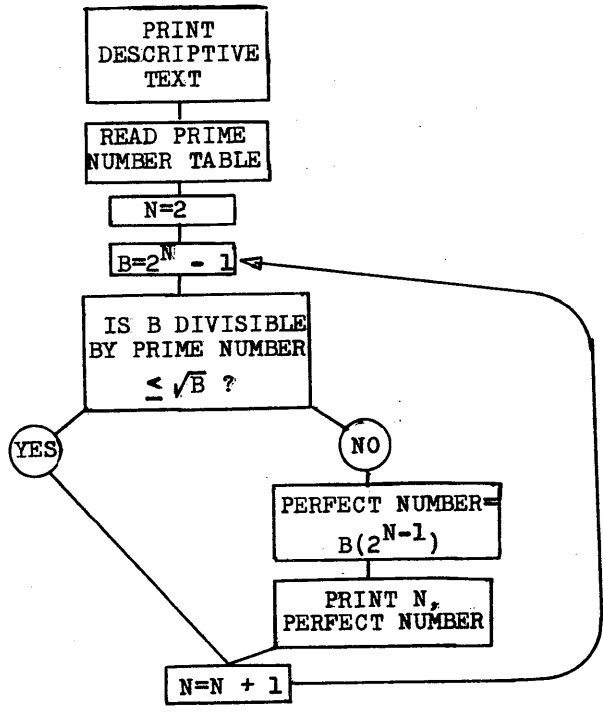
The program ends with STOP 0000.

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07070 C    PERFECT NUMBER PROGRAM---JOHN SAWYER
07070      PRINT001
07082 901  FORMAT(5X,39HA PERFECT NUMBER IS EQUAL TO THE SUM OF)
07192      PRINT002
07204 902  FORMAT(44HITS PROPER DIVISORS. FOR EXAMPLE, 6=1+2+3--)
07316      PRINT003
07328 903  FORMAT(29HHENCE, 6 IS A PERFECT NUMBER.)
07410      PRINT004
07422 904  FORMAT(1X)
07446      PRINT005
07458 905  FORMAT(5X,35HPERFECT NUMBERS WERE STUDIED BY THE)
07560      PRINT006
07572 906  FORMAT(41HPYTHAGOREAN SCHOOL AND MUCH MYSTICISM WAS)
07678      PRINT007
07690 907  FORMAT(38HCONNECTED WITH THEM. AROUND 300 B. C.)
07790      PRINT008
07802 908  FORMAT(39HEUCLID PROVED THE VALIDITY OF A FORMULA)
07904      PRINT009
07916 909  FORMAT(39HFOR FINDING PERFECT NUMBERS. IT STATES)
08018      PRINT010
08030 910  FORMAT(40HTHAT, FOR ANY POSITIVE INTEGRAL VALUE OF)
08134      PRINT 9111
08146 9111 FORMAT(13X,1HN)
08180      PRINT911
08192 911  FORMAT(36HN FOR WHICH 2 - 1 IS A PRIME NUMBER)
08288      PRINT 9121
08300 9121 FORMAT(16X,3HN-1,2X,1HN)
08354      PRINT912
08366 912  FORMAT(32HTHE EXPRESSION 2 (2 - 1) WILL)
08454      PRINT913
08466 913  FORMAT(20HBE A PERFECT NUMBER.)
08530      PRINT904
08542      PRINT914
08554 914  FORMAT(5X,35HUNTIL 1952 ONLY 12 OF THESE PERFECT)
08656      PRINT915
08668 915  FORMAT(39HNUMBERS WERE KNOWN. AFTER THAT TIME IT)
08770      PRINT916
08782 916  FORMAT(41HWAS FOUND THAT COMPUTERS COULD BE USED TO)
08888      PRINT917
08900 917  FORMAT(39HGOOD ADVANTAGE IN FINDING MORE OF THESE)
09002      PRINT918
09014 918  FORMAT(8HNUMBERS.)
09054      PRINT904
09066      PRINT919
09078 919  FORMAT(5X,38HUSING THE FORMULA SET FORTH BY EUCLID,)
09186      PRINT920
09198 920  FORMAT(43HTHE 1620 WILL CALCULATE THE FIRST 5 PERFECT)
09308      PRINT921
09320 921  FORMAT(43HNUMBERS AND WILL PRINT THEM, ALONG WITH THE)
09430      PRINT922
09442 922  FORMAT(42HVALUES OF N USED TO PRODUCE THEM. THIS IS)

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09550 PRINT923
09562 923 FORMAT(42HAN EXAMPLE OF HOW COMPUTERS CAN AID IN THE)
09670 PRINT924
09682 924 FORMAT(26HSTUDY OF PURE MATHEMATICS.)
09758 PRINT904
09770 PRINT925
09782 925 FORMAT(5X,38H----JOHN SAWYER, STUDENT, DALTON JUNIOR)
09890 PRINT926
09902 926 FORMAT(42HHIGH SCHOOL, WINSTON-SALEM, NORTH CAROLINA)
10010 PRINT904
10022 PRINT 927
10034 927 FORMAT(6X,14HPERFECT NUMBER,7X,1HN)
10110 PRINT904
10122 DIMENSION A(27)
10122 N=2
10146 I=1
10170 DO 2 K=1,3
10182 READ1,A(I),A(I+1),A(I+2),A(I+3),A(I+4),A(I+5),A(I+6),A(I+7),A(I+8)
10518 1 FORMAT (F5.0,F5.0,F4.0,F5.0,F5.0,F5.0,F5.0,F5.0,F5.0)
10580 2 I=I+9
10652 101 B=2.**N-1.
10700 I=1
10724 3 DO 4 I=1,27
10736 Q=B/A(I)..
10796 IF (9999.-Q)5,12,12
10864 12 IF (Q-A(I)) 14,4,11
10956 11 L=Q
10992 C=L
11028 D=C*A(I)
11088 IF (B-D)5,8,4
11156 4 CONTINUE..
11192 14 PNUM=B*2.**(N-1)
11276 PRINT 10,PNUM,N
11312 10 FORMAT (F20.0,5X,13)
11346 8 N=N+1
11382 GO TO 101
11390 5 STOP
11402 END

```

DATA CARDS (PRIME NUMBER TABLE)

2	3	5	7	11	13	17	19	23
29	31	37	41	43	47	53	59	61
67	71	73	79	83	89	97	101	103

PROGRAM OUTPUT

A PERFECT NUMBER IS EQUAL TO THE SUM OF ITS PROPER DIVISORS. FOR EXAMPLE, 6=1+2+3-- HENCE, 6 IS A PERFECT NUMBER.

PERFECT NUMBERS WERE STUDIED BY THE PYTHAGOREAN SCHOOL AND MUCH MYSTICISM WAS CONNECTED WITH THEM. AROUND 300 B. C. EUCLID PROVED THE VALIDITY OF A FORMULA FOR FINDING PERFECT NUMBERS. IT STATES THAT, FOR ANY POSITIVE INTEGRAL VALUE OF N FOR WHICH 2^N - 1 IS A PRIME NUMBER THE EXPRESSION 2^N (2^N - 1) WILL BE A PERFECT NUMBER.

Handwritten notes: 2-1=1-1=0, (2-1)(2-1)=1, 2-3

UNTIL 1952 ONLY 12 OF THESE PERFECT NUMBERS WERE KNOWN. AFTER THAT TIME IT WAS FOUND THAT COMPUTERS COULD BE USED TO GOOD ADVANTAGE IN FINDING MORE OF THESE NUMBERS.

USING THE FORMULA SET FORTH BY EUCLID, THE 1620 WILL CALCULATE THE FIRST 5 PERFECT NUMBERS AND WILL PRINT THEM, ALONG WITH THE VALUES OF N USED TO PRODUCE THEM. THIS IS AN EXAMPLE OF HOW COMPUTERS CAN AID IN THE STUDY OF PURE MATHEMATICS.

----JOHN SAWYER, STUDENT, DALTON JUNIOR HIGH SCHOOL, WINSTON-SALEM, NORTH CAROLINA

PERFECT NUMBER	N
6	2
28	3
496	5
8128	7
33550336	13

001#
002#
003# STOP 0000

DATA CARDS (PRIME NUMBER TABLE)

2	3	5	7	11	13	17	19	23	001
29	31	37	41	43	47	53	59	61	002
67	71	73	79	83	89	97	101	103	003
107	109	113	127	131	137	139	149	151	004
157	163	167	173	179	182	191	193	197	005
199	211	223	227	229	233	239	241	251	006
257	263	269	271	277	281	283	293	307	007
311	313	317	331	337	347	349	353	359	008
367	373	379	383	389	397	401	409	419	009
421	431	433	439	443	449	457	461	463	010
467	479	487	491	499	503	509	521	523	011
541	547	557	563	569	571	577	587	593	012
599	601	607	613	617	619	631	641	643	013
647	653	659	661	673	677	683	691	701	014
709	719	727	733	739	743	751	757	761	015
769	773	787	797	809	811	821	823	827	016
829	839	853	857	859	863	877	881	883	017
887	907	911	909	929	937	941	947	953	018
967	971	977	983	991	997	1009	1013	1019	019
1021	1031	1033	1039	1049	1051	1061	1063	1069	020
1087	1091	1093	1097	1103	1109	1117	1123	1129	021
1151	1153	1163	1171	1181	1187	1193	1201	1213	022
1217	1223	1229	1231	1237	1249	1259	1277	1279	023
1283	1289	1291	1297	1301	1303	1307	1319	1321	024
1327	1361	1367	1373	1381	1399	1409	1423	1427	025
1429	1433	1439	1447	1451	1453	1459	1471	1481	026
1483	1487	1489	1493	1499	1511	1523	1531	1543	027
1549	1553	1559	1567	1571	1579	1583	1592	1601	028
1607	1609	1613	1619	1621	1627	1637	1657	1663	029
1667	1669	1693	1697	1699	1709	1721	1723	1733	030
1741	1747	1753	1759	1777	1783	1787	1789	1801	031
1811	1823	1831	1847	1861	1867	1871	1873	1877	032
1879	1889	1901	1907	1913	1931	1933	1949	1951	033
1973	1979	1987	1991	1993	1997	1999	2003	2011	034
2017	2027	2029	2039	2053	2063	2069	2081	0	035

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PROGRAM OUTPUT

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---JOHN SAWYER, STUDENT, DALTON JUNIOR HIGH SCHOOL, WINSTON-SALEM, NORTH CAROLINA

PERFECT NUMBER	N
6.	2
28.	3
496.	5
8128.	7
33550336.	13

STOP 0000